



GM, Lugano, Switzerland, 2012



# Recent developments at Roshydromet

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## **Motivation:**

- 1. Improve the T2m skill in case of partial snow-cover**
- 2. Initialisation of snow WE**
- 3. Applications for Sochi2014 meteosupport (PP CORSO)**

Experiment was done for territories covered with snow.  
Operational version of COSMO-Ru (version 4.18) was used.



**1. The modification of TERRA for more realistic T2m skill in case of partial snow-cover :**

**the additional plant level was parameterized into TERRA**

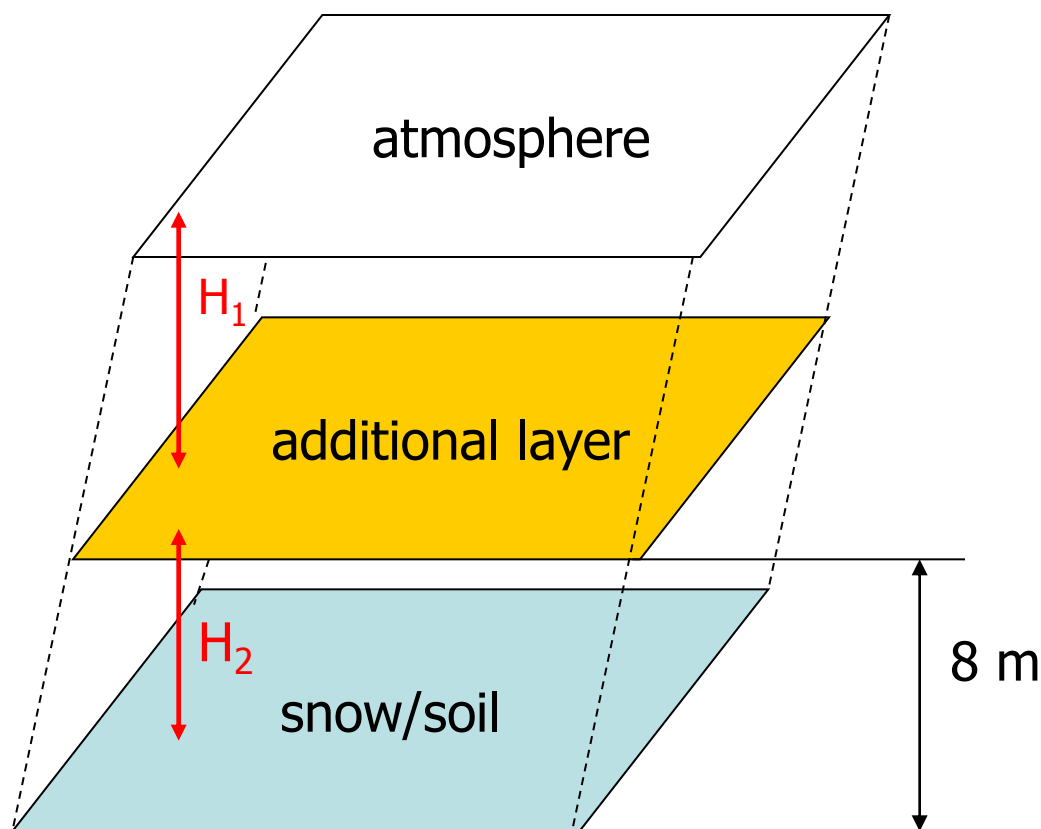


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# Experiments with TERRA in COSMO-Ru, version 4.18

## Additional plant layer



The simplest parameterization:  
The

$$H = SW + LW$$

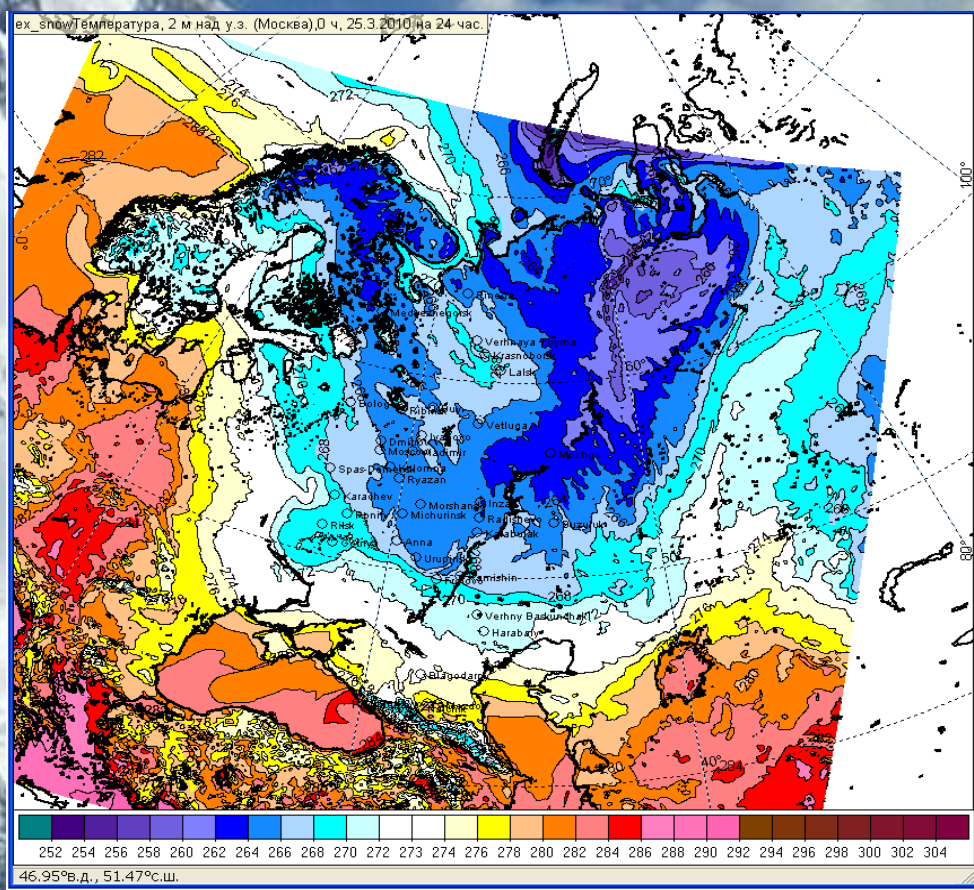
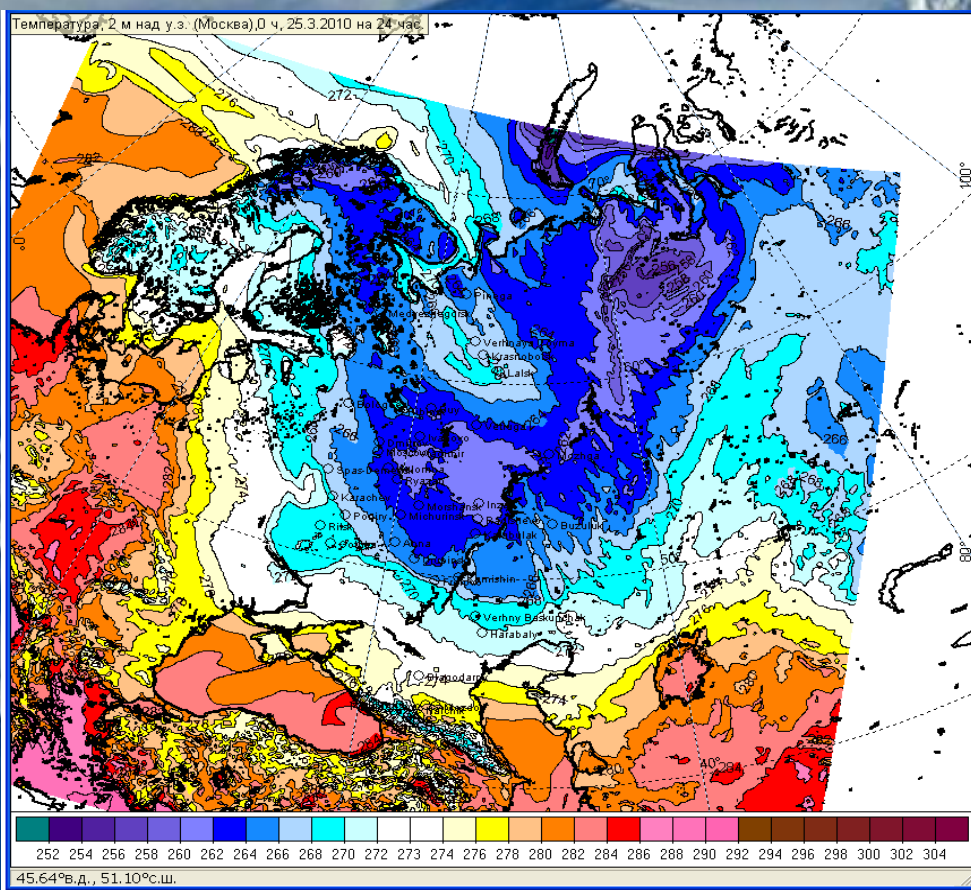
So, additional layer should get  
some heat to the upper  
atmosphere and increase T2m.

