

A first Case Study of 3-Dimensional Turbulence with full Metrics in the Very Short Range Forecast Model LMK

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LMK - (LM-Kürzestfrist)

Goal: NWP-system for very short range forecasts on the meso- γ scale

- better representation of deep moist convection
- fine scale topography

Development areas:

- Assimilation of radar data by Latent Heat Nudging (LHN)

→ lecture Klink, Stephan, Schraff

- Quality-controlled radar data (DXQ)

- LM improvements and adaptations

- Numerical schemes

→ lecture Förstner, Baldauf, Seifert

- Physical parameterisations

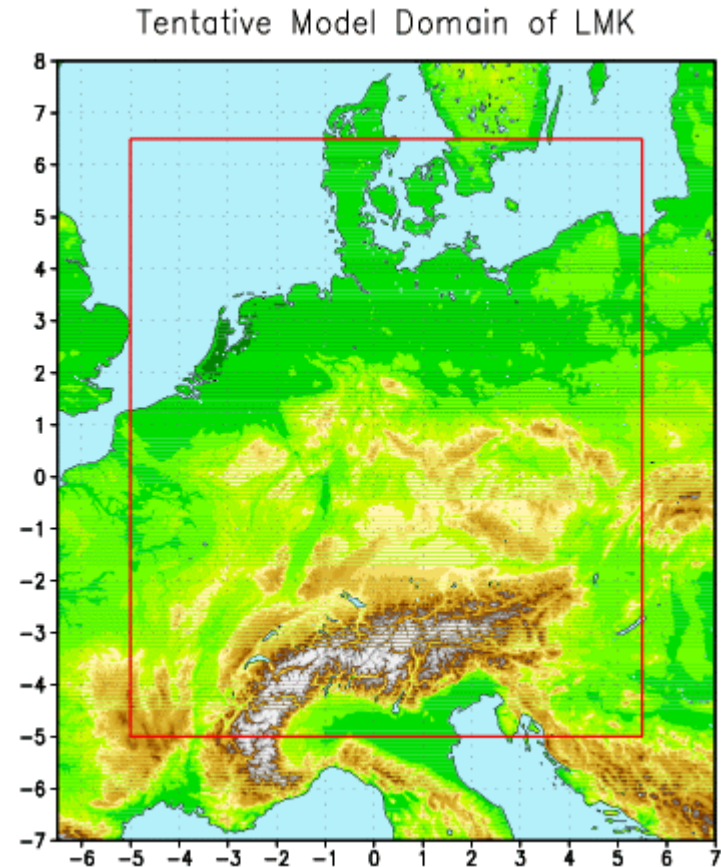
→ lecture Baldauf (Adv. Num. Sem.)

- Verification

- traditional Synop, Temp-Verif.
- by radar and satellite data

LMK-Configuration

- grid length: $\Delta x = 2.8$ km
 - direct simulation of the coarser parts of deep convection (!?)
 - interactions with fine scale topography
- timestep $\Delta T = 30$ sec.
- 421 x 461 x 50 grid points
lowest layer in 10 m above ground
- center of the domain 10° E, 50° N
- boundary values from LM / LME
($\Delta x = 7$ km)



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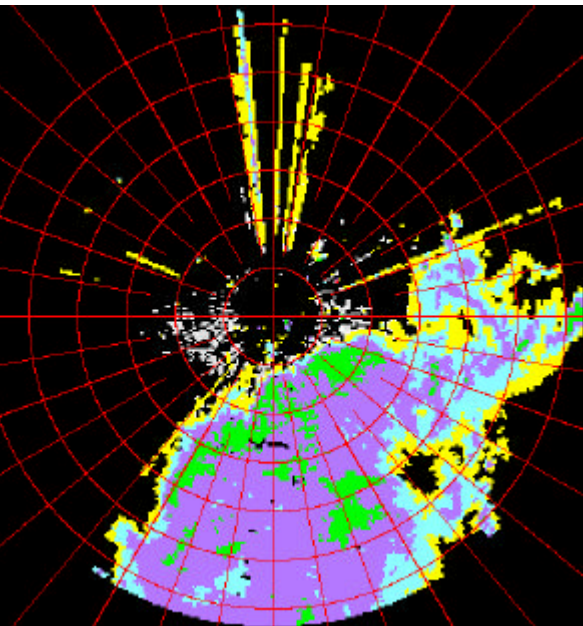
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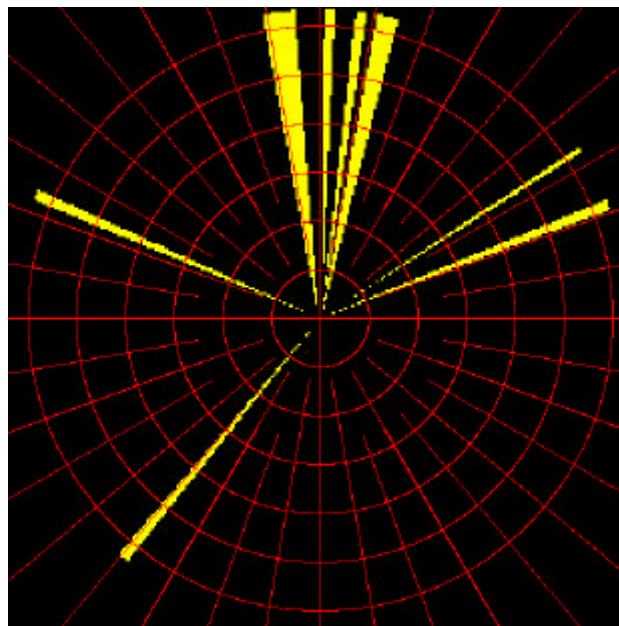
DXQ (example: spoke recognition algorithm)

Berlin 21.06.2005 22:10 UTC

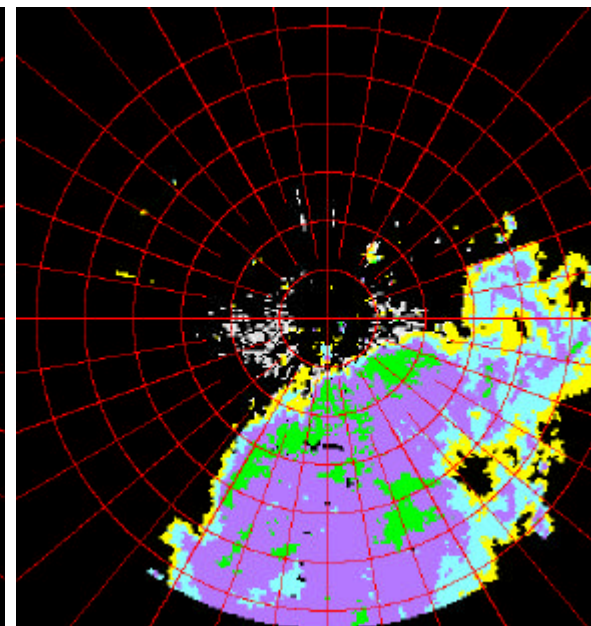
Original



'Pos. 3' of DXQ



nach Speichenerkennung



LHN

K. Helmert, B. Hassler

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- Physical parameterisations

