

# Latent Heat Nudging in aLMo:

## Experiments with Idealized Supercell Simulations

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# Talk Outline

- Introduction
- Supercell Storms
  - Characteristics
  - Reference simulation
- OSSE with Latent Heat Nudging
  - Sensitivity to observation insertion frequency
  - Sensitivity to environmental humidity
  - Sensitivity to horizontal grid spacing
- Findings
- Outlook



# Introduction: Latent Heat Nudging

- Radar information is gaining importance in mesoscale data assimilation.
- LHN: Assimilation method for precipitation information.
- Trigger model precipitation where Radar detects precipitation (heating), suppress it elsewhere (cooling).
- Scale model latent heating profiles by an amount derived from observed and model precipitation.

# Introduction: OSSE

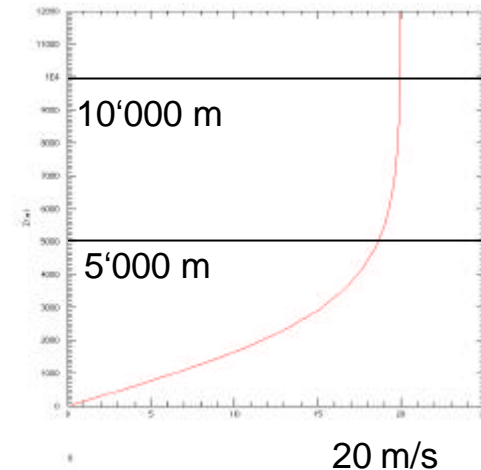
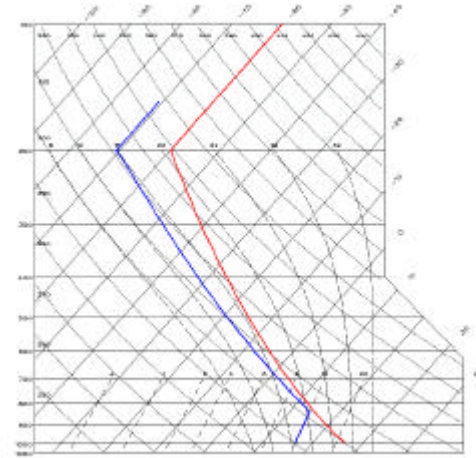
- Observing System Simulation Experiment (OSSE)
  - Suited to investigate the performance of assimilation schemes
  - Gain insight in LHN
  - Reference simulation provides „ideal, artificial observations“
- Simulation of idealized supercell storm
  - Simple environment
  - Coherent, long-lived, organized system
  - Well documented in literature

# Supercell Storm: Characteristics

- Long-lived thunderstorm with two strong rotating updrafts
- Develops in moderate to strong windshear and is largely driven by vorticity dynamics
- Effective separation of warm moist inflow and cold downdraft enables long life (up to several hours)
- Severe, long-lived hail-storms often exhibit supercell characteristics