Experiment was done for territories covered with snow.  
Operational version of COSMO-Ru (version 4.18) was used.

# T2m (K). 24 forecast. Start - 25 March 2010

Operational version (control run)

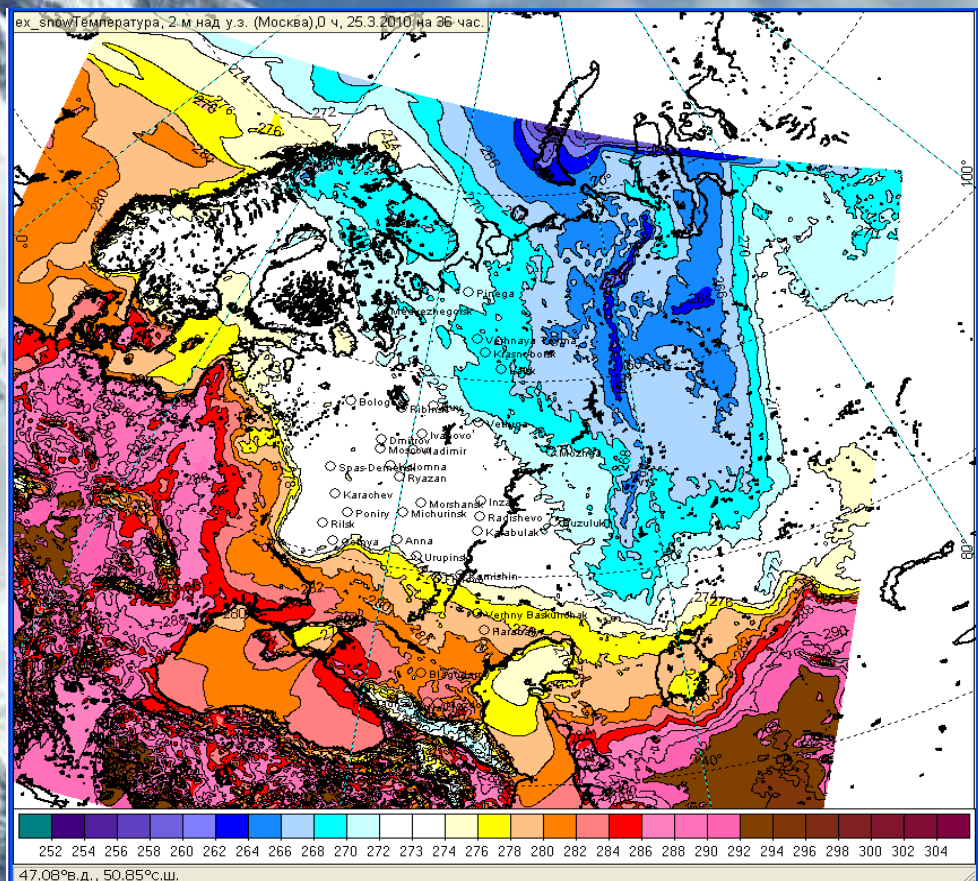
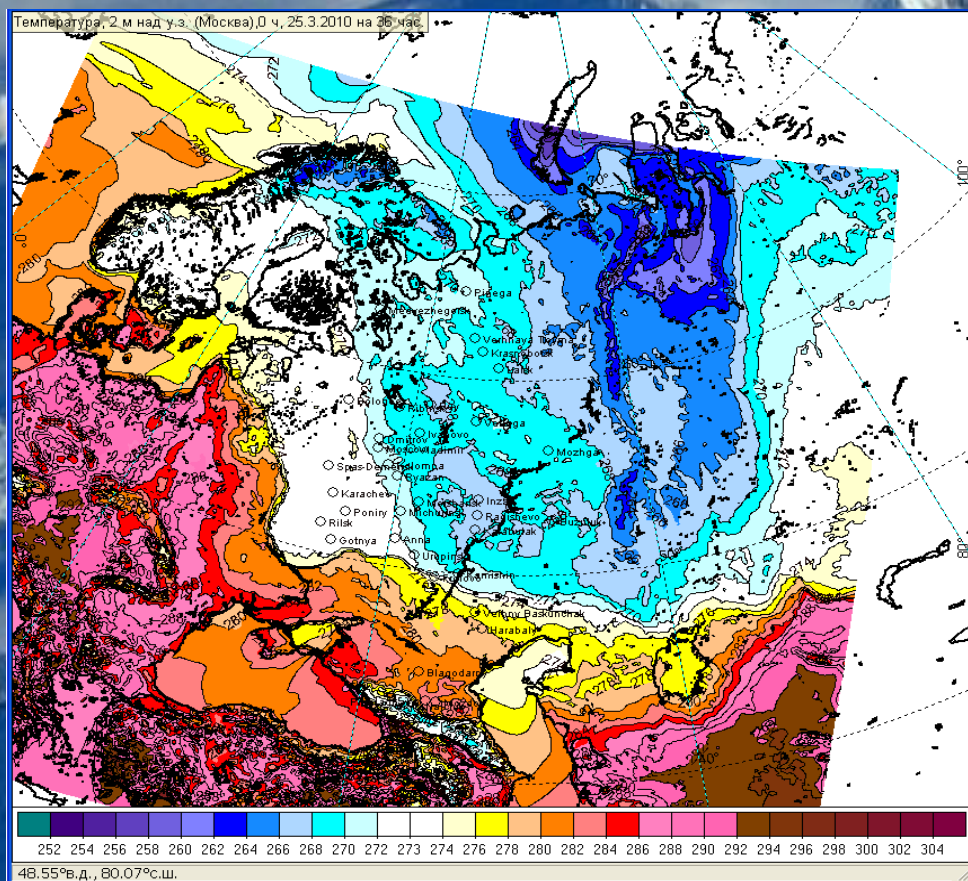
Experiment



# T2m (K). 36 forecast. Start - 25 March 2010

Operational version (control run)

Experiment



# T2m. 36 forecast. Start - 25 March 2010

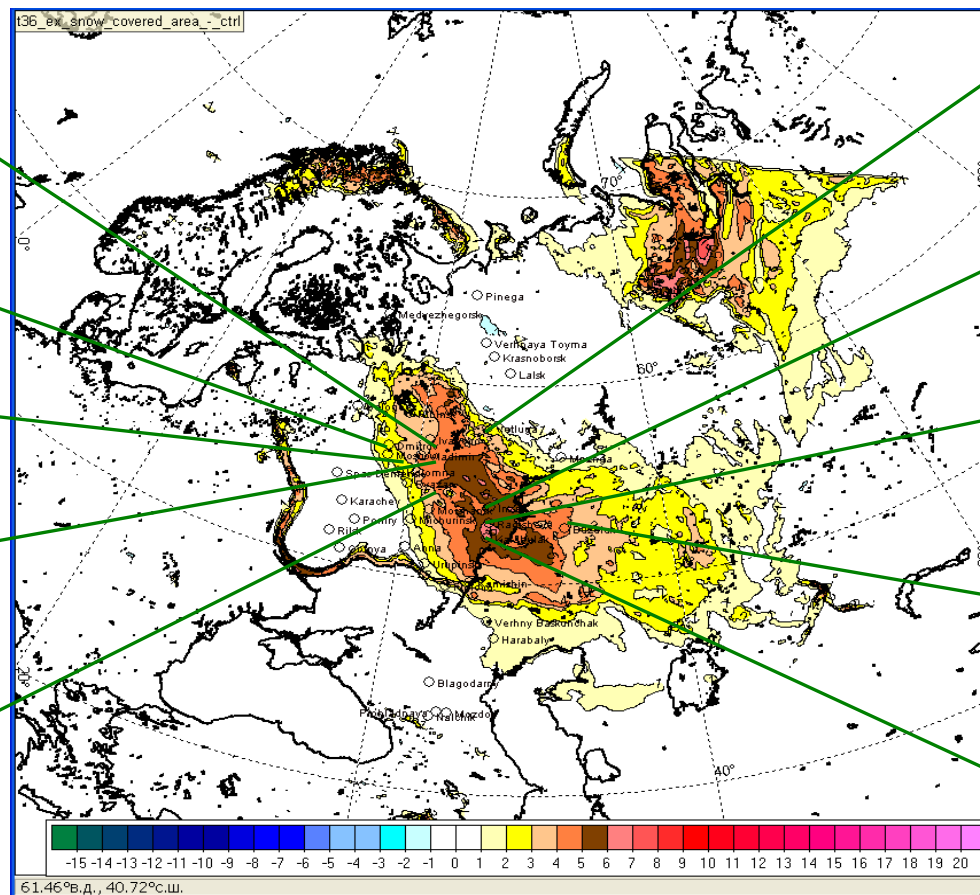
**Ivanovo**  
 ctrl exp measured  
 -4.2 -0.4 4.0