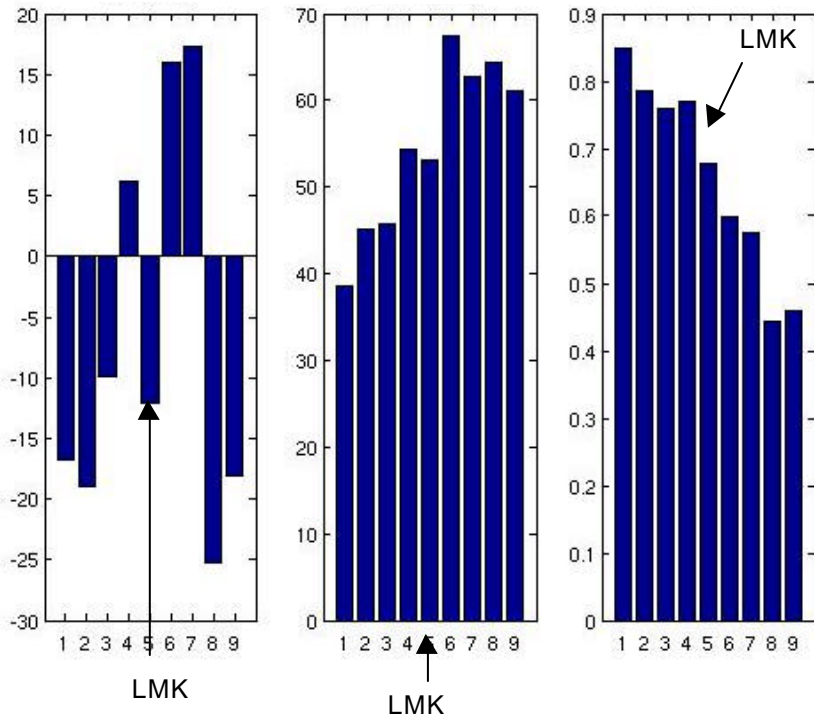
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precipitation scores:

Bias (mm) RMSE (mm) Correl. coeff.



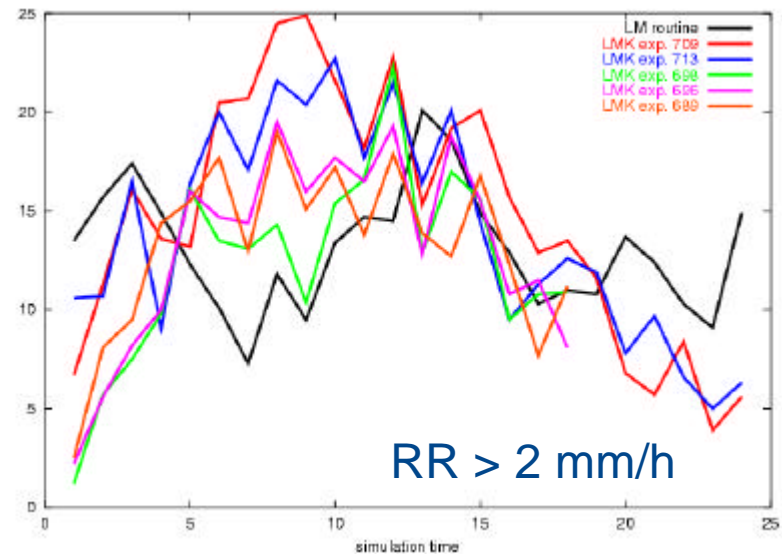
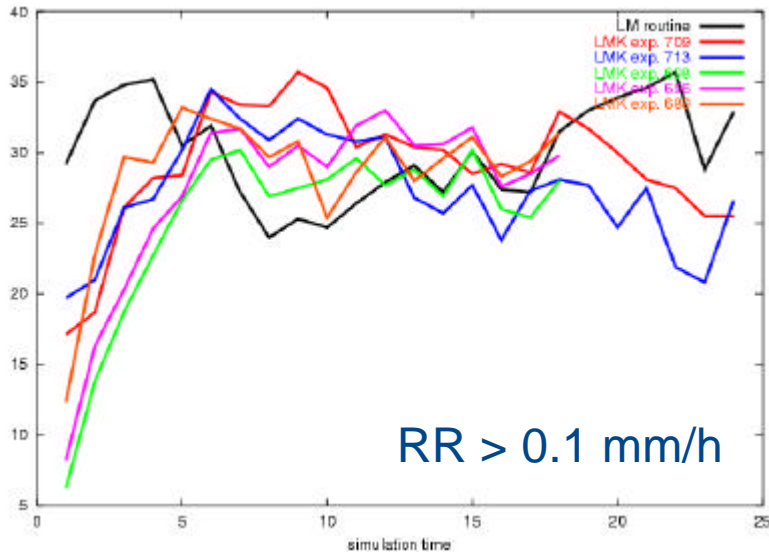
model intercomparison:
MAP IOP 2b
(„19./20.09.1999“)
heaviest RR during MAP
(300mm / 30 h)

- 1: MM5
- 2: WRF
- 3: MOLOCH
- 4: Més0-NH
- 5: LMK
- 6: Aladin oper. 1999
- 7: Arpège oper. 1999
- 8: EZMW oper. 1999
- 9: EZMW oper. 2002 with MAP-reanalysis

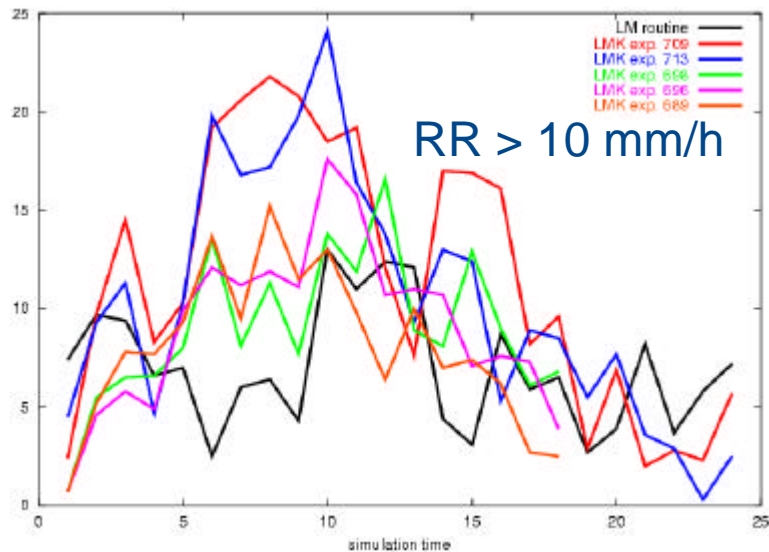
--> LMK performs not bad !:

- bias less than for the most other models
- correlation & RMSE better than for operational forecasts, worse than for (tuned?) science models.

