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A ‘new’ snow cover scheme for numerical weather prediction models (e.g. COSMO & ICON) (PT-SAINT: Status Report)

Sascha Bellaire¹, Varun Sharma³, Louise Braud¹, Michael Lehning^{2,3}, Jean-Marie Bettems¹

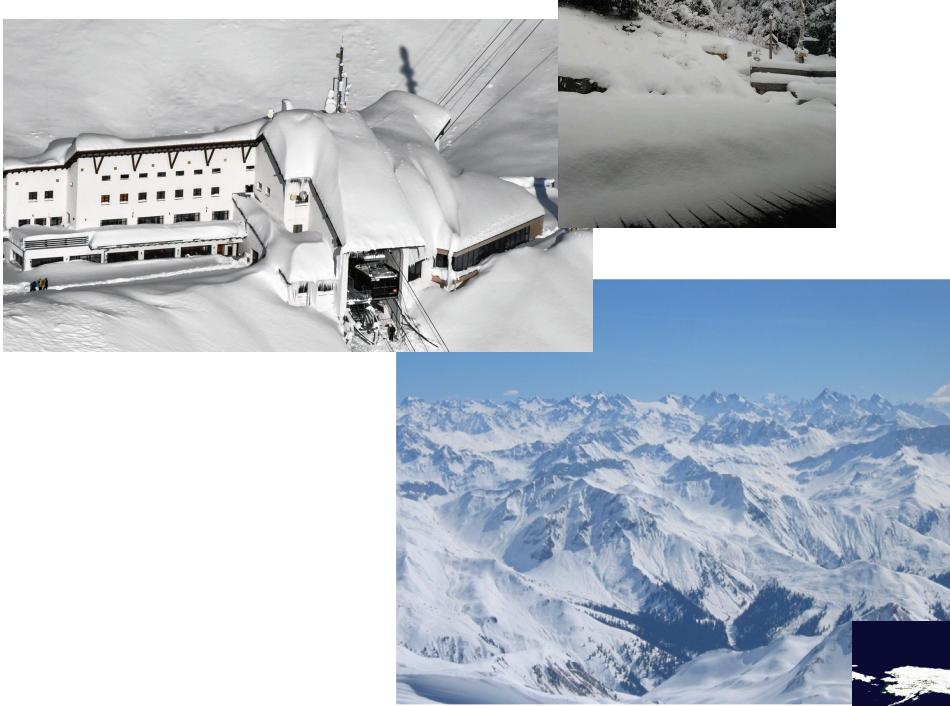
¹MeteoSwiss, Zurich, Switzerland

²WSL Institute for Snow and Avalanche Research SLF, Davos, Switzerland

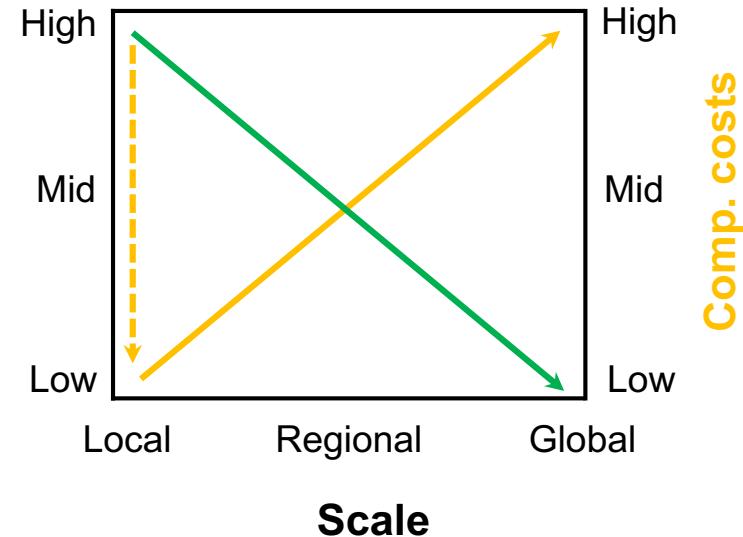
³CRYOS, School of Architecture, Civil and Environmental Engineering, EPFL, Lausanne, Switzerland



Snow modelling (earth system; scales)



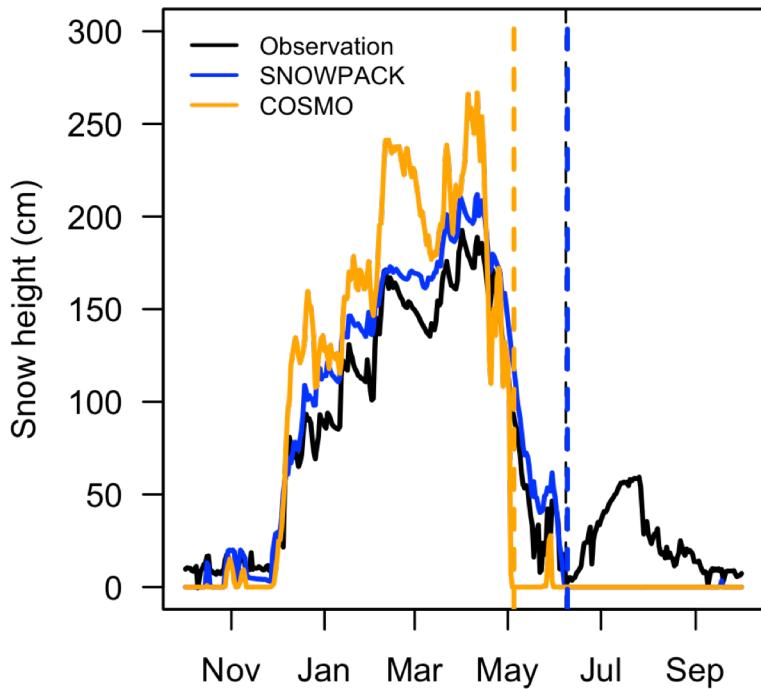
Model complexity



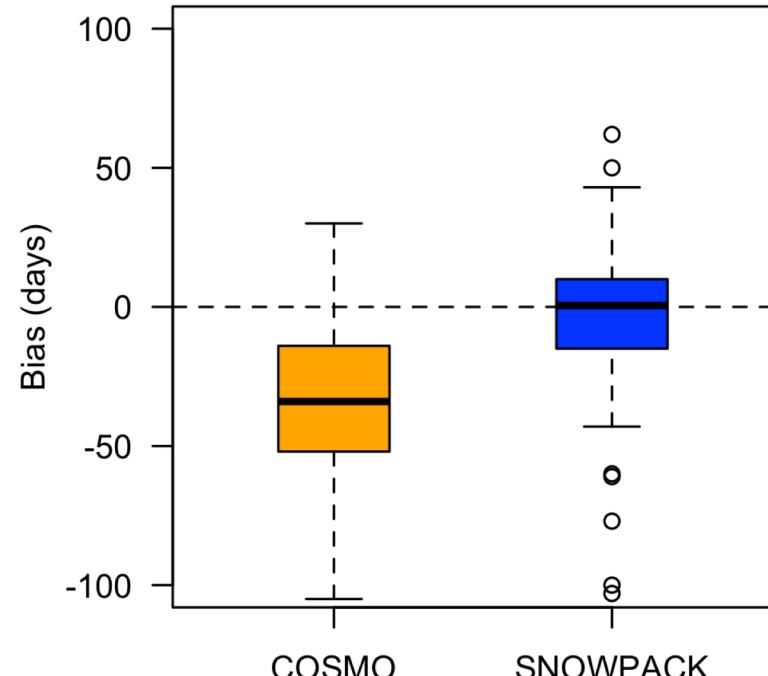


Snow height_(COSMO-2)

