



MODIS Aqua 20130505

A stochastic scheme to parameterise shallow convection

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How is this relevant to ensemble prediction?

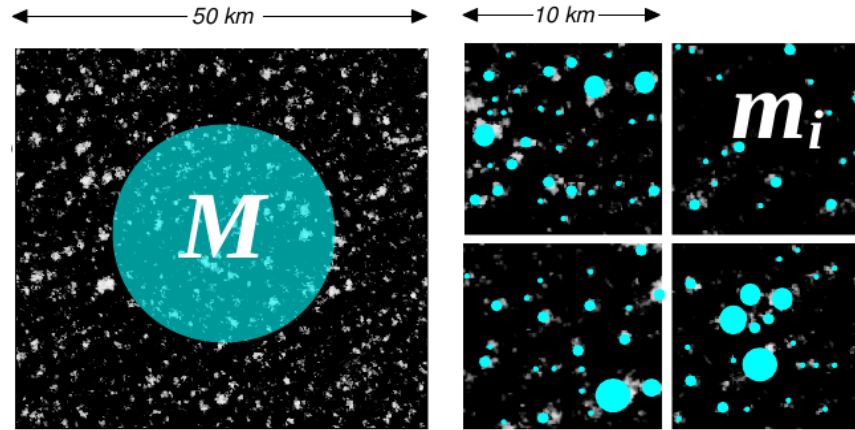
- Parameterised convection typically produces too little spread in the EPS
- Difficult to add artificial perturbations that are physically consistent, situation-aware and persist in time



- Stochastic convection scheme is scale adaptive and produces perturbations to the convective tendencies that are consistent with the model state and the large-scale forcing
- We hope: Scheme will produce sufficient spread that additional measures will be superfluous



1) Large-scale state **determines** convective activity at scales 50-100km, expressed as **cloud-base mass flux**



M: mass flux of the ensemble

m_i: mass flux of an individual cloud

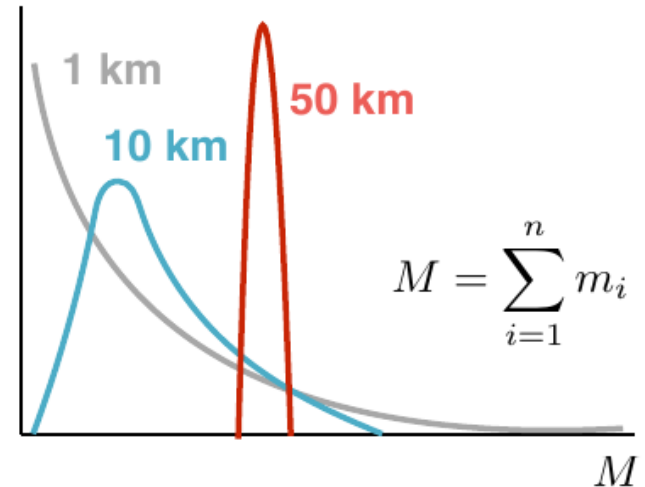
3) Predict **cloud ensemble properties**, then draw stochastic sample of clouds from distribution for each small grid cell

2) At higher resolution, grid box area **too small** to contain a complete ensemble of convective clouds - > mass flux no longer deterministic!

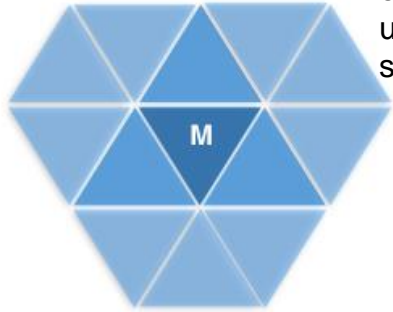
4) Average over individual clouds' mass flux in grid cell (m_i) is the "stochastically **perturbed mass flux**" used to calculate convective tendencies

- The **mass flux on large scales** (where traditional assumptions are a good approximation) is determined with the **classical parameterisation** (Tiedtke-Bechtold/IFS)
- At **individual grid points**, a **stochastic cloud ensemble** is generated whose mass flux (averaged across larger scales) converges to that of the classical parameterisation
- Bonus: The **ensemble automatically adapts to the grid resolution**. The smaller the grid spacing, the greater mass flux departures from the ensemble mean

$p(M)$



How is the cloud ensemble at a single grid point generated?