# Supercell Simulations

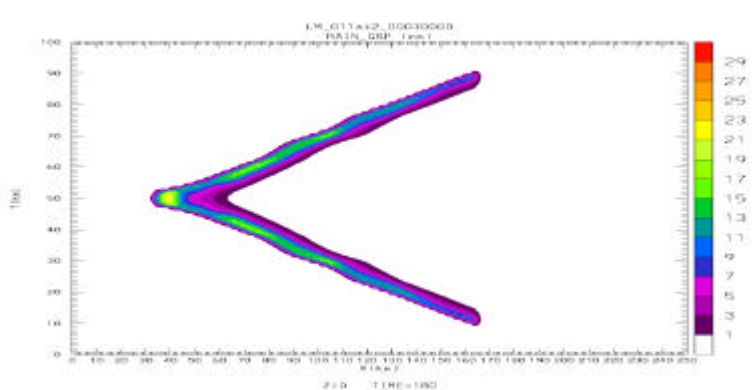
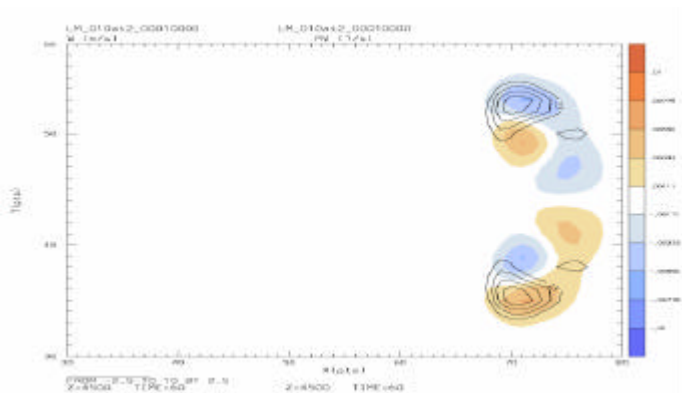
- Idealized environment
  - Large amount of CAPE ( ~1200 J/kg )
  - One-directional wind shear
  - Horizontally homogeneous
- Model configuration
  - $\Delta x = 1\text{km}$ ,  $\Delta t = 5\text{s}$
  - Parametrizations:
    - Grid-scale one-category ice scheme
    - Default turbulence parametrization
  - New 2 TL – scheme
  - Doubled explicit horizontal diffusion ( $\text{aks4} = 2.05 \cdot 10^{-3}$ )



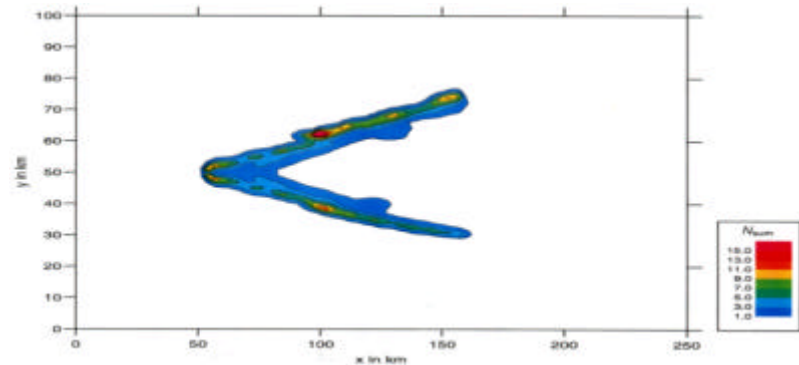
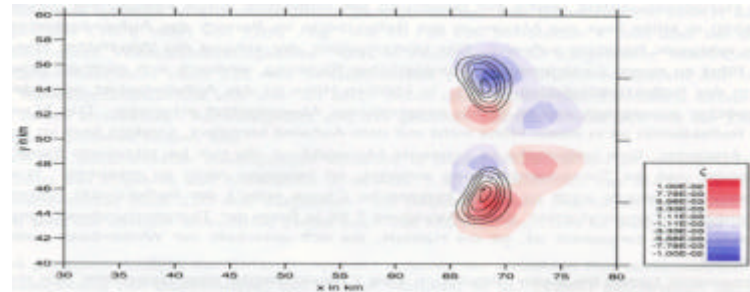
# Supercell Simulations

- Comparison of reference run with results from a cloud-resolving research model

LM Reference run



KAMM2 (A. Seifert)