Weissfluhjoch

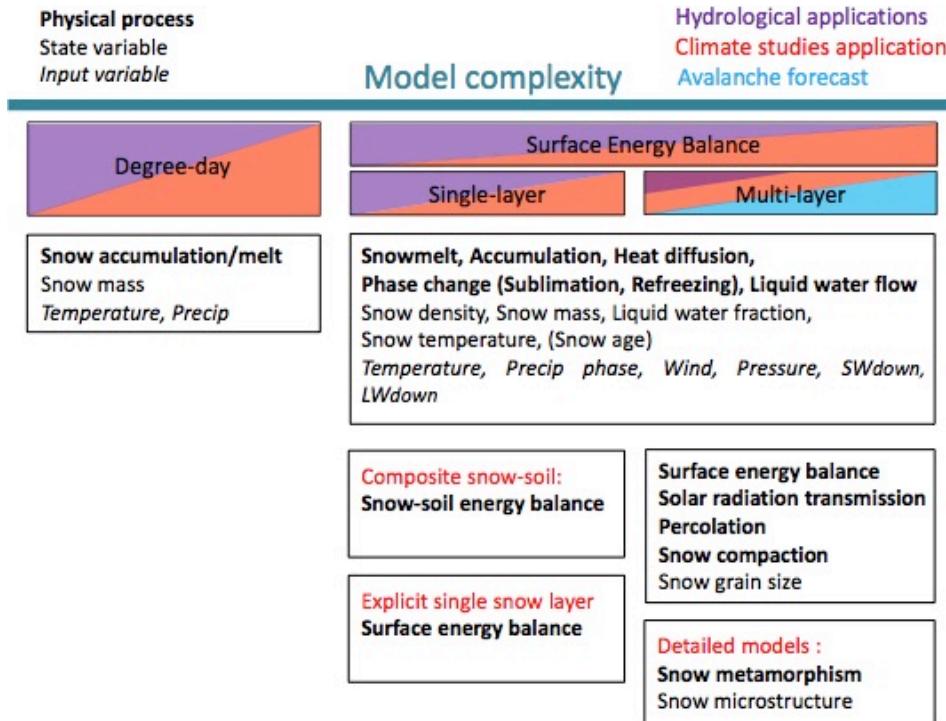


IMIS





Snow model complexity



CROCUS

SNOWPACK

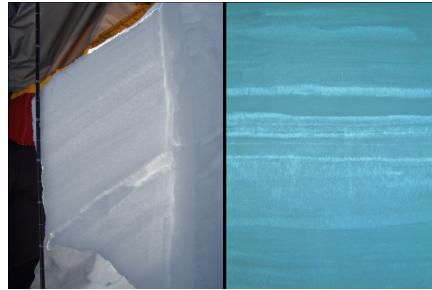
- ‘Good’ models must include ...
 - multiple layers
 - new snow density
 - surface energy balance (albedo, surface coefficients)
 - snowmelt/runoff equation
 - phase changes
 - water transport
 - compaction/settlement

SNOWPOLINO



Physical processes - Layering

SNOWPACK



θ : Volumetric Fraction (-)

ρ : Density (kg m^{-3});

s, i, w, a, v : subscripts for Snow, Ice, Water, Air, Vapor

$$\theta_i + \theta_w + \theta_a = 1$$

$$\rho_s = \rho_i \theta_i + \rho_w \theta_w + \rho_a \theta_a$$

Bulk Temperature Equation:

$$\rho_s c_p \frac{\partial T_s}{\partial t} - \frac{\partial}{\partial z} (k_{eff} \frac{\partial T_s}{\partial z}) = [Q_{pc}] + [Q_{mm}] + Q_{sw} ;$$

$[Q] = \text{W m}^{-3}$ Volumetric Heat Source

$$\rho_s c_p = \rho_i c_i \theta_i + \rho_w c_w \theta_w + \rho_a c_a \theta_a$$

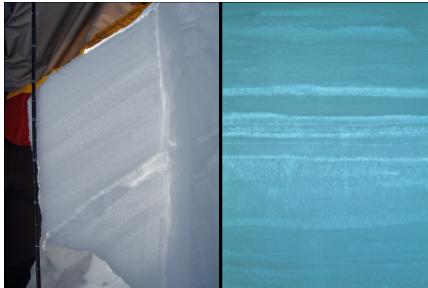
T_s : Temperature of Snow (K)

c_p : Heat Capacity ($\text{J kg}^{-1} \text{K}^{-1}$)

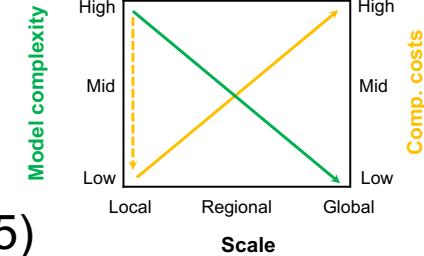
k_{eff} : Effective Thermal Conductivity ($\text{W m}^{-1} \text{K}^{-1}$)



Physical processes - Layering



- Multi-layer scheme
- Number of layers pre-defined ('default' 25)
- Max. thickness new layer 0.02 m min. 0.0025 m



Snowfall:

- New snow amounts ≥ 0.02 m new layer added ...
- ... until max. number of snow layers is reached ...
- ... second layer from bottom, i.e. above soil, merged with bottom layer ...
- ... layers are 'shifted' downward accordingly.

Melt:

- If layers thickness ≤ 0.0025 m, layer gets merged with bottom layer.
- If number of layers smaller than pre-defined value, bottom layer gets split $dz_{(1)} = dz_{(1)} - 0.02$ m ; $\theta(1)_{i,w,a} = \theta(2)_{i,w,a}$
- Layer boundaries are 'shifted' upwards and levels adjusted accordingly.



Physical processes – New snow density_(SNOWPACK)



$$\rho_s = 10^x$$

RH = relative humidity = 0.8

T_a = air temperature (°C)

UV = wind speed (m/s) ; max. 2.0

If T_a < -14 °C

$$x = a + b * T_a + c * (\text{ASIN}(\text{SQRT}(RH)) + d * \text{LOG}_{10}(UV))$$

Else

$$x = a + b * T_a + c * (\text{ASIN}(\text{SQRT}(RH)) + d * \text{LOG}_{10}(UV) + e)$$

Coefficients: a = 3.28 ; b = 0.03; c = -0.75 ; d = 0.3; e = -0.36



Physical processes – Heat Equation

1D heat equation:

$$\frac{\partial T}{\partial t} = \alpha \frac{\partial^2 T}{\partial x^2}; \quad 0 \leq x \leq L; \quad t \geq 0$$

- Implicitly: Crank-Nicholson
- Setup a tridiagonal matrix for set of linear equations for each layer.
- Solved using the Thomas-Algorithm