T. Reinhardt



=TS 2.2
=TS 2.2b
=TS 1.7
=TS 1.6
=TS 1.5



TSS for precipitation

Juli 2004, 12 UTC runs

LMK: averaging to the 9 neighbouring grid points

C.-J. Lenz

Project LMK: time table

- **Summer 2003** Start of the project 'LMK'
- **End 2003** First Testsuite with 2.8 km resolution
- **End 2004** First Testsuite with data assimilation
- **March 2006:** Prototype-Version of LMK-Systems with LHN 'Summer 2005' (Testsuiten 3.x).
- **March 2006:** DXQ-Komposit operational
- **Mai 2006:** Start of the pre-operational test phase
- **June 2006** installation of an 'introduction group'
coordination of evaluation tasks (FE 15, AG Evaluierung)
- **End 2006:** planned start of operational application

3D turbulence in LMK

LES-3D-turbulence model from LLM (Litfass-LM),
Herzog et al. (2003) COSMO Techn. rep. 4
implementation into LMK: J. Förstner

extension for orography -->

coordinate transformation

scalar flux divergence

$$\frac{\partial s}{\partial t} = -\nabla_j H^j = -\frac{\partial}{\partial x^j} H^j - \Gamma_{jk}^j H^k$$

vectorial flux divergence

$$\frac{\partial v^i}{\partial t} = -\frac{1}{\rho} \nabla_j T^{ij} = -\frac{1}{\rho} \left(\frac{\partial}{\partial x^j} T^{ij} + \Gamma_{jk}^i T^{kj} + \Gamma_{jk}^j T^{ik} \right)$$

-> a problem in LM-documentation exists

Metric terms of 3D-turbulence

LES-3D-turbulence model from 'Litfass-LM'
Herzog et al. (2003) COSMO Techn. rep. 4

scalar flux divergence:

$$\frac{\partial s}{\partial t} = \underbrace{\frac{1}{r \cos \phi} \frac{\partial H^{*1}}{\partial \lambda}}_{\text{horizontal (cartesian)}} + \underbrace{\frac{J_\lambda}{\sqrt{G}} \frac{1}{r \cos \phi} \frac{\partial H^{*1}}{\partial \zeta}}_{\text{terrain following coordinates}} + \underbrace{\frac{1}{r} \frac{\partial H^{*2}}{\partial \phi}}_{\text{horizontal (cartesian)}} + \underbrace{\frac{J_\phi}{\sqrt{G}} \frac{1}{r} \frac{\partial H^{*2}}{\partial \zeta}}_{\text{vertical}} + \underbrace{\frac{1}{\sqrt{G}} \frac{\partial H^{*3}}{\partial \zeta}}_{\text{vertical}}$$

$$\underbrace{-\frac{2}{r} H^{*3} + \frac{\tan \phi}{r} H^{*2.}}_{\text{earth curvature}}$$

scalar fluxes:

$$H^{*1} = -\rho K_s \frac{1}{r \cos \phi} \left(\frac{\partial s}{\partial \lambda} + \frac{J_\lambda}{\sqrt{G}} \frac{\partial s}{\partial \zeta} \right),$$

$$H^{*2} = -\rho K_s \frac{1}{r} \left(\frac{\partial s}{\partial \phi} + \frac{J_\phi}{\sqrt{G}} \frac{\partial s}{\partial \zeta} \right),$$

$$H^{*3} = +\rho K_s \frac{1}{\sqrt{G}} \frac{\partial s}{\partial \zeta},$$

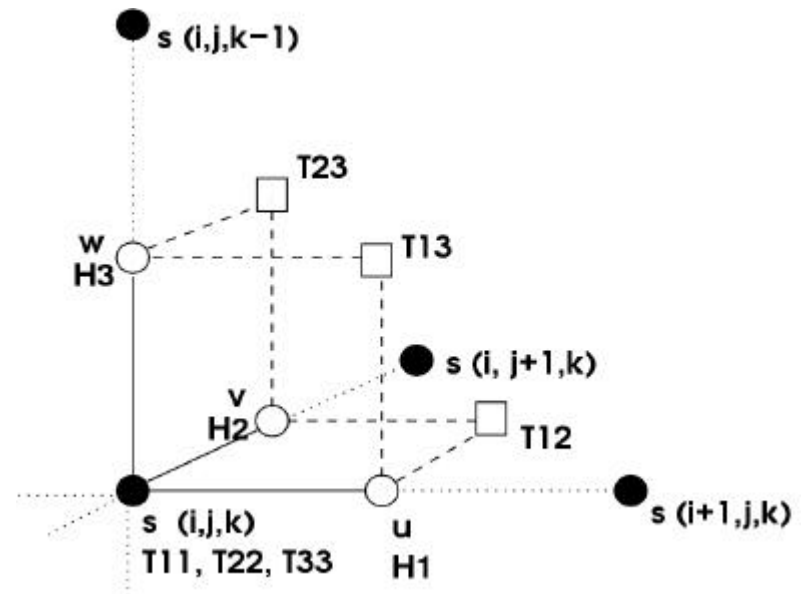
analogous:
,vectorial' diffusion of u, v, w

Baldauf (2005), COSMO-News. Nr. 5

Implementation, Numerics

- all metric terms are handled explicitly -> implemented in Subr. `explicit_horizontal_diffusion`
- new PHYCTL-namelist-parameter `l3dturb_metr`
- available with LM 3.18

Positions of turbulent fluxes in staggered grid:



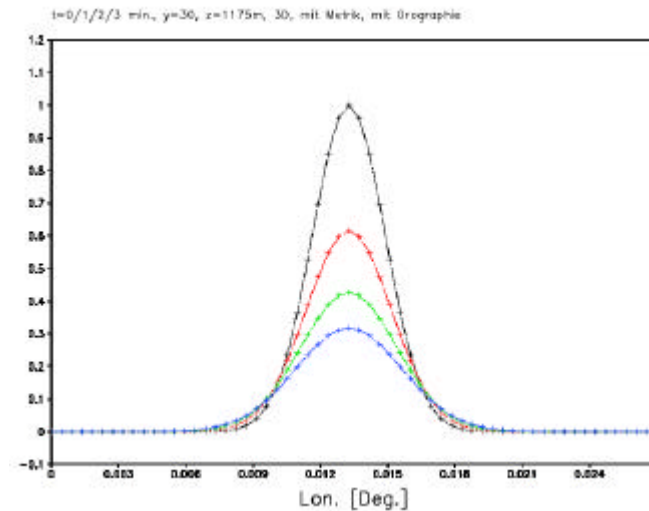
Test of diffusion routines: 3-dim. isotropic gaussian tracer distribution