**Dmitrov**  
 ctrl exp measured  
 -2.5 0.1 7.0

**Moscow**  
 ctrl exp measured  
 -2.3 0.1 8.3

**Vladimir**  
 ctrl exp measured  
 -4.5 -0.5 3.8

**Ryazan**  
 ctrl exp measured  
 -2.0 0.1 3.9



**Vetluga**  
 ctrl exp measured  
 -3.8 -1.0 0.4

**Inza**  
 ctrl exp measured  
 -5.3 0.0 1.0

**Radishevo**  
 ctrl exp measured  
 -6.3 -0.4 0.7

**Buzuluk**  
 ctrl exp measured  
 -5.0 -0.4 -0.6

**Karabulak**  
 ctrl exp measured  
 -6.6 -0.3 -2.4





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Due to additional layer it became possible to influence T2m forecast. In all the stations, where snow was present, T2m was increased.

The next step – to parameterize this effect only for forest area to coordinate the codes with Tile-parameterization



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**1-d parametric model for  
calculation SWE and snow  
density according to SYNOP  
data (snow height, T2m, dew  
point, wind speed)**



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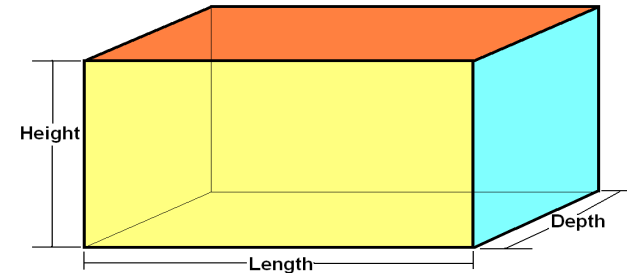


## Motivation

- **The errors in SWE and snow density (from GME) produce inaccuracies in COSMO-model - first during the m**
- **In framework of Sochi-2014:  
the accurate data for snow values for points of competitions are required .  
The measurements in SYNOP - complex are developed**
- **Main goal of our improvement is to obtain an initial SWE and density fields for COSMO-model with the use of current station and satellite data**

## Characteristics of the model

• **Snow column is represented as the set of **finite elements**, which are in mechanical and thermal interaction with each other. The number of finite elements depends on **the height of the snow column**. One finite element has a cuboid shape with height equal to **1 cm**, length and depth equal to **100 cm**.**



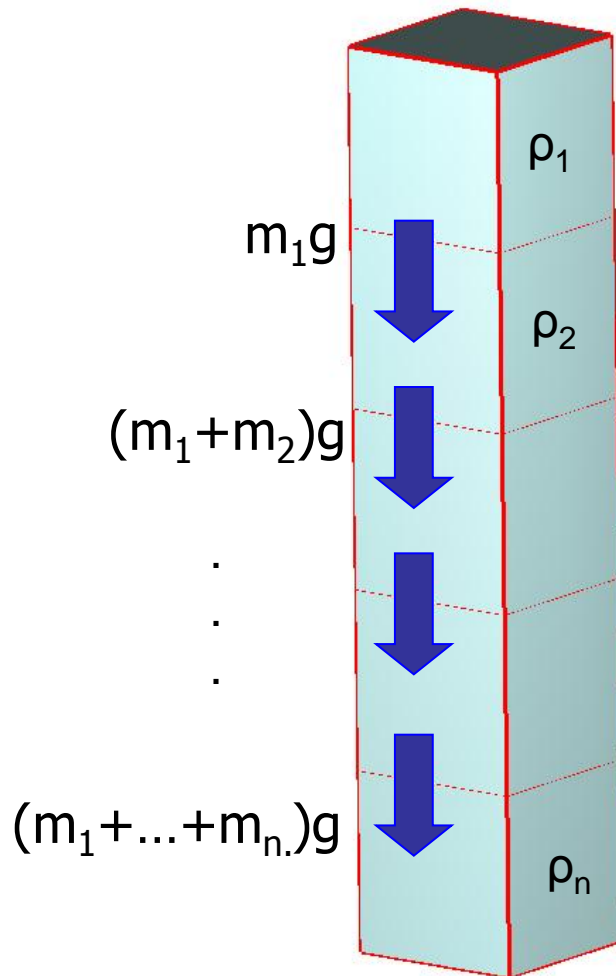
• **In paper Yosida and Huzioka is supported that Young's modulus for snow can be calculating by formula:**

$$E = (0,0167\rho - 1,86) \cdot 10^6, -3 < T_a < -1 \quad E = (0,059\rho - 10,8) \cdot 10^6, -13 < T_a < -5$$

• **We suppose that finite elements of the snow column undergo only elastic deformation, so it can be written (example for  $T_a > -5^\circ\text{C}$ ):**

$$\rho = \frac{\left( \frac{mg}{10^6(1 - \sigma_{02})} + 1,86 \right)}{0,0167}, \quad m = (\rho_1 + \rho_2 + \dots)H, \quad H = 0,001m \quad \frac{l_n}{l_0} = (1 - \sigma_{02}) = 1 - 0,002$$

# Representation of snow column in the model



**Each finite element undergoes the weight of the previous overlying elements and hence its density is defined by ambient temperature and accumulative weight**



## Characteristics of the model

- **Fresh snow** is not a constant and calculating according to formula from canadian snow scheme **CLASS 3.1** (depends on air temperature)

$$\rho_{s,f} = 67.92 + 51.25e^{\frac{T_a}{2.59}}, T_a \leq 0^{\circ}C$$

$$\rho_{s,f} = \min(200, 119.2 + 20T_a), T_a > 0^{\circ}C$$

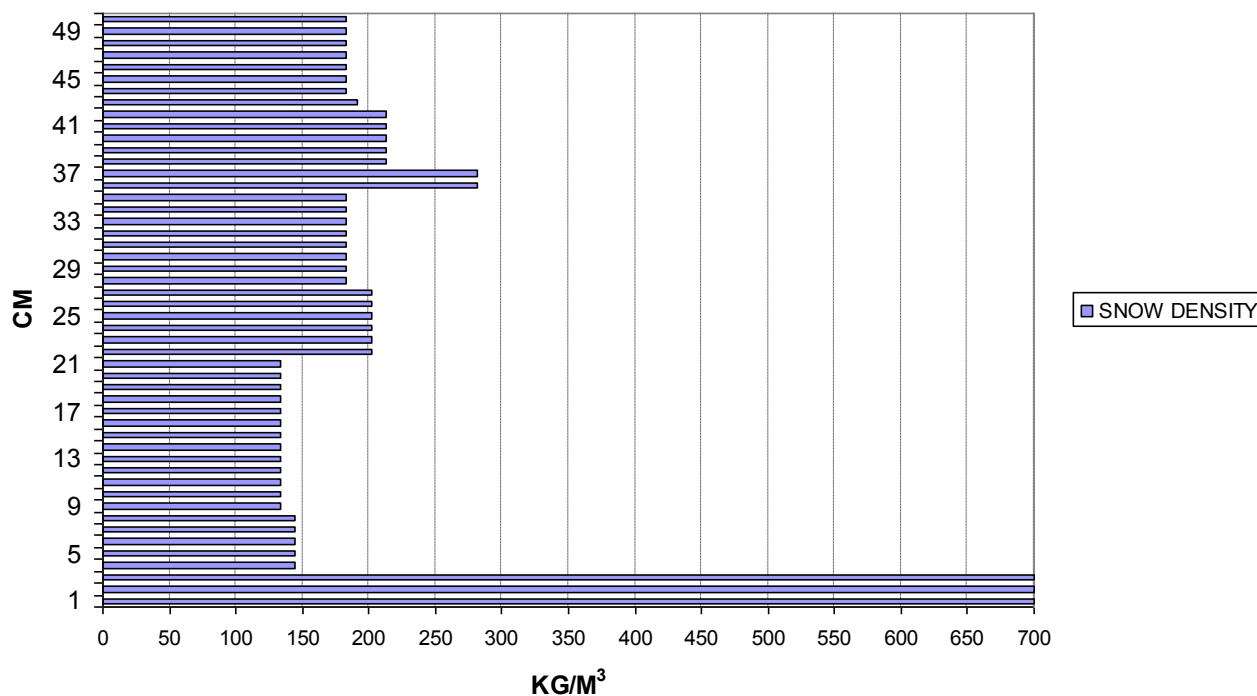
- **Evaporation** from snow according to Kuzmin's formula:

$$F = (0.18 + 0.098u_{10m})(e_{pot} - e_{2m}) \quad mm/day$$



The model shows realistic snow density in snow column for each station. The previous version of model contains 3 layers and don't represent snow density distribution in column.