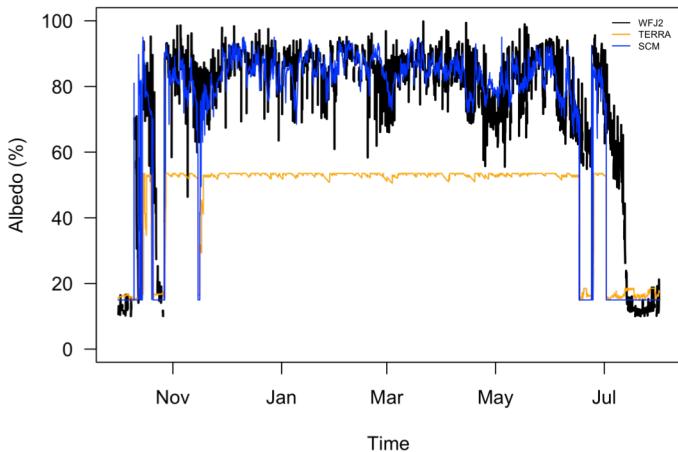
```
! -----
! Setup tridiagonal matrix for set of linear equations for each layer ...
! -----  
DO ksn = -top+1, n_substrate  
  
IF(ksn .EQ. -top+1) THEN ! ... TOP LAYER  
  
dz_low = zm(ksn+1) - zm(ksn)  
  
a(ksn) = 0.0_wp  
b(ksn) = 1 + (1.0_wp - cn) * alpha(ksn) * hcon(ksn)/dz_low - alpha(ksn) * dlw_u_sn  
c(ksn) = - (1.0_wp - cn) * alpha(ksn) * hcon(ksn)/dz_low  
  
d(ksn) = t(ksn) + alpha(ksn) * (for_sn - d1)  
  
ELSEIF (ksn .LE. n_substrate-1) THEN ! ... INNER  
  
dz_up = zm(ksn) - zm(ksn-1)  
dz_low = zm(ksn+1) - zm(ksn)  
  
a(ksn) = - (1.0_wp - cn) * alpha(ksn) * hcon(ksn-1)/dz_up  
b(ksn) = 1.0_wp + (1.0_wp - cn) * alpha(ksn) * (hcon(ksn) /dz_low + hcon(ksn-1)/dz_up)  
c(ksn) = - (1.0_wp - cn) * alpha(ksn) * hcon(ksn) /dz_low  
  
d(ksn) = t(ksn) + cn*alpha(ksn) * (hdif(ksn) - hdif(ksn-1))  
  
ELSEIF (ksn .EQ. n_substrate) THEN ! BOTTOM LAYERS  
  
dz_up = zm(ksn) - zm(ksn-1)  
  
a(ksn) = - (1.0_wp - cn) * alpha(ksn) * hcon(ksn-1)/dz_up  
b(ksn) = 1.0_wp + (1.0_wp - cn) * alpha(ksn) * hcon(ksn-1)/dz_up  
c(ksn) = 0.0_wp  
  
!d(bot_idx) = t(bot_idx) - cn*alpha(bot_idx-1) + alpha(bot_idx)*hdif(bot_idx)  
d(ksn) = t(ksn) - cn*alpha(ksn)*hdif(ksn-1) + alpha(ksn)*hdif(ksn)  
  
ENDIF  
  
ENDDO
```

Atmospheric forcing



Physical processes – Atmospheric forcing (Albedo)

Measured vs. modeled Albedo



```
REAL (KIND=vpp), PARAMETER :: &
  a1 = 0.9_vpp      , & ! coefficients for the albedo parameterization
  a0 = 0.6_vpp

! -----
! Calculate albedo
!
! UKMO GCM
IF(t_sn_sfc - 273.15_vpp .LE. -2.0_vpp) THEN
  alpha_sn = a1
ELSE
  alpha_sn = a1 - 0.15_vpp*(a1-a0)*((MIN(t_sn_sfc, t0_melt) - 273.15_vpp) + 2.0_vpp)
ENDIF
```

$$\alpha_{SCM} = a + b \times P_{rate} + c \times T_{SFC} - d \times T_{10m}$$

P_{rate} = Precipitation Rate

T_{SFC} = Snow Surface Temperature

T_{10m} = Air temperature 10m



Physical processes – Atmospheric forcing (Turb. Fluxes)

[Boundary-Layer Meteorology](#)

October 2017, Volume 165, [Issue 1](#), pp 161–180 | [Cite as](#)

How do Stability Corrections Perform in the Stable Boundary Layer Over Snow?

Authors

[Authors and affiliations](#)

Sebastian Schlögl , Michael Lehning, Kouichi Nishimura, Hendrik Huwald, Nicolas J. Cullen, Rebecca Mott

Stability Corrections:

$$\psi_m(T, T_{sn}, \bar{U}) = a_1 B + b_1 S,$$

$$\psi_s(T, T_{sn}, \bar{U}) = a_2 B + b_2 S,$$

$$H = \rho c_p C_H \bar{U} \Delta \theta,$$

Transfer Coefficient:

$$C_H = \frac{k^2}{\left[\ln\left(\frac{z_{ref}}{z_{0M}}\right) - \psi_m(\zeta) \right] \left[\ln\left(\frac{z_{ref}}{z_{0M}}\right) - \psi_s(\zeta) \right]},$$

where $k = 0.4$ is the von Kármán constant, $\zeta = (-k z_{ref} g T_*) / (\theta_s u_*^2)$ is the modelled stability parameter (stability parameter henceforth), $u_* = k \bar{U} (\ln(z_{ref}/z_{0M}) - \psi_m)^{-1}$ is the modelled friction velocity, $T_* = k (\theta_s - \theta_{z_{ref}}) (\ln(z_{ref}/z_{0M}) - \psi_s)^{-1}$ is the modelled temperature scale, z_{0M} is the aerodynamic roughness length and ψ_m and ψ_s are the stability corrections for momentum and scalars. In our analysis, we used the simple approach that the roughness

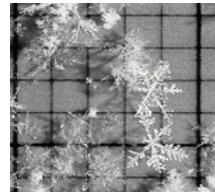
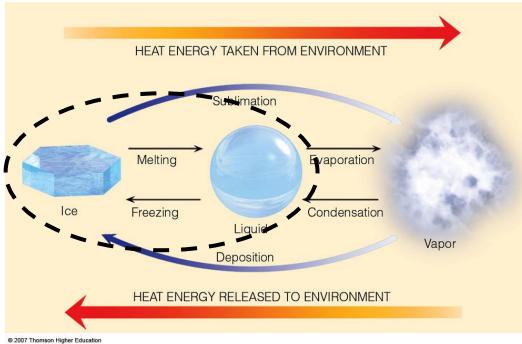
$$B = \Delta T / \bar{T}$$

$$S = z_{ref} g / \bar{U}^2$$

test site	a_1	b_1	test site	a_2	b_2
WFJ07 (3 m)	3.227	0.0043	WFJ07 (3 m)	-982.90	-0.0005
WFJ07 (5 m)	-4.441	0.0025	WFJ07 (5 m)	-642.51	0.0009
WFJ11	-30.74	0.0008	WFJ11	-1135.4	-0.0015
PM07 NWW	-191.93	0.0008	PM07 NWW	-751.73	-0.0005
PM07 SEE	-29.55	0.0090	PM07 SEE	-692.74	-0.0123
GR00 (1 m)	-145.41	-0.0914	GR00 (1 m)	-378.92	-2.0489
GR00 (2 m)	-179.56	-0.0369	GR00 (2 m)	-243.93	-0.7448
Universal	-65.35	0.0017	Universal	-813.21	-0.0014



Physical processes – Phase Changes (SNOWPACK)



precipitation particles



melt-forms

- Calculate ‘hypothetical’ temperature.
- Determine mass changes due to phase change and associated energy.