3D diffusion equation:

$$\frac{\partial \phi}{\partial t} = K \Delta \phi$$

analytic Gaussian solution for $K=\text{const.}$:

$$\phi(r, t) = \frac{\Phi_0}{\sqrt{4\pi K(t+t_0)^3}} \exp\left(-\frac{r^2}{4K(t+t_0)}\right),$$
$$r := \sqrt{x^2 + y^2 + z^2}$$

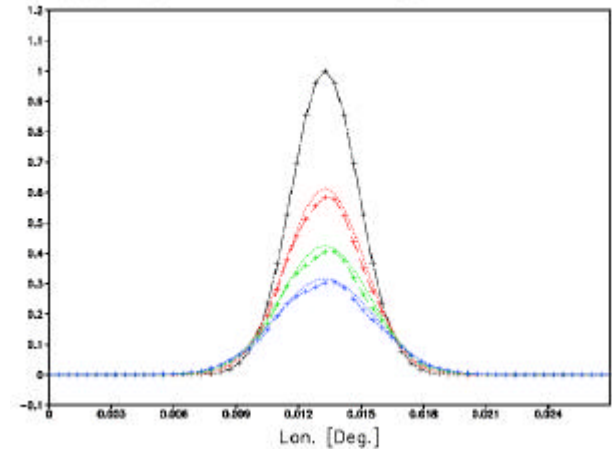


Case 3: 3D-diffusion, without metric terms, with orography

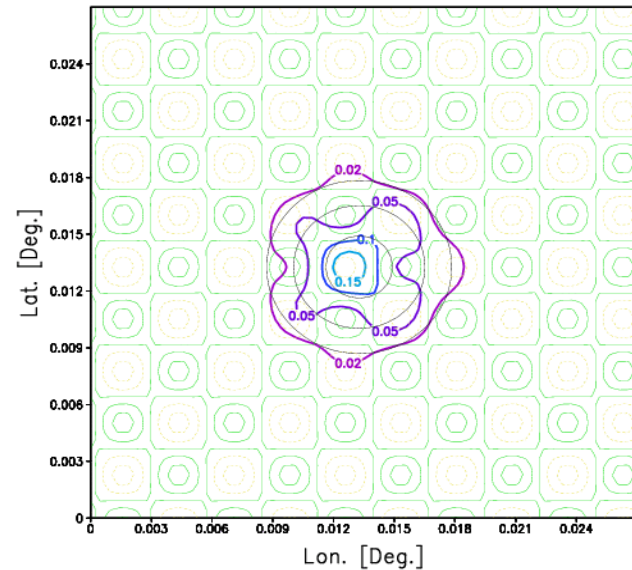
nearly isotropic grid

goal: show false diffusion in the presence of orography

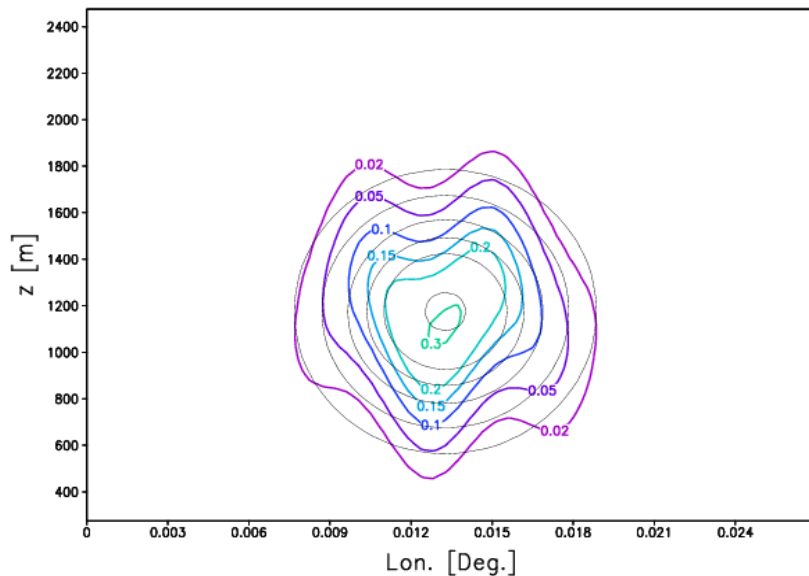
t=0/1/2/3 min., y=30, z=1175m, 3D, ohne Metrik, mit Orographie