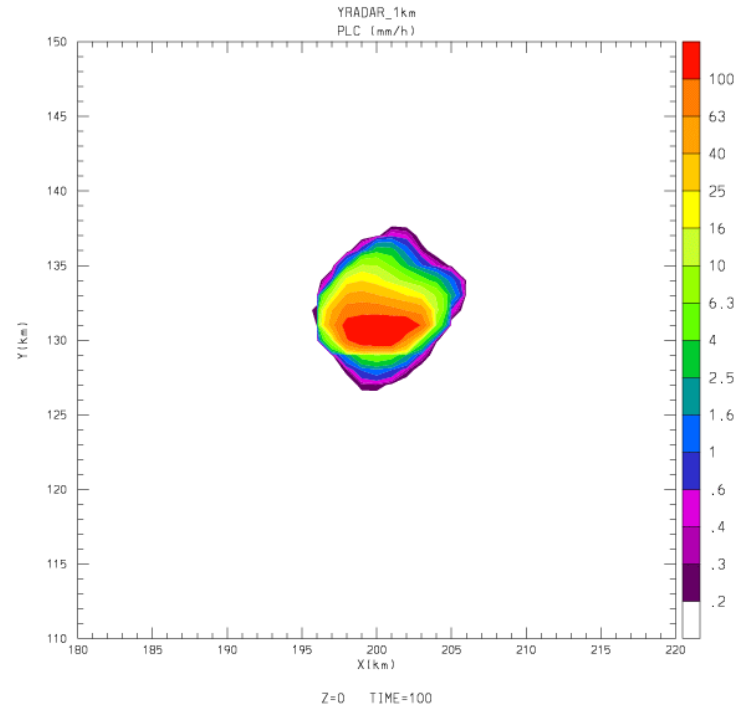
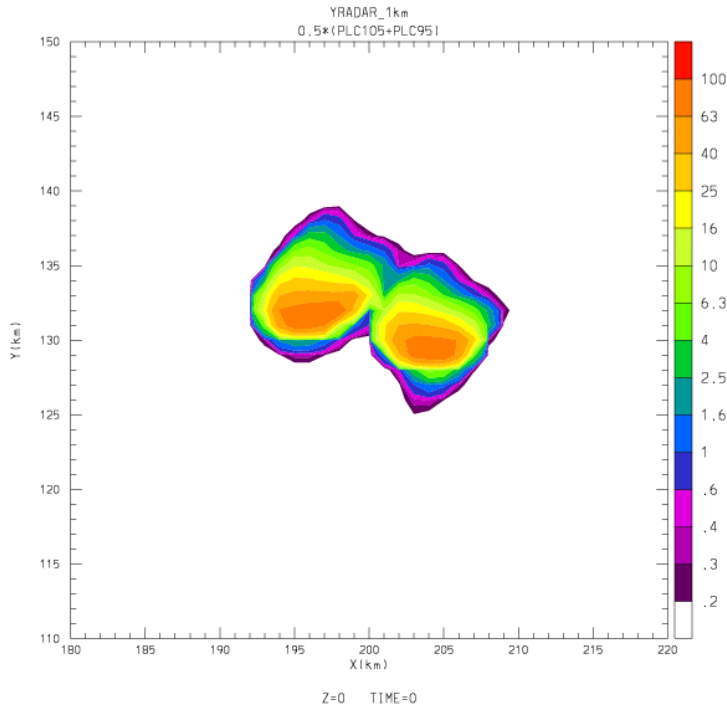
# Supercell Simulations

- Reference run
  - Supercell initiated with warm bubble
  - Model rain serves as „artificial radar observations“
- LHN Analysis
  - Same environment as reference run
  - No warm bubble initiation
  - LHN during 3h (artificial rain rates from reference run)
- LHN Forecast
  - LHN during first 30, 60, 90, 120, 150 min
  - Free run afterwards