$$\Delta T = T_s - T_{melt}$$

$$\Delta \theta_w = \frac{c_s \theta_i \rho_i \Delta T}{L_f \rho_w}$$

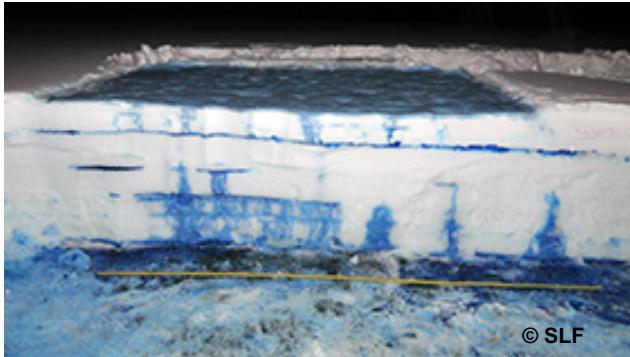
$$\Delta \theta_i = \frac{\rho_w \Delta \theta_w}{\rho_i}$$

$$Q_{pc} = \Delta \theta_i \rho_i L_f$$

$$L_f = 334 \frac{J}{kg}$$



Physical processes – Water transport_(Bucket Model)



- Bucket model (1:1 from SNOWPACK)
- Estimate residual water content
(Coleou and Lesaffre, 1998)
- Percolate excess water, i.e. water larger than residual water content down the domain
(layer to layer; bucket to bucket)
- Layer temperature set to 273.15K
- Excess water at snow/soil interface is stored.



Physical processes – settling/densification

$$\Delta\theta_i = \frac{\rho_w \Delta\theta_w}{\rho_i}$$

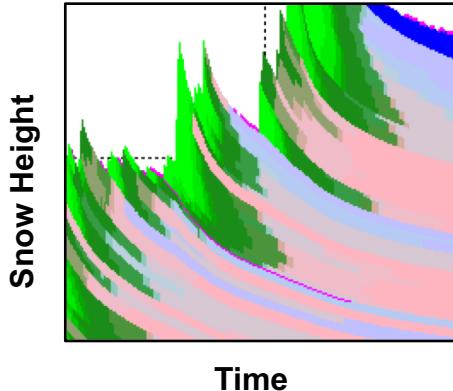
‘+’

$$\frac{dD}{D} = \frac{-\sigma}{\eta} dt$$

The detailed snowpack scheme Crocus and its implementation in SURFEX v7.2

V. Vionnet, E. Brun, S. Morin, A. Boone, S. Faroux, P. Le Moigne, E. Martin,
J.M. Willemet

change of layer thickness (melt) + change of layer thickness due to ..



$$\sigma_i = \sum_1^{i-1} g \cos(\Theta) \rho(i) D(i)$$

... overburden stress

$$\eta = f_1 f_2 \eta_0 \frac{\rho}{c_\eta} \exp(a_\eta(T_{\text{fus}} - T) + b_\eta \rho)$$

... snow viscosity

correction factors for ...

$$f_1 = \frac{1}{1 + 60 \frac{W_{\text{liq}}}{\rho_w D}}$$

$$f_2 = \min [4.0, \exp(\min(g_1, g_s - g_2)/g_3)]$$

... presence of water

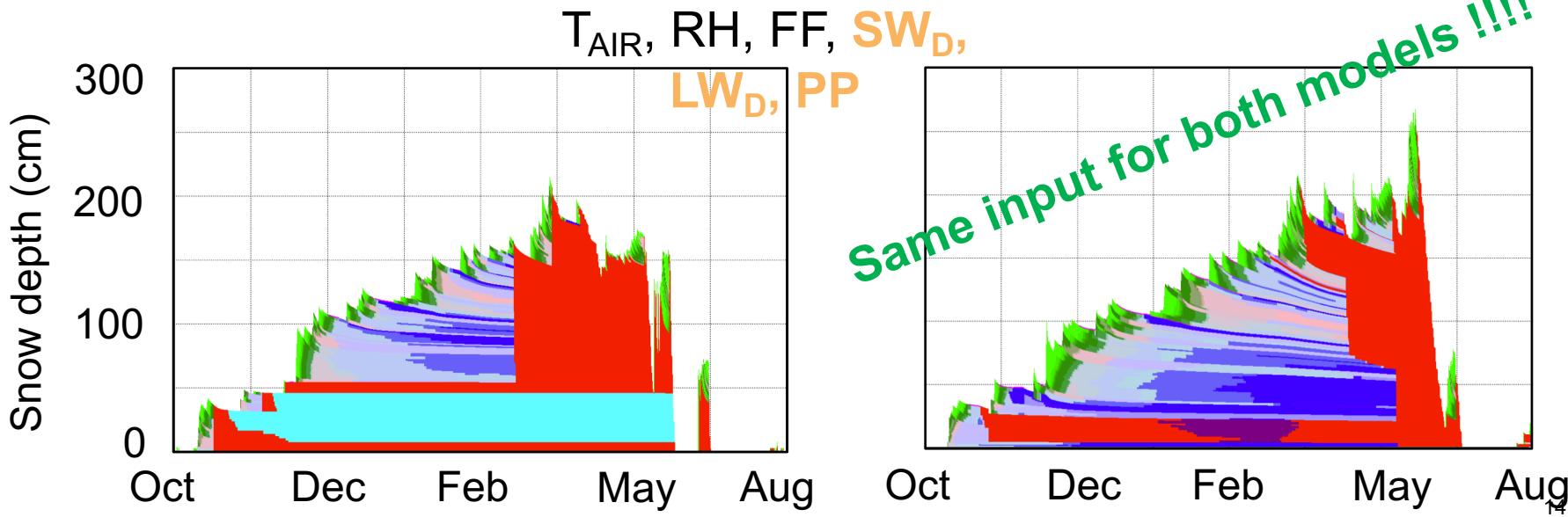
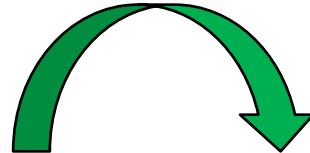
... microstructure



Testing (SNOWPACK vs. SNOWPOLINO)