1) Mass flux representative of large scale is calculated using the Tiedtke-Bechtold scheme $\langle M \rangle$

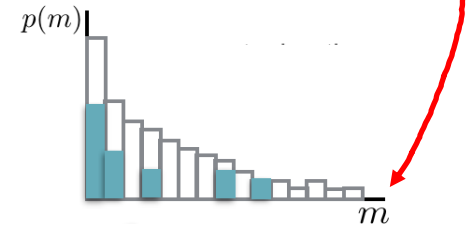
first call to convection

$$p(m) = \frac{k}{\lambda^k} m^{k-1} e^{-\left(\frac{m}{\lambda}\right)^k}$$

2) Construct the mass flux distribution. Distribution parameters include $\langle M \rangle$ and the Bowen ratio

3) Draw number of newly generated clouds from Poisson distribution

$$p(n) = \frac{\langle N \rangle^n e^{-\langle N \rangle}}{n!}$$



4) Add up mass flux (m) of individual clouds to get the grid box mean mass flux (M)

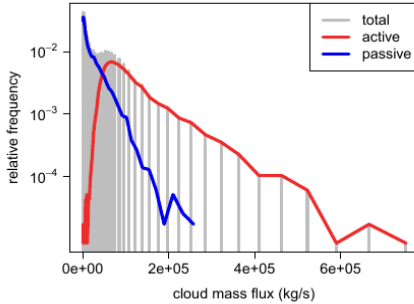
$$M = \sum_{i=1}^n m_i$$

5) Call Tiedtke-Bechtold scheme a second time (this time using the stochastically perturbed mass flux M) to generate convective tendencies

second call to convection



(a) cloud rate distribution



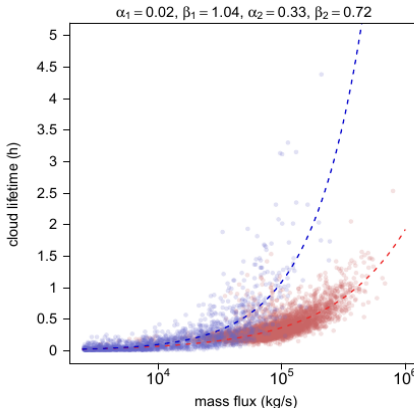
LES mass flux distribution has **two modes**:
active and passive Cu
Is well-approximated by a **mixed Weibull distribution**.

$$p(m) = \sum_{j=1,2} f_j \frac{k_j}{\lambda_j} \left(\frac{m_j}{\lambda_j} \right)^{k_j-1} e^{-(m_j/\lambda_j)^{k_j}}$$

LES studies show that the difference between **maritime** and **continental shallow convection** is determined largely by the **Bowen ratio**.

-> lambda(B)
k, beta constants from LES

(b) cloud lifetime



The **lifetime** of individual clouds depends on their mass flux – large clouds (with large mass flux) live longer.

$$\tau_i = \alpha_i m^{\beta_i}$$

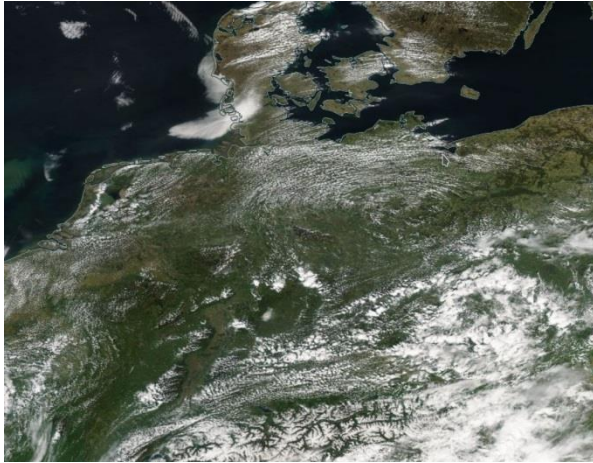
Sakradzija und Hohenegger 2017

The mass flux of **each individual cloud** within the grid cell is tracked over time.