t=3 min., z=825m, 3D, ohne Metrik, mit Orographie



t=3 min., y=30, 3D, ohne Metrik, mit Orographie

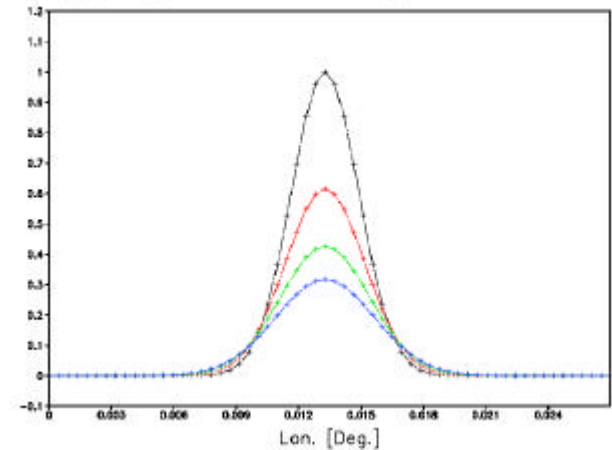


Case 4: 3D-diffusion, with metric terms, with orography

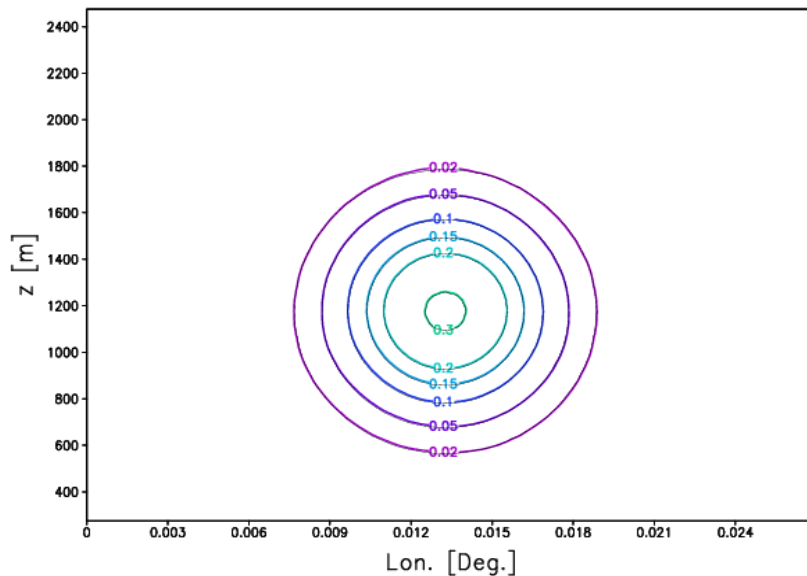
nearly isotropic grid

goal: show correct implementation of the new metric terms

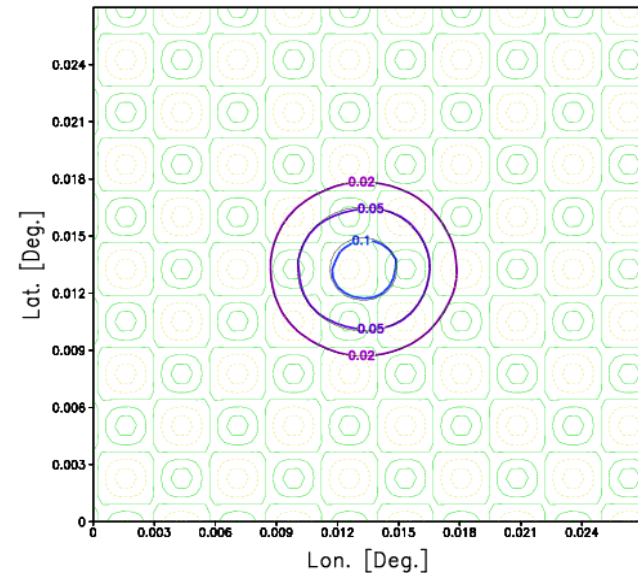
t=0/1/2/3 min., y=30, z=1175m, 3D, mit Metrik, mit Orographie



t=3 min., y=30, 3D, mit Metrik, mit Orographie



t=3 min., z=825m, 3D, mit Metrik, mit Orographie



Are horizontal turbulent fluxes important for LMK 2.8 km?

sensitivity study: LMK (2.8 km resolution) ,12.08.2004, 12 UTC-run‘

- LM 3.16 (with extensions)
- 3-dim turbulence: `l3dturb= F / T`
- complete metrics: `l3dturb_metr= F / T`
- prognostic TKE (without advection) `itype_turb=3`
- `imode_turb=1`
- `ninctura=1`
- `itype_tran=2, imode_tran=1`

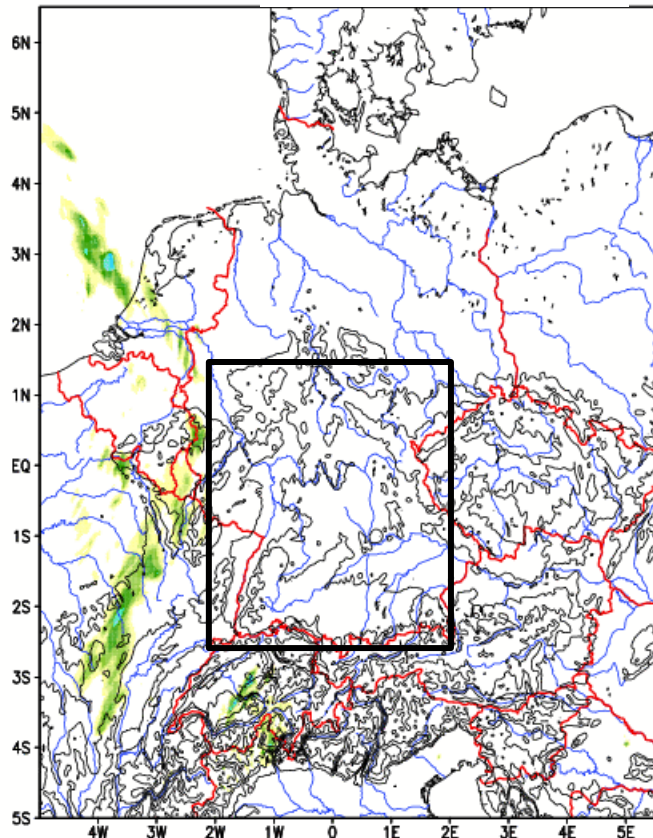
- Runge-Kutta RK3-TVD, 5. order upwind, implicit vertical adv. 2. order

special features (not contained in LM 3.16):

- Semi-Lagrange-adv., tricubic interpol. with ‚multiplicative filling‘ for q_v , q_c , q_i , q_r , q_s , q_g
- (‚old‘ physics-dynamics-coupling (`ldiabh_lh=F`))

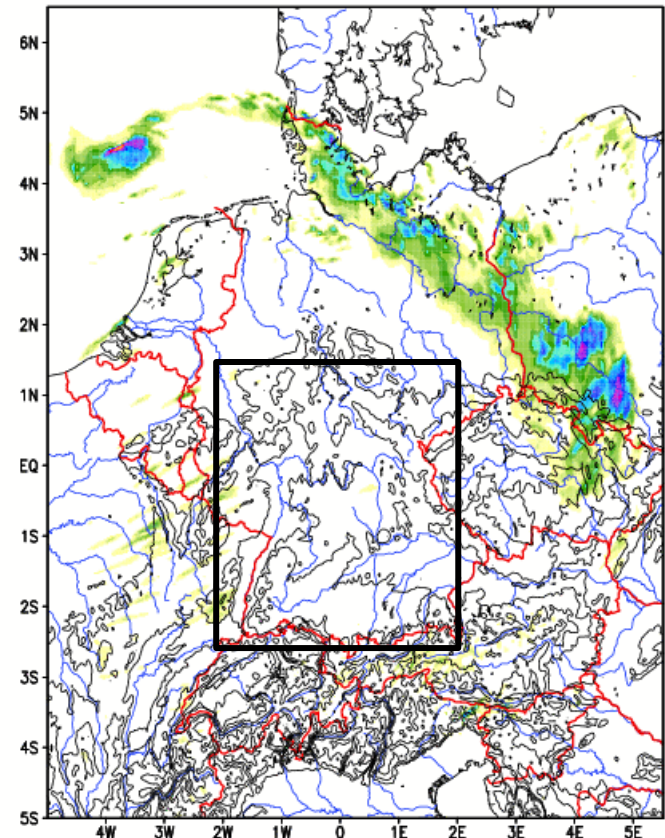
Real case study: LMK (2.8 km resolution) ,12.08.2004, 12 UTC-run'