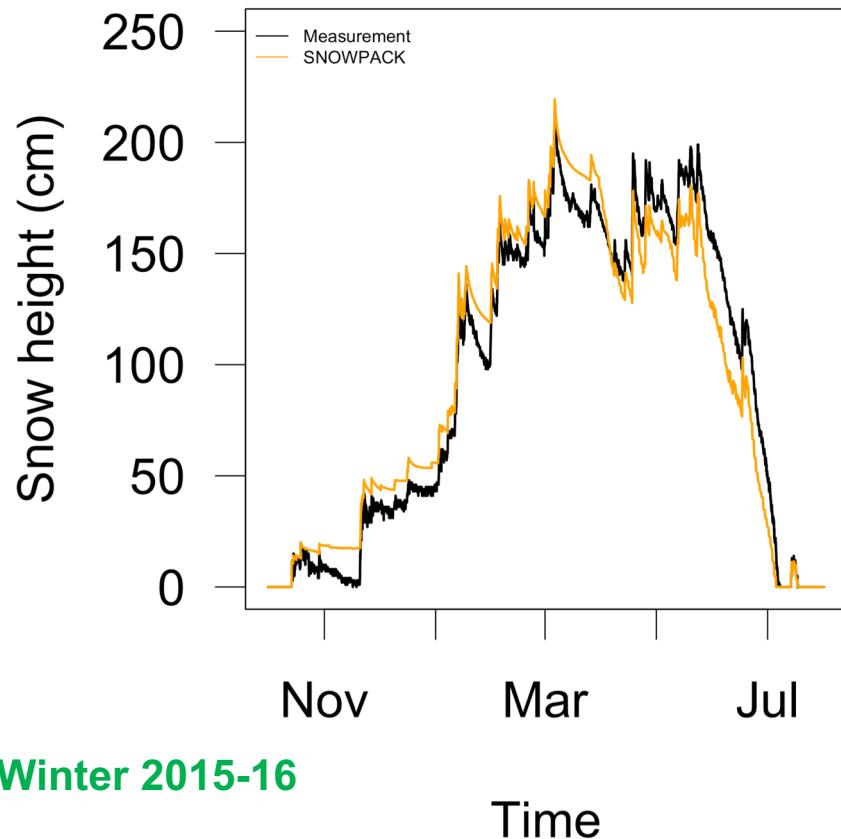


T_{AIR} , RH, FF,
 SW_U , T_{SNOW} , H_{SNOW}



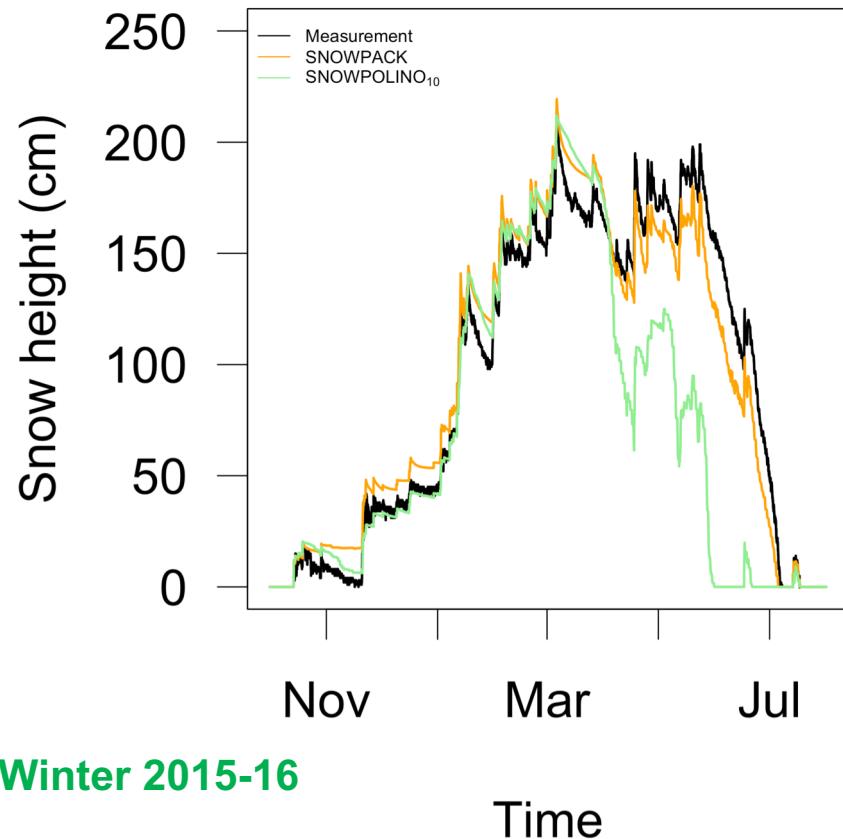


Snow height (local) – Sensitivity (# layers)



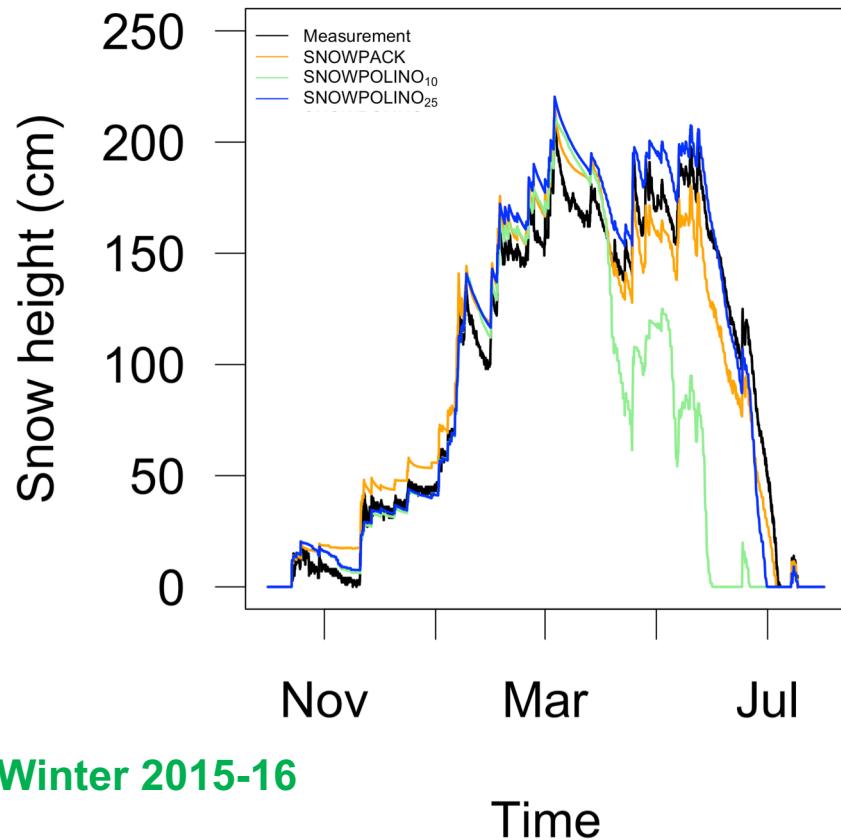


Snow height (local) – Sensitivity (# layers)



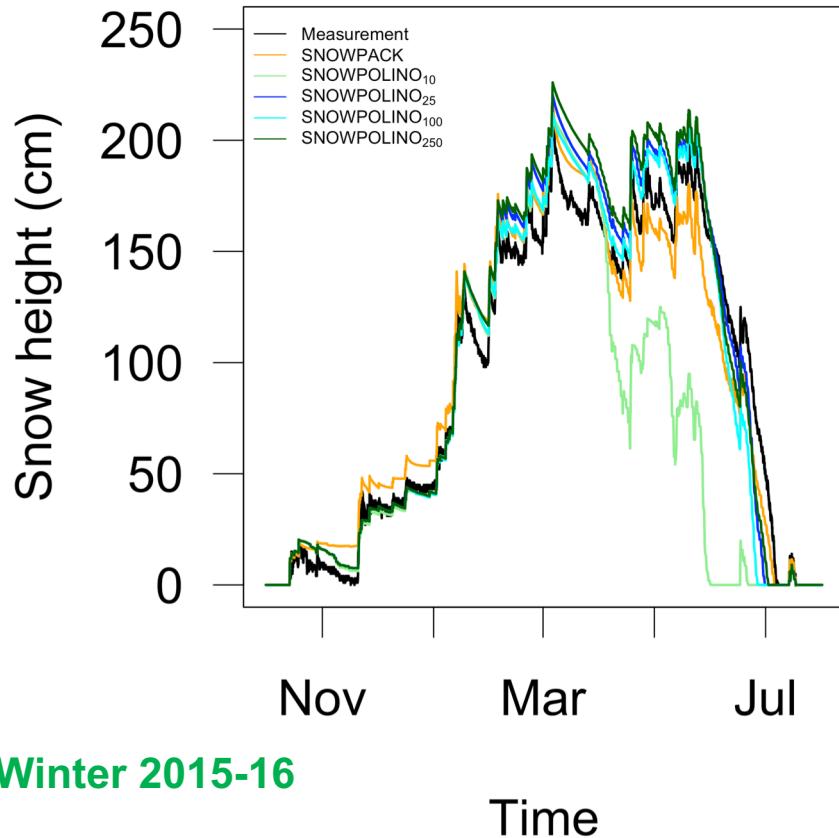


Snow height (local) – Sensitivity (# layers)