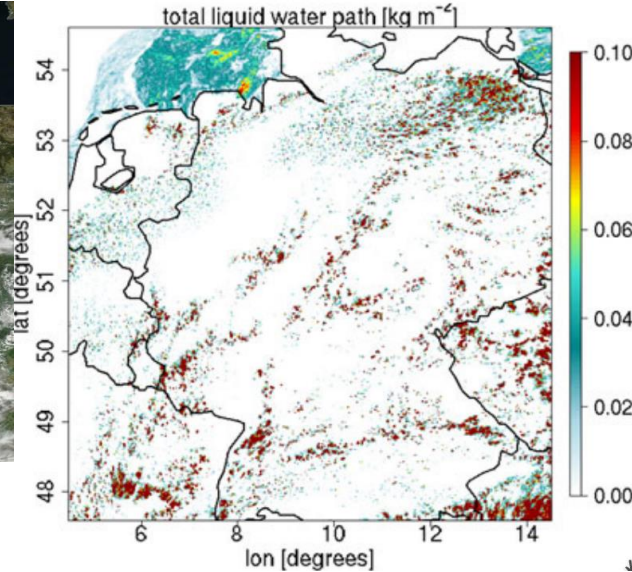
- We still assume that the traditional closure and parameterization holds for large scales
- The scheme is scale-adaptive, but does not necessarily converge at LES resolution (i.e. mass flux concept may be inappropriate at scales of $\sim 100\text{m}$)
- Two convection calls are necessary
- Two “flavours” of the scheme: explicit stochastic or stochastic differential equations. The first needs lots of memory (keeps track of individual clouds), the second needs four additional prognostic variables (simple restart possible!)
- Tendencies are calculated using the normal convective closure, i.e. tendencies are entirely consistent with model state
- Perturbations depend on large-scale state – e.g. no perturbations in non-convective areas, perturbations scaling with convection intensity in areas with convection.
- Mass flux limiters and resolution-dependent tuning parameters can (and must) be turned off for scheme to perform