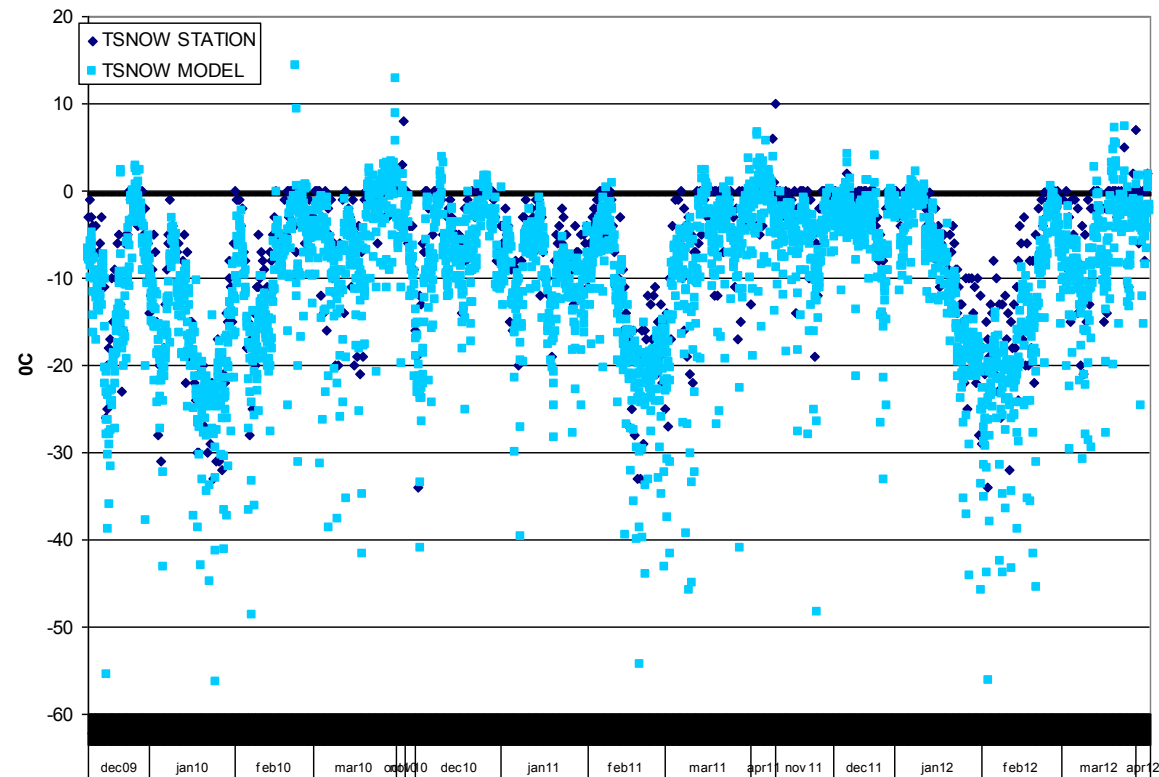
## NEW MODEL RESULT DISTRIBUTION OF SNOW DENSITY IN SNOW COLUMN. STATION PINEGA. APRIL 5, 2012



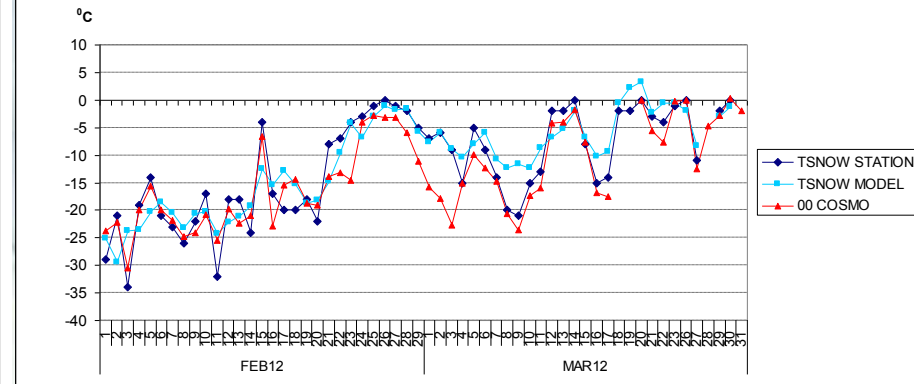
# Characteristics of the model

- There is a subroutine for **snow temperature calculation**, if needed

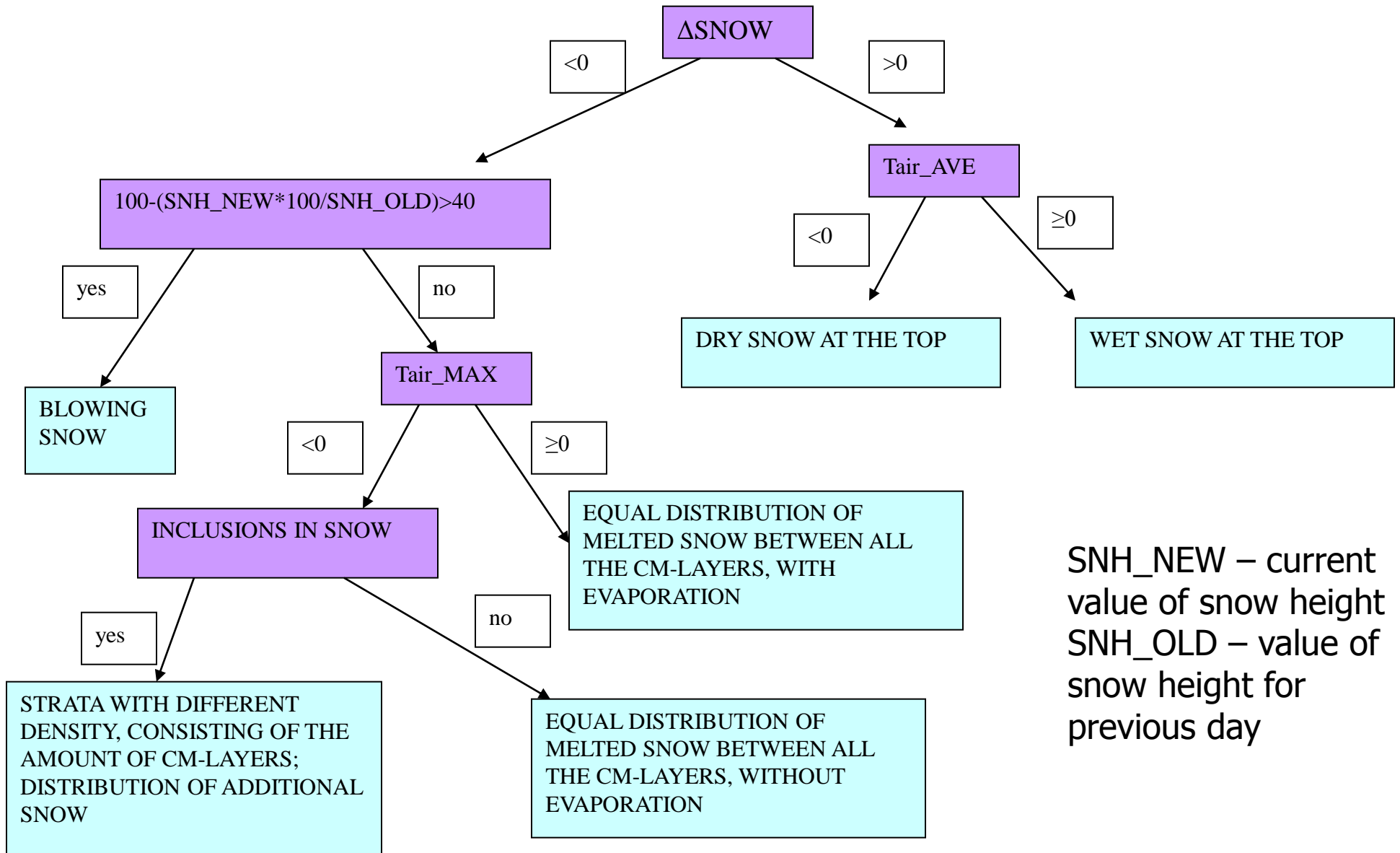
TSNOW FOR STATION PONIRY, WINTERS 2009-2012