Snow height (local) – Sensitivity (# layers)

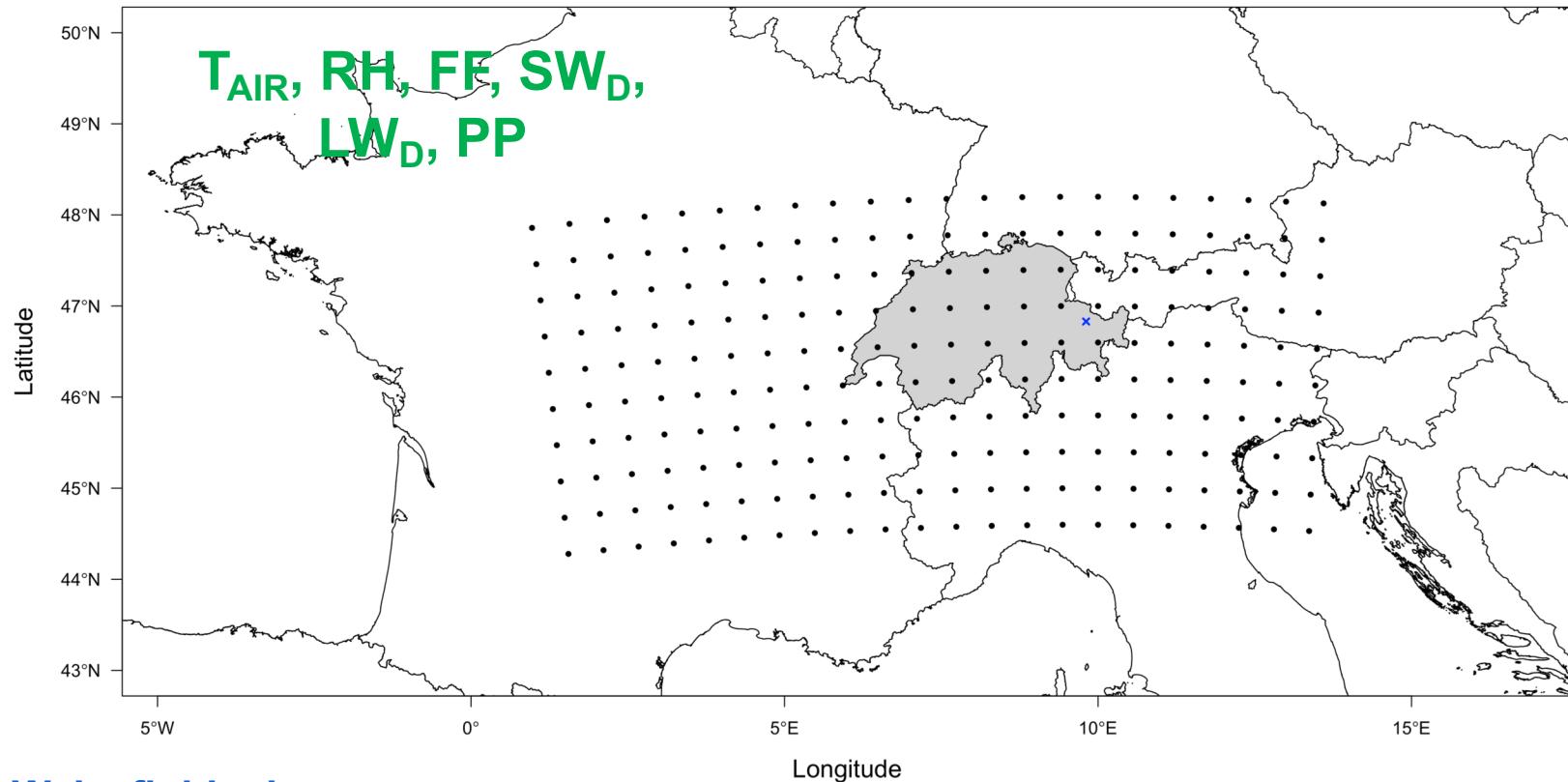


Runtime

# Layers	Time	Percent
-	s	%
10	4.6	69
25	6.6	100
100	16.9	256
250	43.2	655



Snow height (regional) - COSMO-1 Analysis/SNOWPOLINO

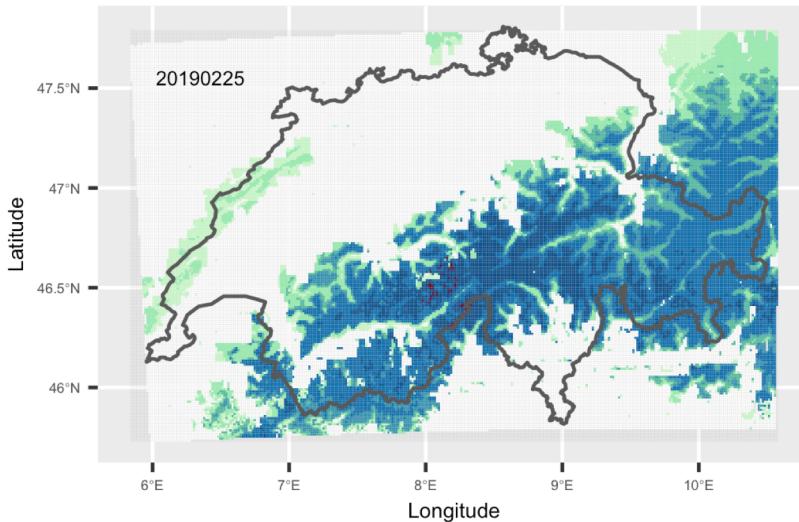


x = Weissfluhjoch

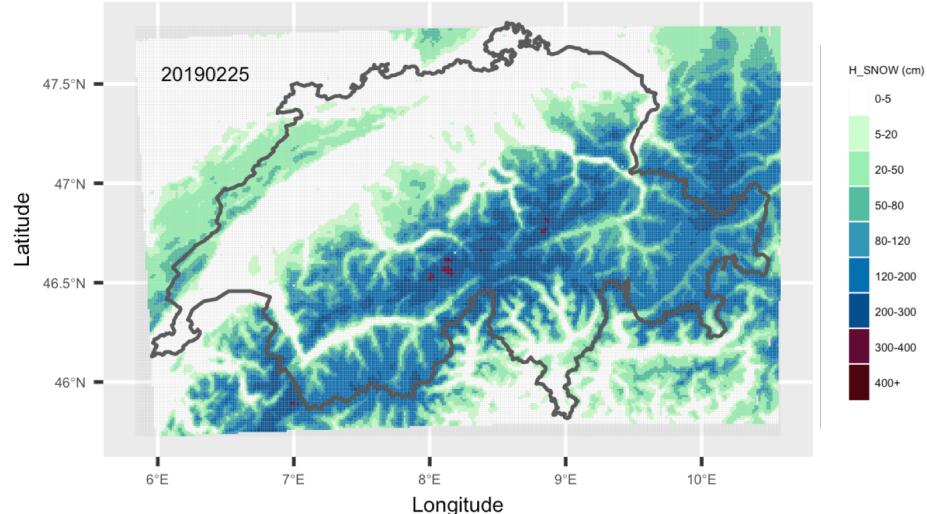


Snow height (regional)

COSMO-1 (Analysis)