12.08.2004,12 UTC, 12-13 UTC



Mean: 0.0465117 Min: -0.00011444 Max: 15.2256 Var: 0.116381

12.08.2004,12 UTC, 24 + 05-06 UTC

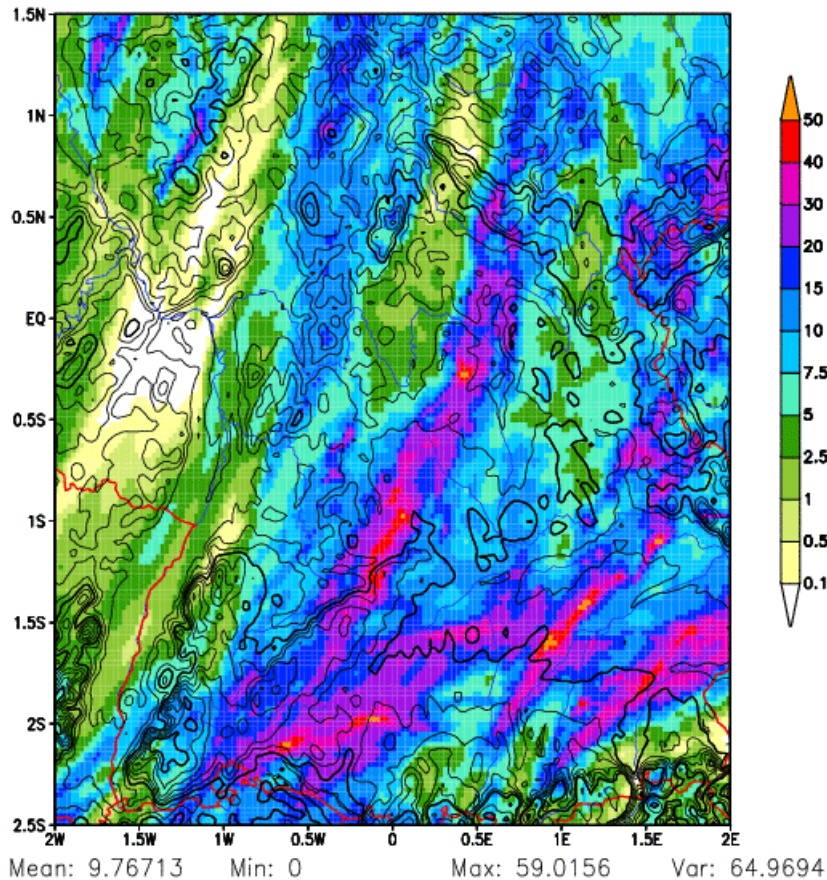


Mean: 0.313074 Min: 0 Max: 69.25 Var: 2.72798

Real case study: LMK (2.8 km resolution) ,12.08.2004, 12 UTC-run'

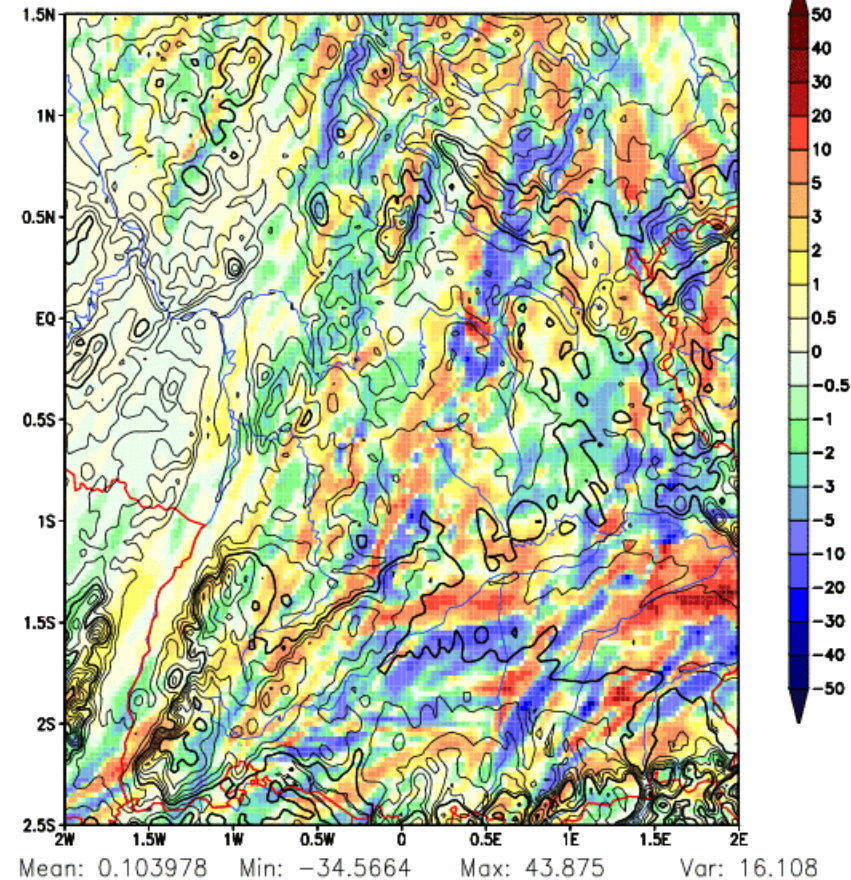
total precip. in 18 h

12.08.2004,12UTC+1800h, totprec, 1D



,3D-turb., with metric' - ,1D'

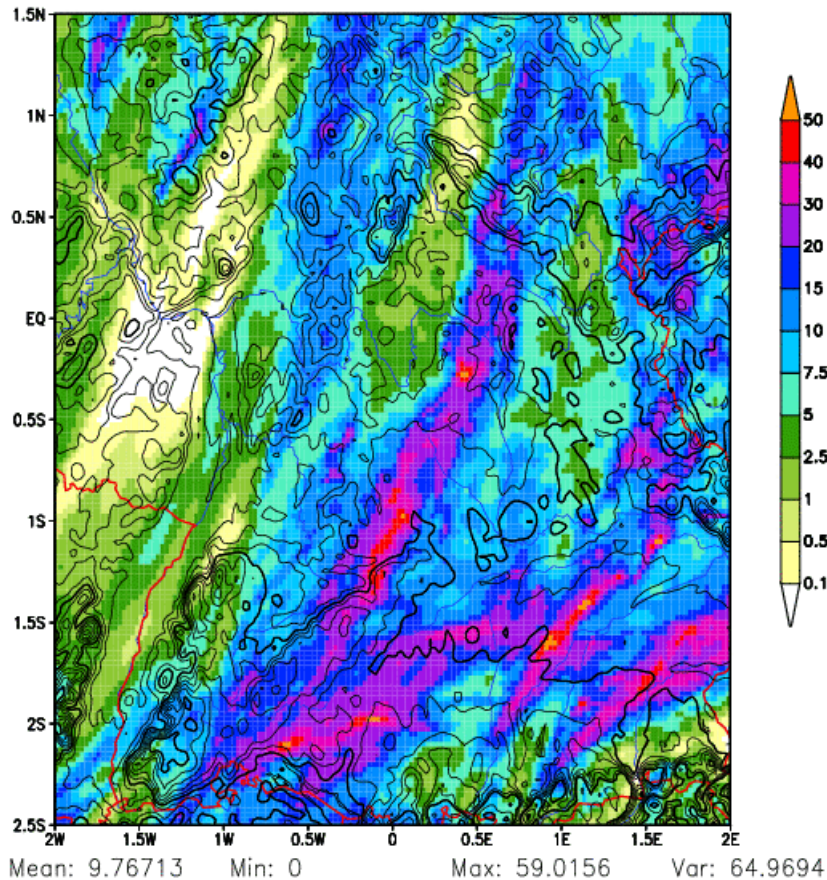
12.08.2004,12 UTC, 1800-1800 h, totprec: 3DmM-1D