Case study: 2013-05-05

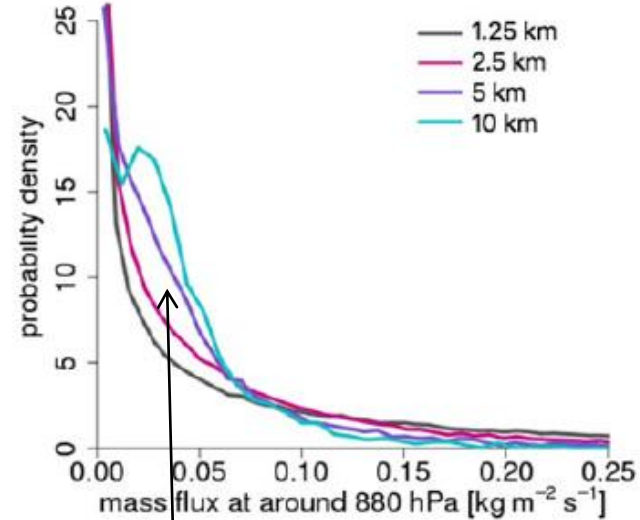


MODIS Aqua VIS

Day with shallow convection over Germany



Liquid water path

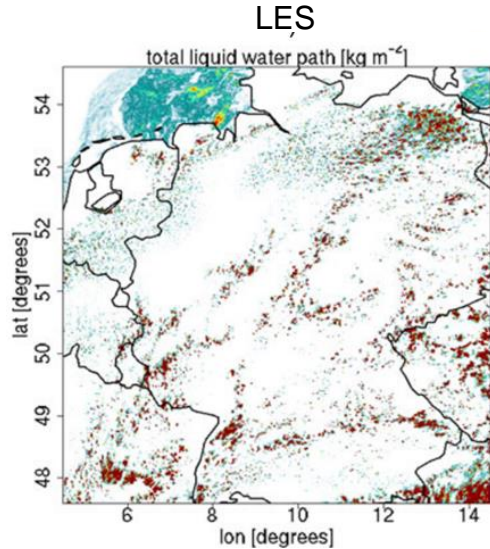


Expected scale-adaptivity of the mass flux

ICON LES reference

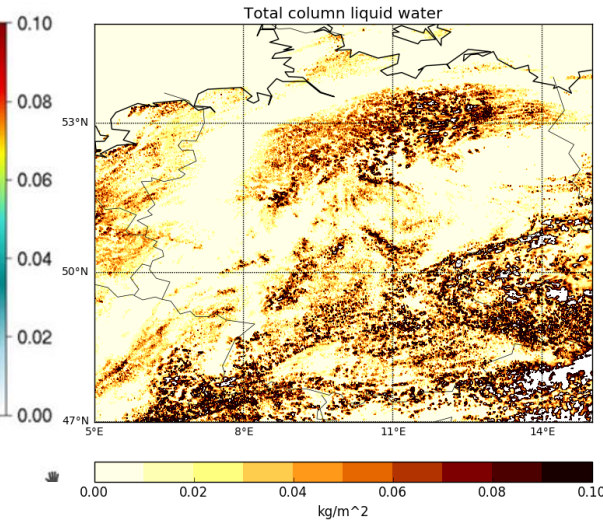


Stochastic convection scheme is able to reproduce characteristics of LES



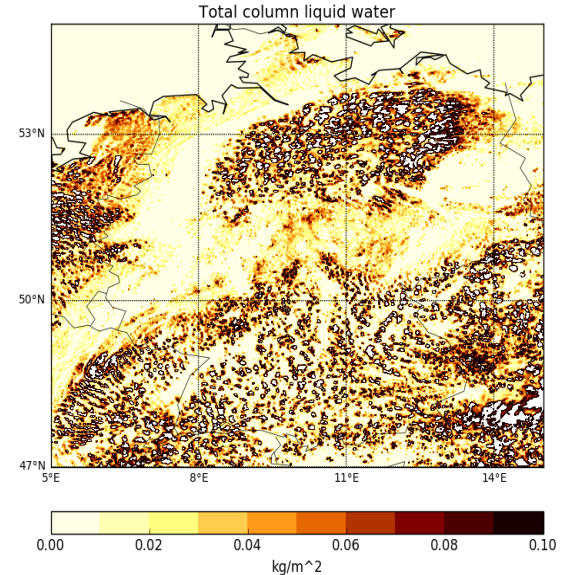
Sakradzija und Klocke 2018

stochastic convection



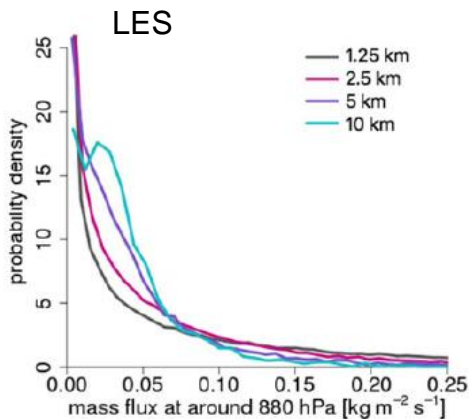
liquid water path

conventional convection*

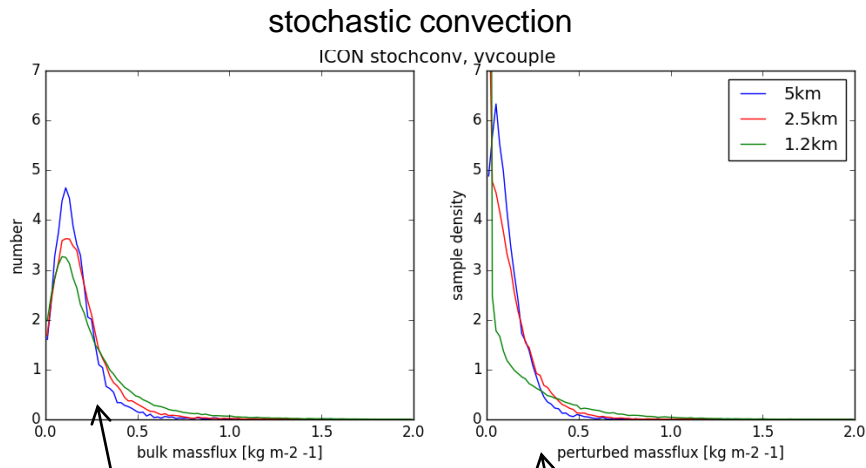


*without MF limiter or cloud tuning

Stochastic convection scheme is able to reproduce characteristics of LES



Sakradzija und Klocke 2018

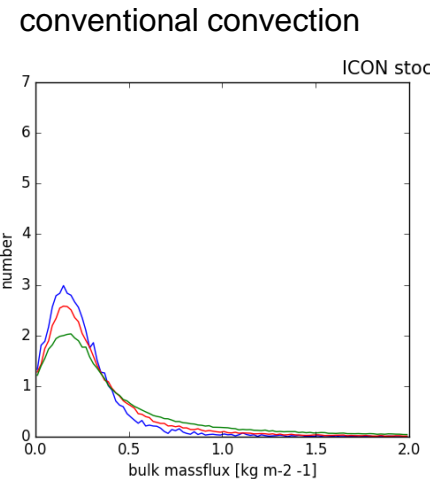


bulk mass flux

stochastic mass flux

should be scale-invariant if calculated at a fixed 50km scale, but isn't due to varying size of halo stencil with resolution