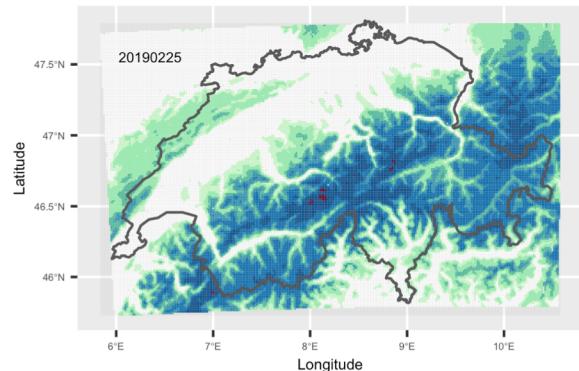
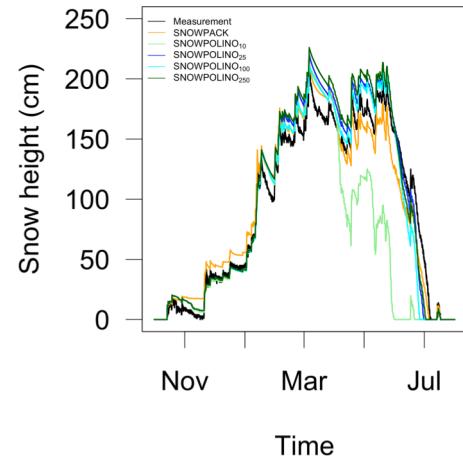
SNOWPOLINO





Summary & Conclusion

- ‘New’ (**GPU capable**) multi-layer snow cover scheme (SNOWPOLINO) was implemented into COSMO - **v6.0 ready!**
- Minor to major adaptations; e.g. implementation, tuning, switches – v6.1
- Main physical parametrizations (i.e. phase change, water transport) were taken or adapted mainly from the sophisticated snow cover model SNOWPACK.
- Scheme is switchable (**namelist option; Isnow**) and no. of layers can be chosen (default currently n=25).
- Local (offline) validations of SNOWPOLINO shows **comparable results to SNOWPACK**.
- Spatial validation (online) shows ... (**stay tuned**)
- **Operational implementation (MCH) – Winter 2020/2021**





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Thank you!

Questions or Comments?

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Contact: sascha.bellaire@meteoswiss.ch



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Future snow analysis

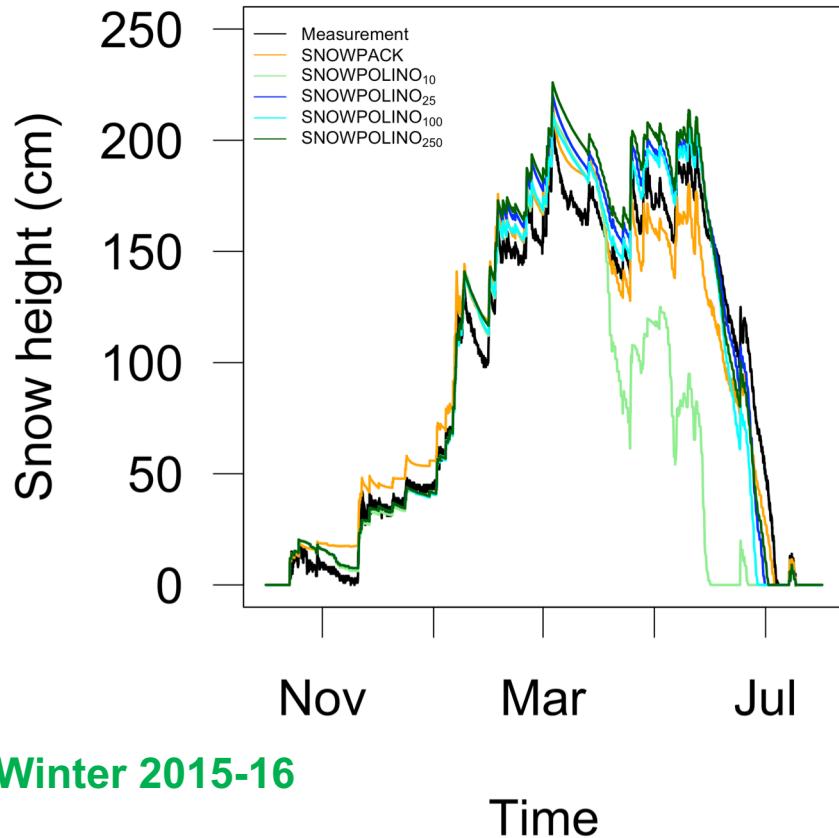
(MCH - Tentative plan)

Sascha Bellaire, Louise Braud, Jean-Marie Bettens

MeteoSwiss, Zurich, Switzerland

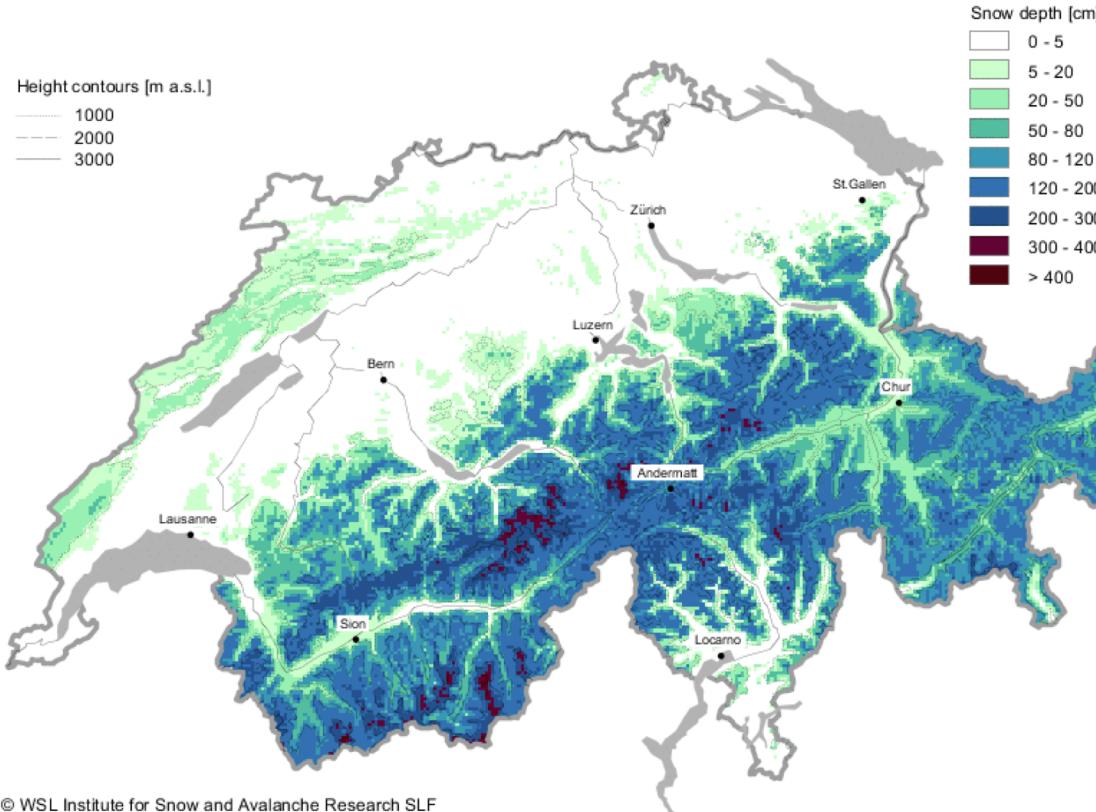


Snow height (local) – Sensitivity (# layers)



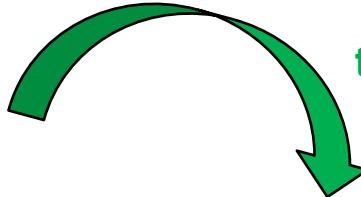
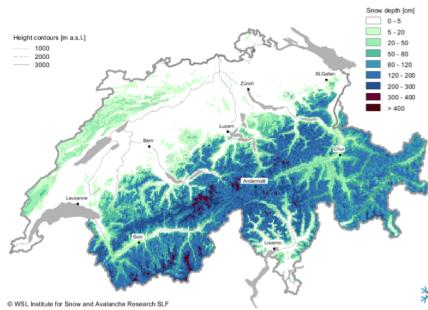


Snow Analysis – What do we need?