TSNOW FOR STATION PONIRY, FEBRUARY-MARCH 2012



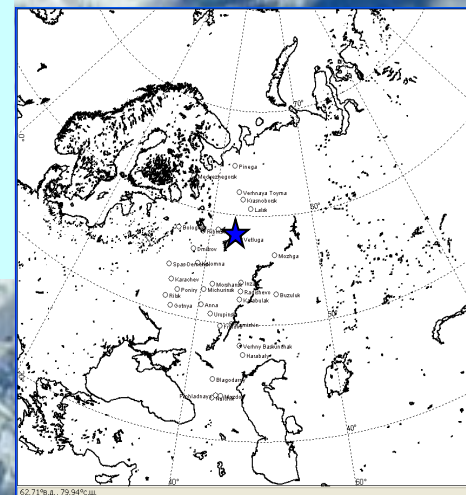
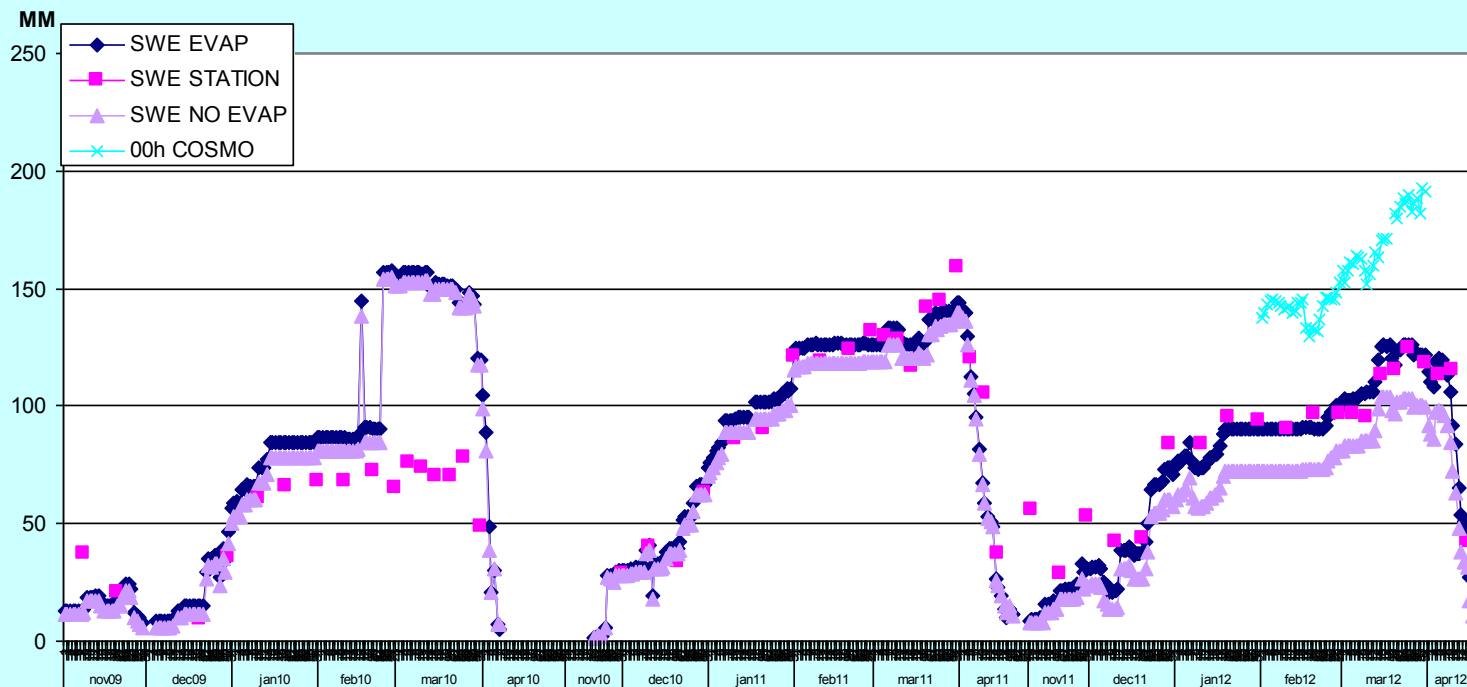




SNH\_NEW – current value of snow height  
SNH\_OLD – value of snow height for previous day



# SWE for station VETLUGA, winters 2009-2012

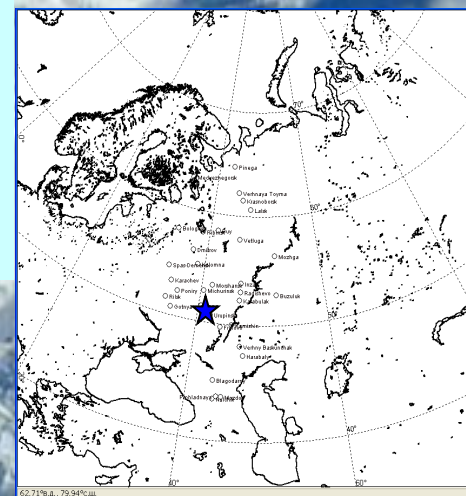
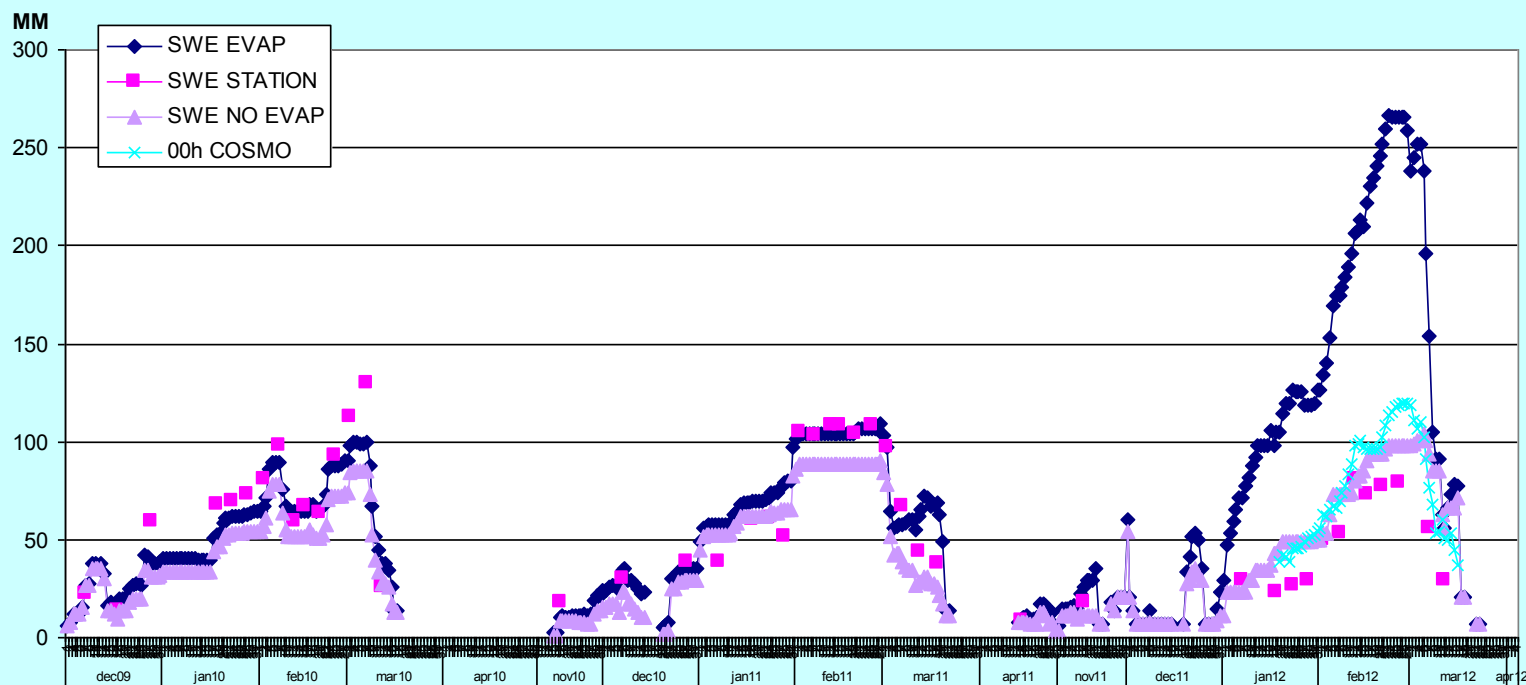