Real case study: LMK (2.8 km resolution) ,12.08.2004, 12 UTC-run'

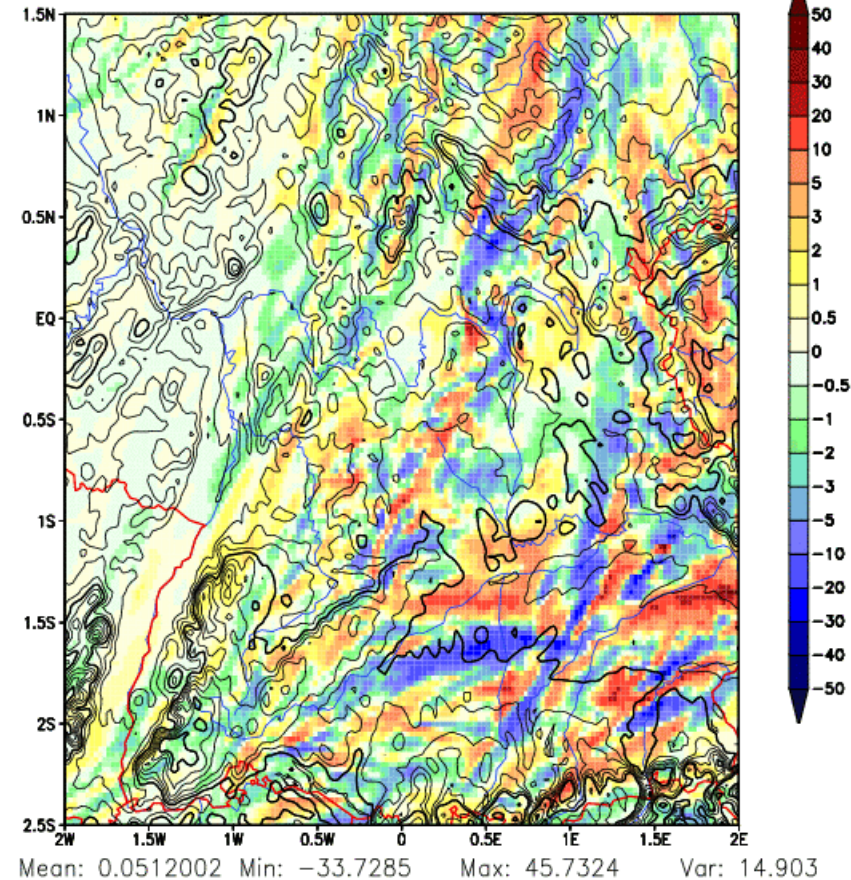
total precip. in 18 h

12.08.2004,12UTC+1800h, totprec, 1D



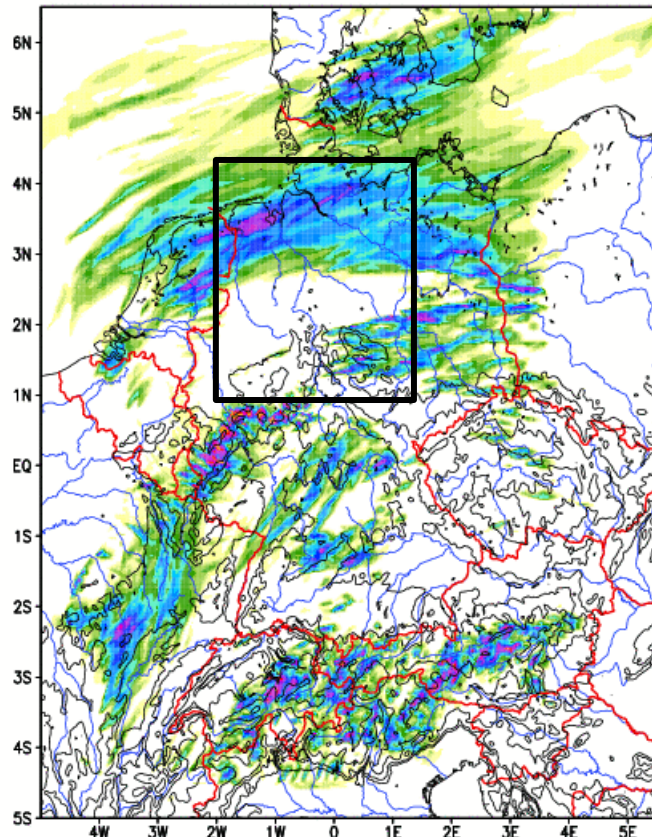
3D-turb.: ,with' - ,without' metric

12.08.2004,12 UTC, 1800-1800 h, totprec: 3DmM-3DmM



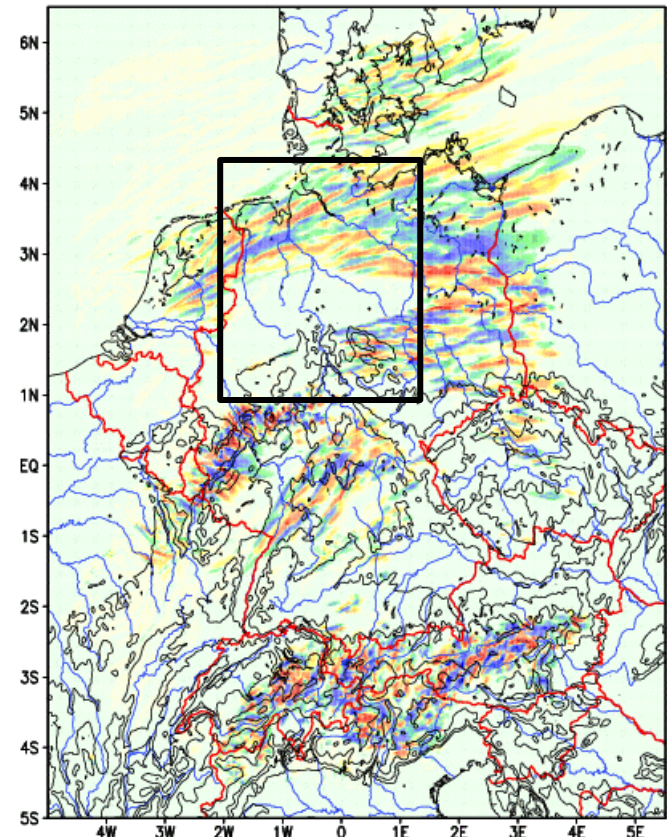
Real case study: LMK (2.8 km resolution), 25.06.2005, 00 UTC-run'