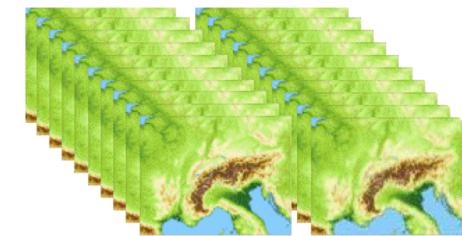
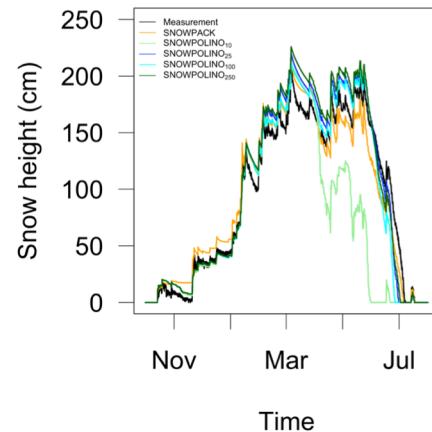




Snow Analysis – SLF_(?OSHD?) MCH products

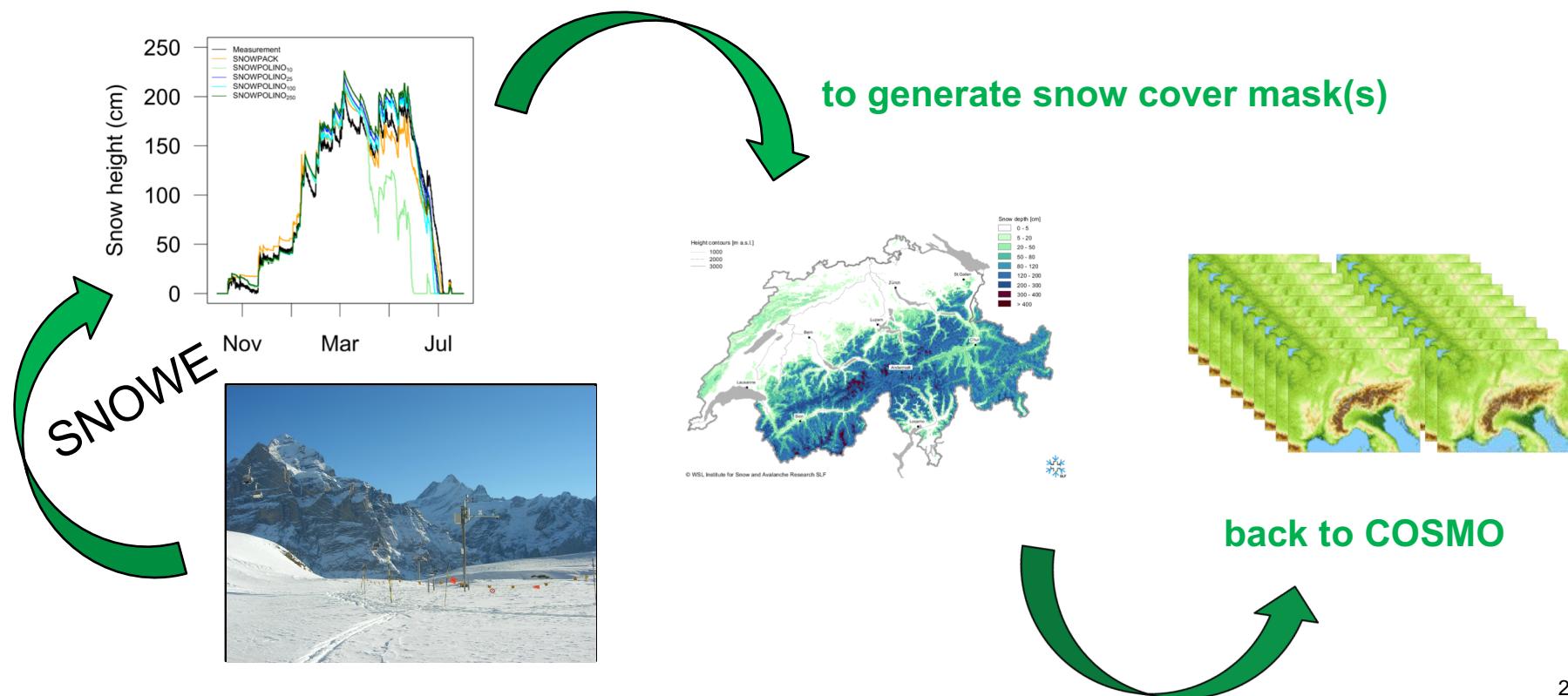


to SNOWPOLINO





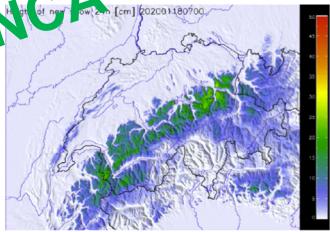
Snow Analysis – What's the alternative?



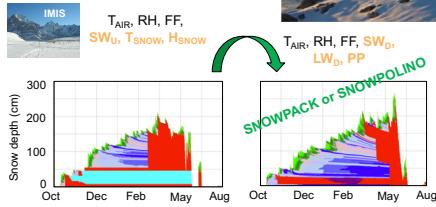


Snow Analysis – What's the alternative?

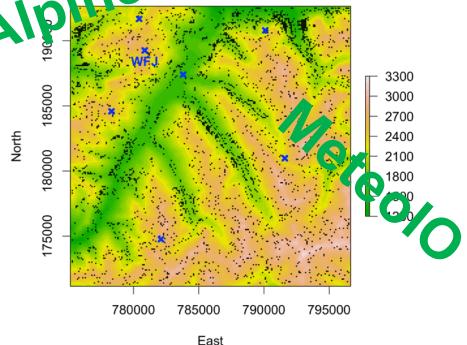
INCA



AWS



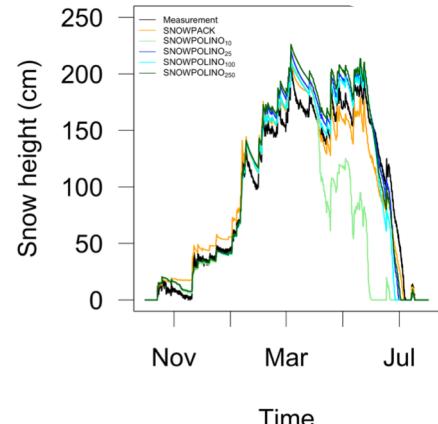
Alpine3D



SMRT: an active–passive microwave radiative transfer model for snow with multiple microstructure and scattering formulations (v1.0)



T_{AIR}, RH,
FF, SW_D,
LW_D, PP





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Introduction: Model complexity vs. Costs