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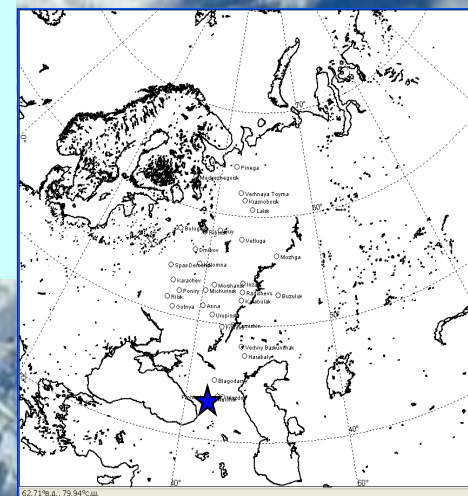
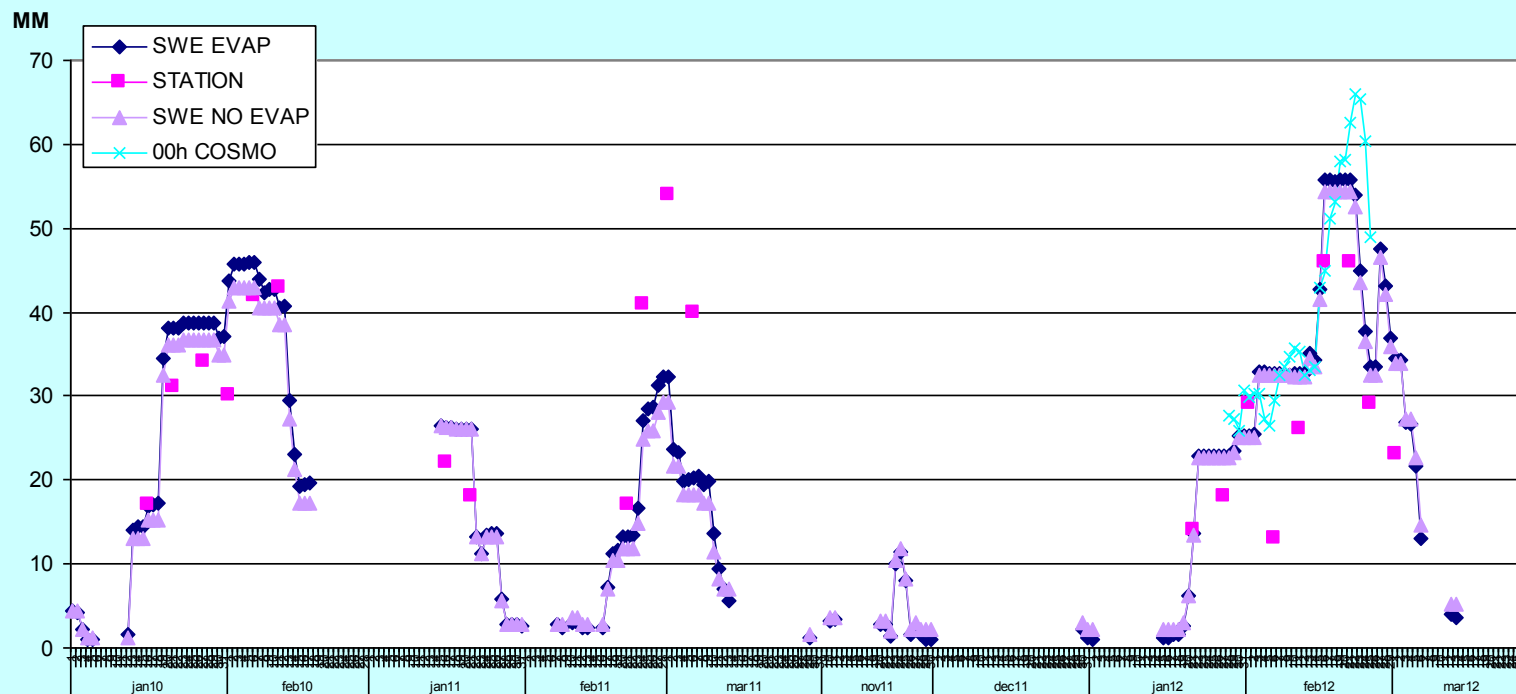


# SWE for station ANNA, winters 2009-2012



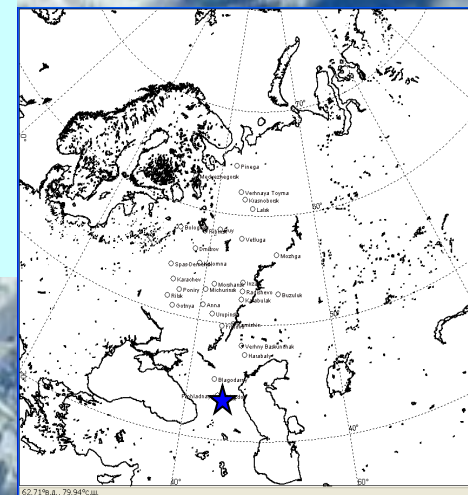
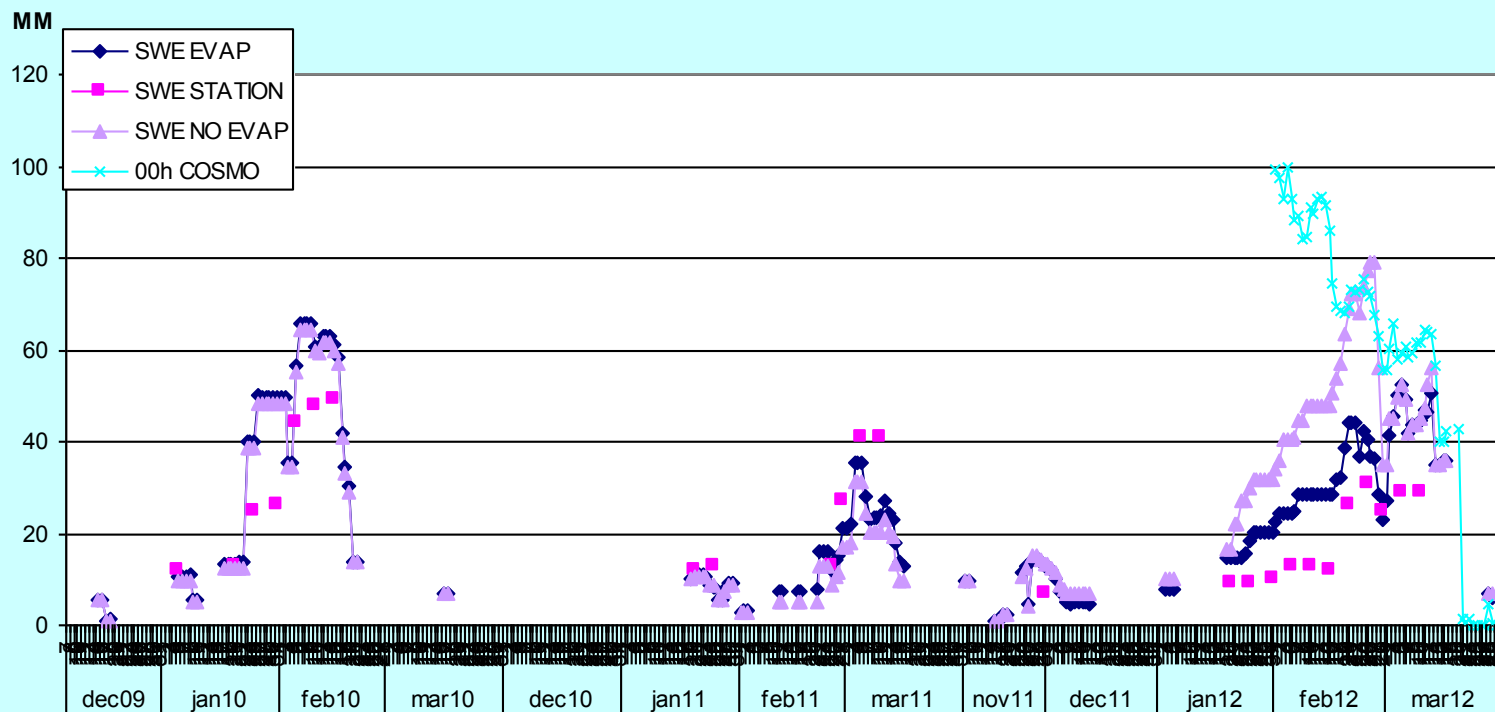


# SWE for station PROHLADNAYA, winters 2009-2012





# SWE for station NALCHIK, winters 2009-2012





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# Valdai observatory: data exchange



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# Valdai observatory

- The description of the observatory is sent.
- Data for period 1 Jan – 31 May 2012 is sent for the following parameters:

ARTM –air temperature, °C;  
EGPA –water vapor pressure, hPa;  
EREL –relative humidity, %;  
DEF –air moisture deficit, hPa;  
PRESS –air pressure, hPa;  
LOSD –visibility range;  
NCOM –total cloudiness 0-10;  
NLOW –low cloudiness 0-10;  
WINDR –wind direction;  
WINSR –wind speed, m/s ;  
PREC –precipitation 1, mm;  
DEWPT –dew-point temperature, °C;  
TSOSN –soil/snow surface temperature, °C .