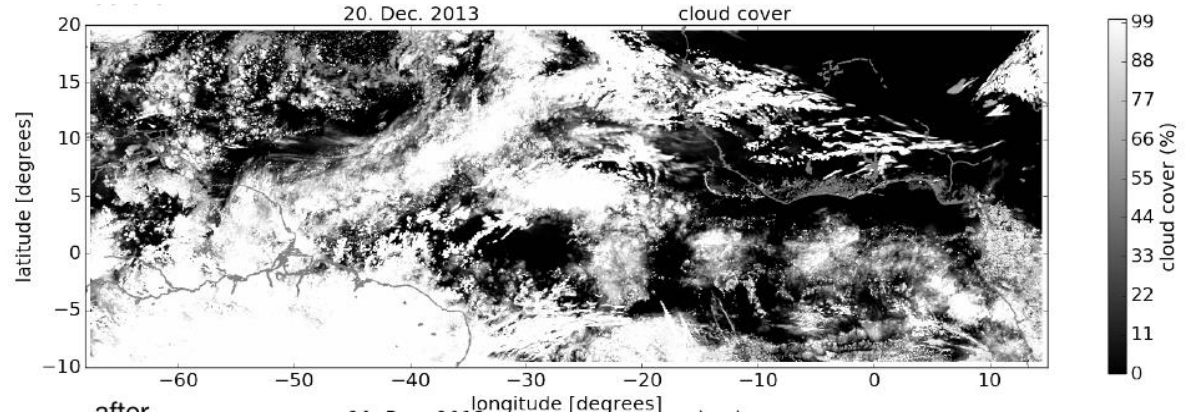
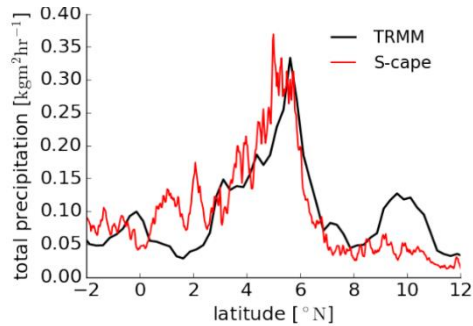
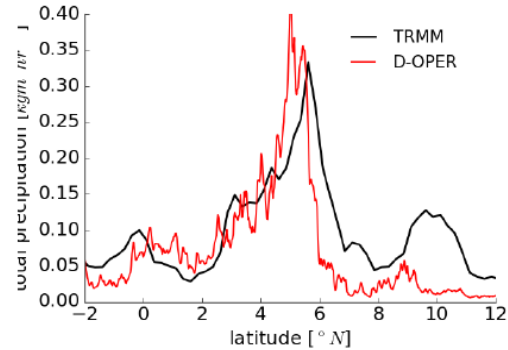
expected scale-adaptivity with more exponential-like perturbed mass flux distribution at higher resolution



effect of mass flux limiters



Cooperation mit Mirjana Sakradzija, Fabian Senf (Daniel Klocke, Leonhard Scheck)



Improved cloud cover and position/intensity of precipitation in the ITCZ

```
&nwp_phy_nml
```

```
lstoch_conv = .false. ! explicit stochastic scheme
```

```
lstoch_sde = .true. ! stochastic differential equations
```

```
lvvcouple = .false. ! use vertical velocity criterion to disallow shallow Cu parameterisation
```

```
lvw_shallow_deep = .false. ! use vv to differentiate between shallow/deep convection  
(default: use cloud depth)
```

```
lrestune_off = .true. ! switch off resolution-dependent tuning in convection scheme
```

```
luse_poisson = .true. ! draw from Poisson distribution, default (alternative: Gauss)
```

```
/
```

```
&io_nml
```

```
inextra_3d = 2 ! 3D extra variables
```

```
/
```

To enable piggy-backing: set lpassive in mo_nwp_conv_interface.f90

- Two “flavours” now quite consistent
- Testing so far largely in hindcast mode
- SDE probably more suitable for use in EPS since the state of the stochastic convection can be saved for restart with only 4 prognostic variables (rather than having to save the entire explicit cloud ensemble state)
- Currently performing further evaluation to assess performance