25.06.2005,00UTC+1800h, totprec, 1D



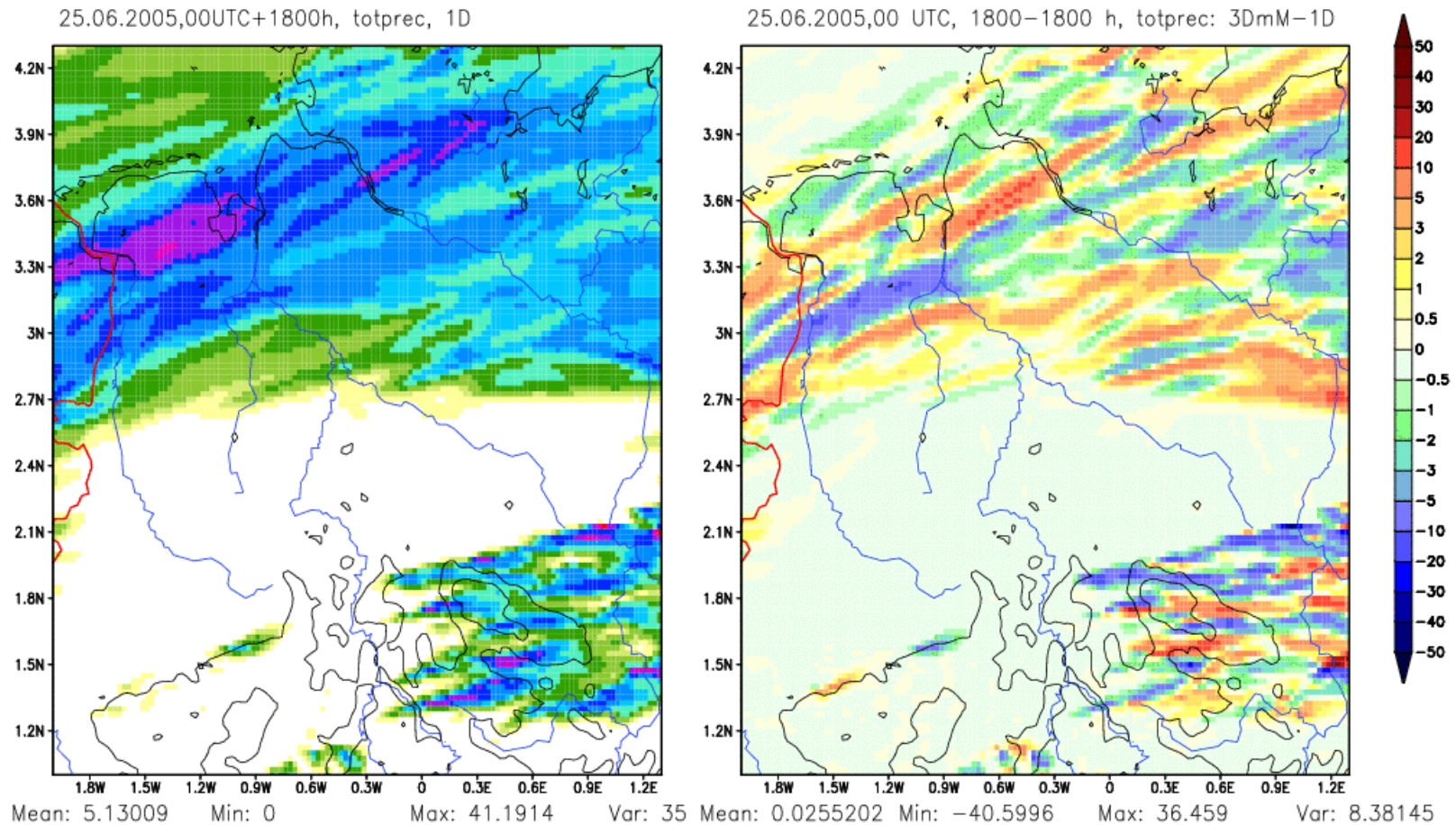
Mean: 2.14008 Min: 0 Max: 92.4316 Var: 22.8336

25.06.2005,00 UTC, 1800-1800 h, totprec: 3DmM-1D



Mean: -0.0238913 Min: -70.6562 Max: 65.2188 Var: 7.43643

Real case study: LMK (2.8 km resolution), 25.06.2005, 00 UTC-run'



Summary

Idealized tests ->

- metric terms for *scalar* variables are correctly implemented

Real case, sensitivity studies ->

- explicit treatment of metric terms is stable
- impact of 3D-turbulence on precipitation:
 - no significant change in area average of total precipitation
 - changes in the spatial distribution, differences up to ~40 mm/18h due to spatial shifts (up to 20...30 km)
 - small relevance in non-convective situations (<-- smaller diffusion coeff.)
- impact of metric terms on precipitation:
 - play a comparable role to the cartesian horizontal terms
- computing time for Subr. `explicit_horizontal_diffusion`
 - without metric: about 5% of total time
 - with metric: about 8.5% of total time (slight reduction possible)

Outlook

- Idealized tests also for ‚vectorial‘ diffusion (u, v, w)
- What is an adequate horizontal diffusion coefficient?
 - Used here: isotropic diffusion coefficient

$$K_{hor} = K_{vert}$$

(e.g. Klemp, Wilhelmson (1978) for cloud resolving sim. ($\Delta x=1$ km))

- instead of LES ansatz:

$$K_{hor} = 0.1 \cdot \frac{\sqrt{\Delta x^2 + \Delta y^2}}{\Delta z} \cdot K_{vert}$$

dependence on $u'u'$, $w'w'$, ...?

- TKE advection (has to be implemented)
- Are the differences induced by 3D-turbulence relevant compared to the stochastic behaviour of convective cells?
- Verification needed
→ decision about the importance of 3D-turbulence and the metric terms on the 2.8km resolution

Idealised 3D-diffusion tests:

- $\Delta x = \Delta y = \Delta z = 50$ m, $\Delta t = 3$ sec.
- number of grid points: $60 \times 60 \times 60$
- area: $3 \text{ km} \times 3 \text{ km} \times 3 \text{ km}$
- constant diffusion coefficient $K = 100 \text{ m}^2/\text{s}$
- sinusoidal orography, $h = 0 \dots 250$ m