- It is planned to prepare data for lakes for period of some months of year 2010.



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# Valdai observatory

- It is planned to prepare data for lakes for period of some months of year 2010.

## **System of Lakes Valdai and Uzhin**

The water level and ice regime have been recorded since 1936. The vertical distributions of water temperature have been measured since 1952.

The water temperature, dissolved oxygen, a-type chlorophyll, total phosphorus, and transparency have been measured since 1987 once a week (in ice-free periods) and once a month (during ice-cover periods).





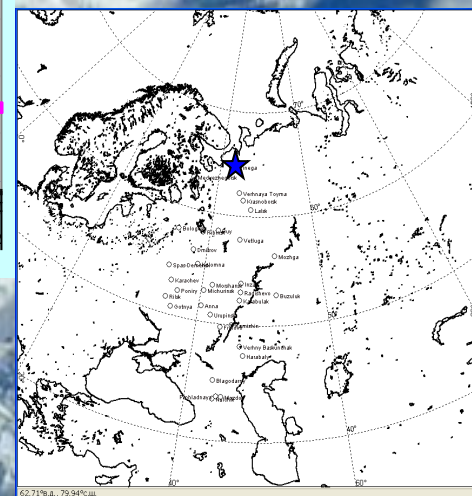
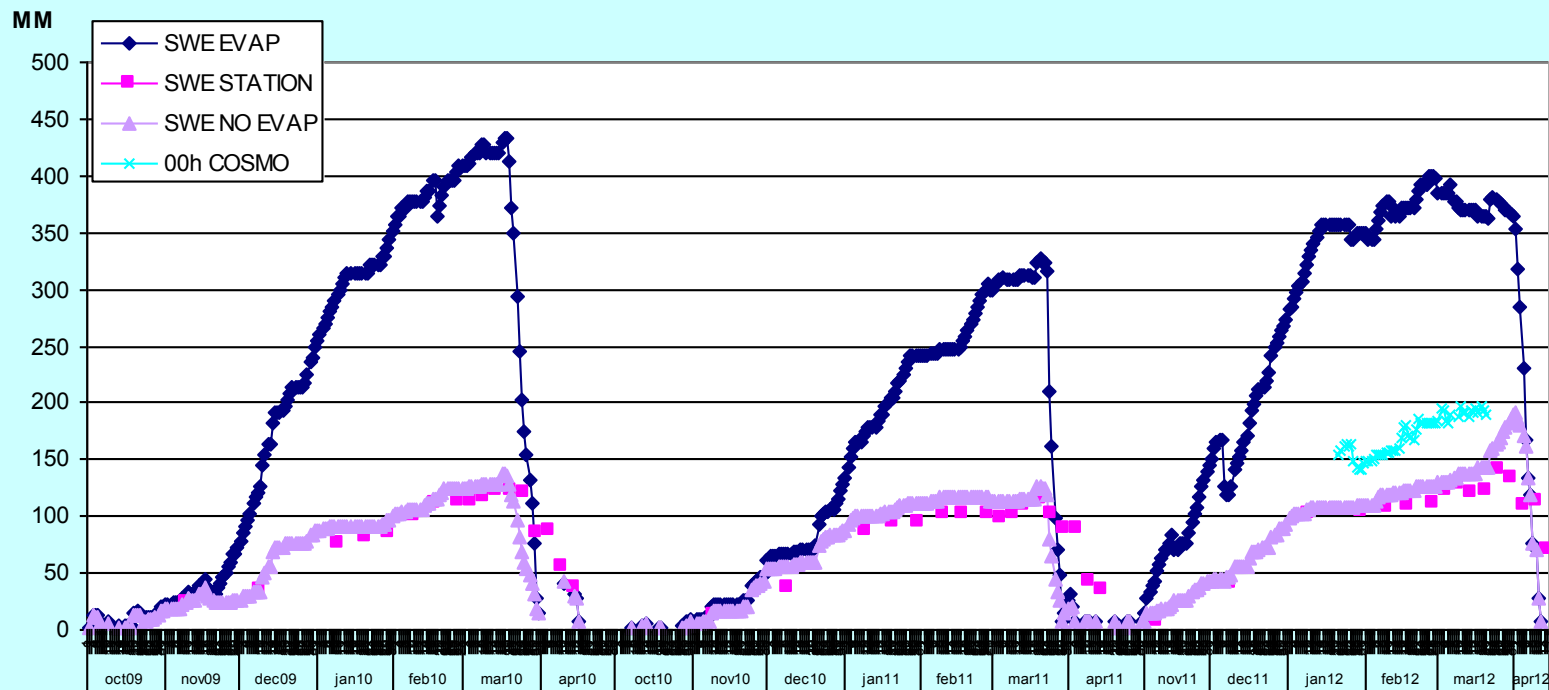
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**Thank you for your attention!**

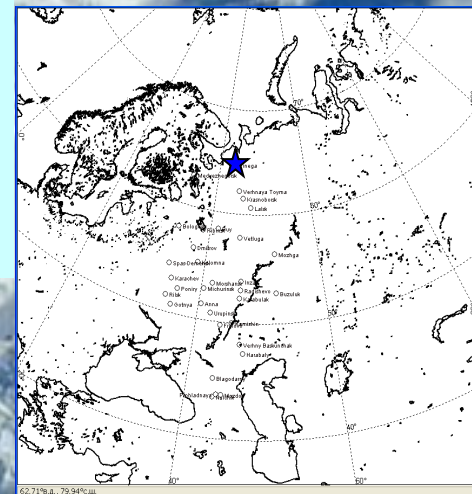
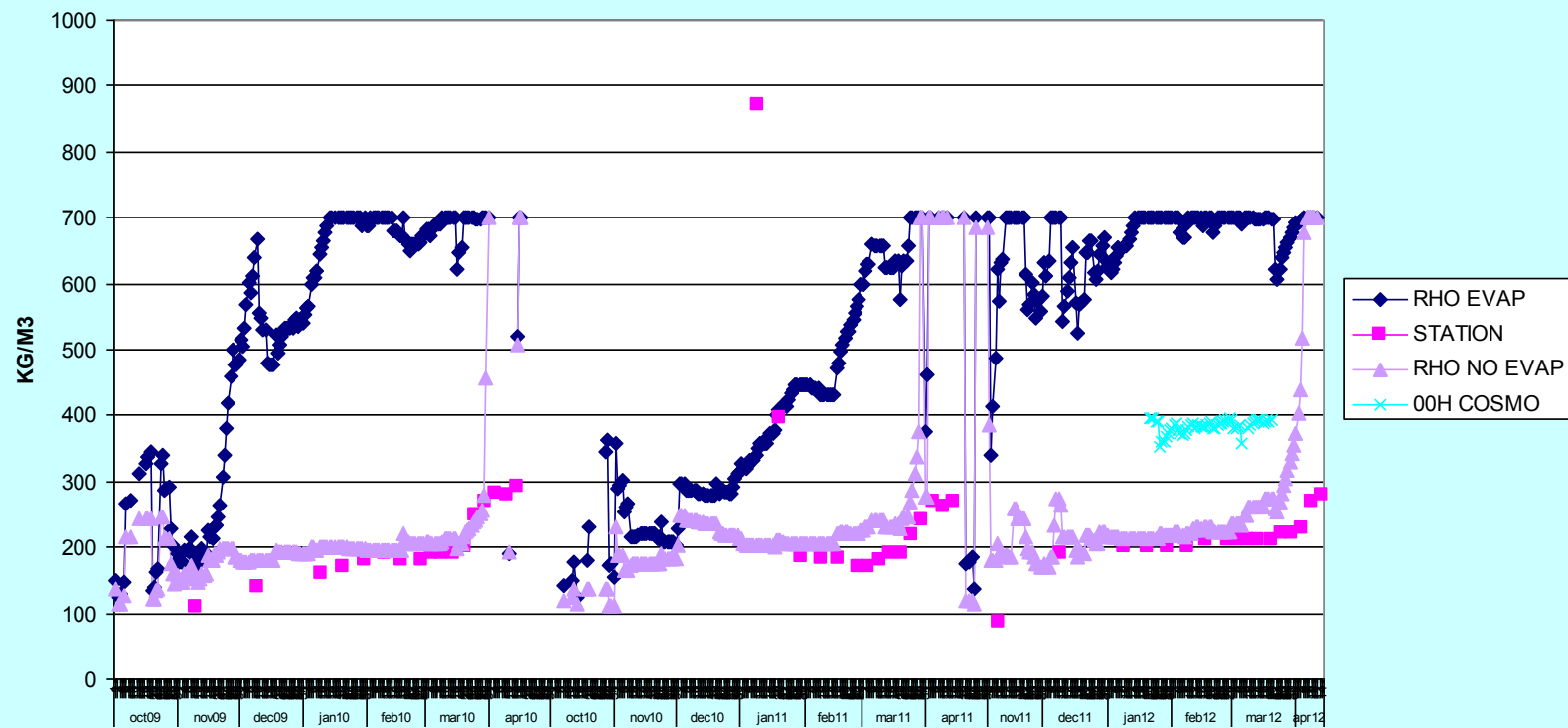


# SWE for station PINEGA, winters 2009-2012



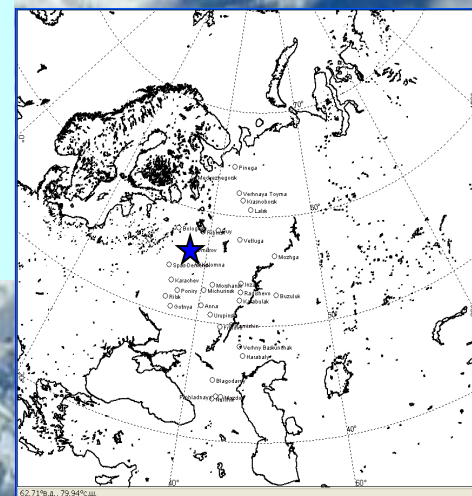
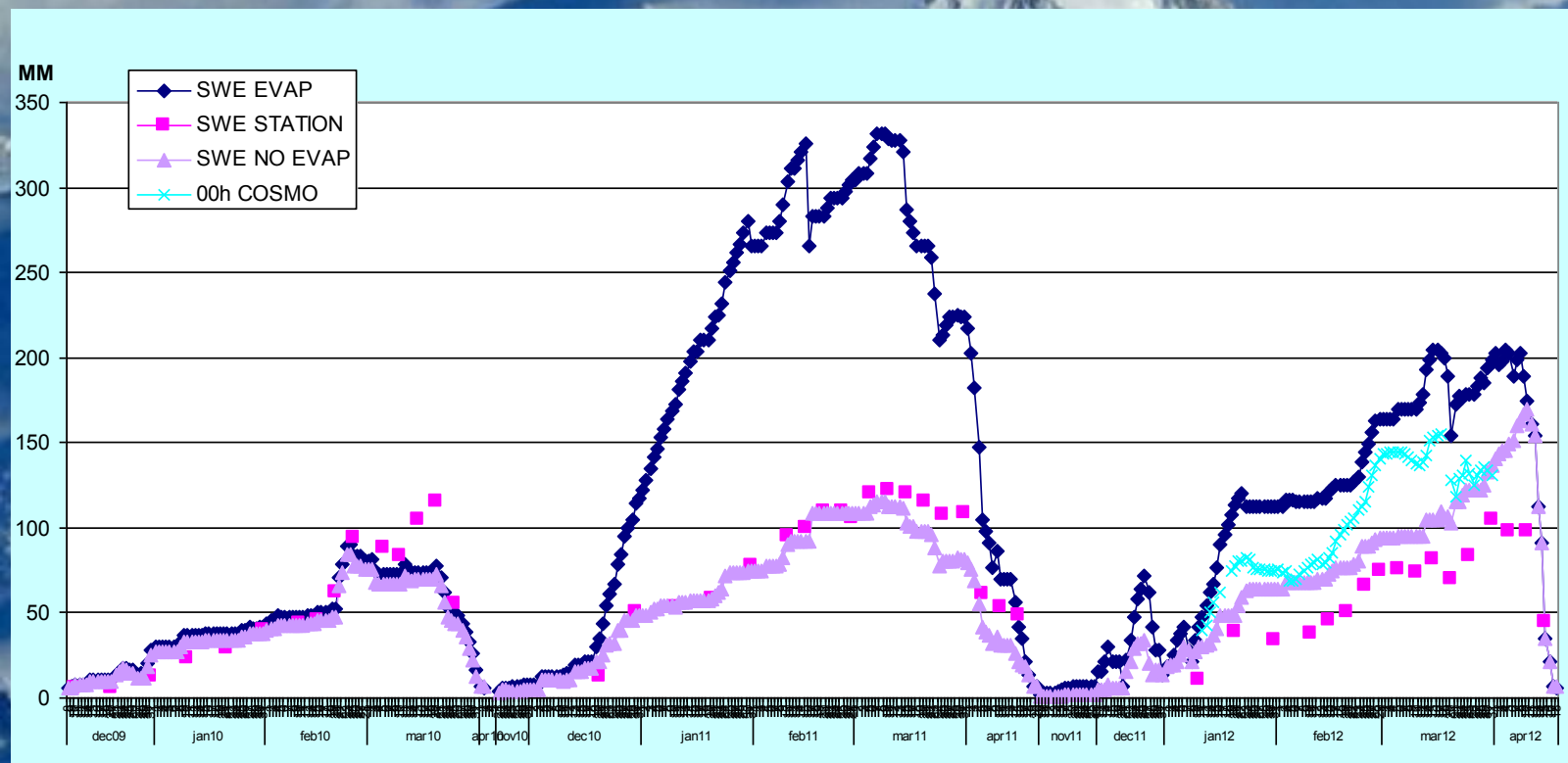


# Snow density for station PINEGA, winters 2009-2012





# SWE for station DMITROV, winters 2009-2012



$$R + H = 0$$

$$R = (R_{dir} + R_{dif})(1 - \alpha) - E_s + E_a$$

$$E_s = \sigma T_{layer}^4$$

$$H_1 = -\rho c_p k_1 |\bar{v}_1| \frac{T_{layer} - T_a}{\Delta z}$$

$$H_2 = \rho c_p k_2 |\bar{v}_2| \frac{T_s - T_{layer}}{\Delta z}$$

$$(R_{dir} + R_{dif})(1 - \alpha) + E_a - \sigma T_{layer}^4 - \rho c_p k_2 |\bar{v}_2| \frac{T_s - T_{layer}}{\Delta z} + \rho c_p k_1 |\bar{v}_1| \frac{T_{layer} - T_a}{\Delta z} = 0$$

$$\sigma T_{layer}^4 \approx \sigma T_{layer} \cdot T_a^3$$

$$\sigma T_{layer} \cdot T_a^3 + \rho c_p k_1 |\bar{v}_1| \frac{T_{layer}}{\Delta z} - \rho c_p k_1 |\bar{v}_1| \frac{T_a}{\Delta z} - \rho c_p k_2 |\bar{v}_2| \frac{T_s}{\Delta z} + \rho c_p k_2 |\bar{v}_2| \frac{T_{layer}}{\Delta z} = (R_{dir} + R_{dif})(1 - \alpha) + E_a$$

$$T_{layer} \left( \sigma T_a^3 + \rho c_p k_1 |\bar{v}_1| \frac{1}{\Delta z} + \rho c_p k_2 |\bar{v}_2| \frac{1}{\Delta z} \right) = (R_{dir} + R_{dif})(1 - \alpha) + E_a + \rho c_p k_1 |\bar{v}_1| \frac{T_a}{\Delta z} + \rho c_p k_2 |\bar{v}_2| \frac{T_s}{\Delta z}$$

$$T_{layer} = \frac{(R_{dir} + R_{dif})(1 - \alpha) + E_a + \rho c_p k_1 |\bar{v}_1| \frac{T_a}{\Delta z} + \rho c_p k_2 |\bar{v}_2| \frac{T_s}{\Delta z}}{\sigma T_a^3 + \rho c_p k_1 |\bar{v}_1| \frac{1}{\Delta z} + \rho c_p k_2 |\bar{v}_2| \frac{1}{\Delta z}}$$

$\alpha = 0.25$ ,  $k_2 = 10^{-3}$ ,  $v_2 \approx 0.1v_1$ ,  $\Delta z = 8$  - parameters we used for calculations (all the others are in COSMO)