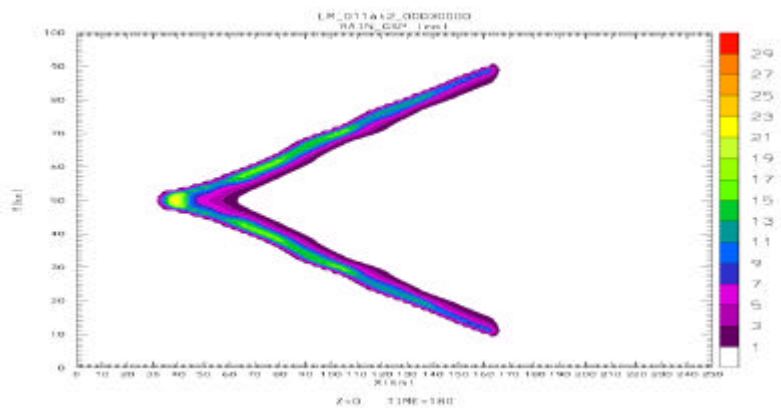


# Insertion Frequency of Precipitation Input

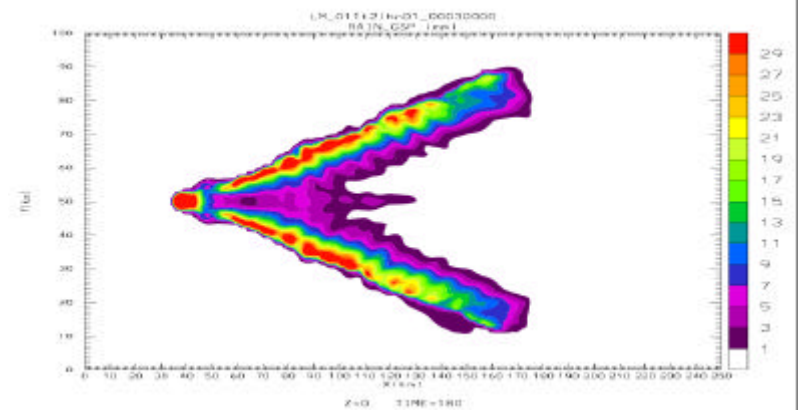
- LHN linearly interpolates between subsequent observations
- Examine relevance of insertion frequency  $\Delta t$  to LHN  
 Analysis  $\Delta t = 10\text{min}$   $\Delta t = 1\text{min}$   
 linear interpolation



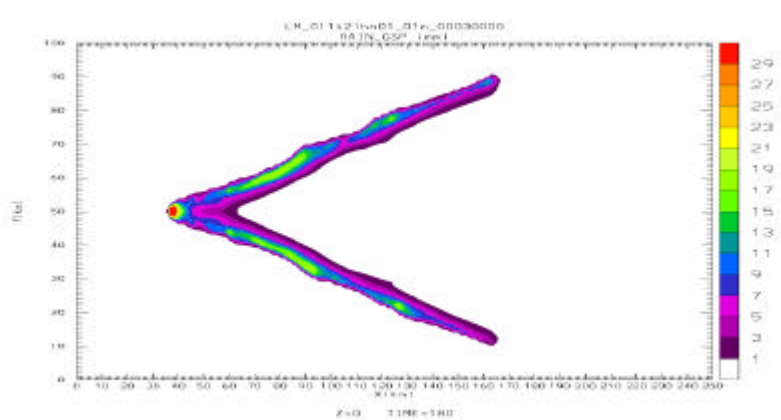
# LHN Analysis (LHN during 3h)



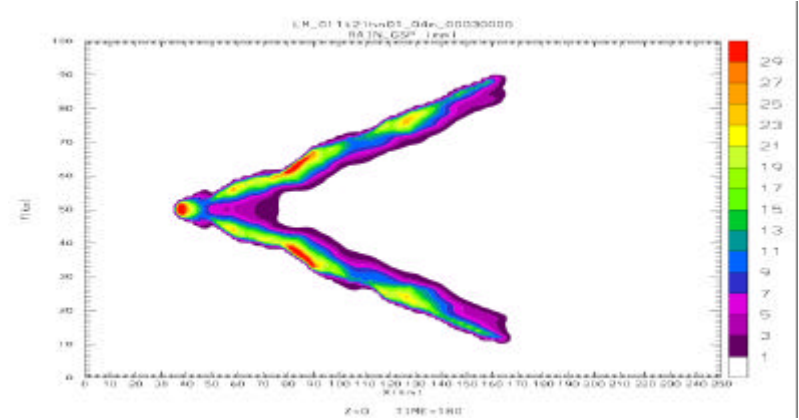
**CTRL**



**Dt = 10min**



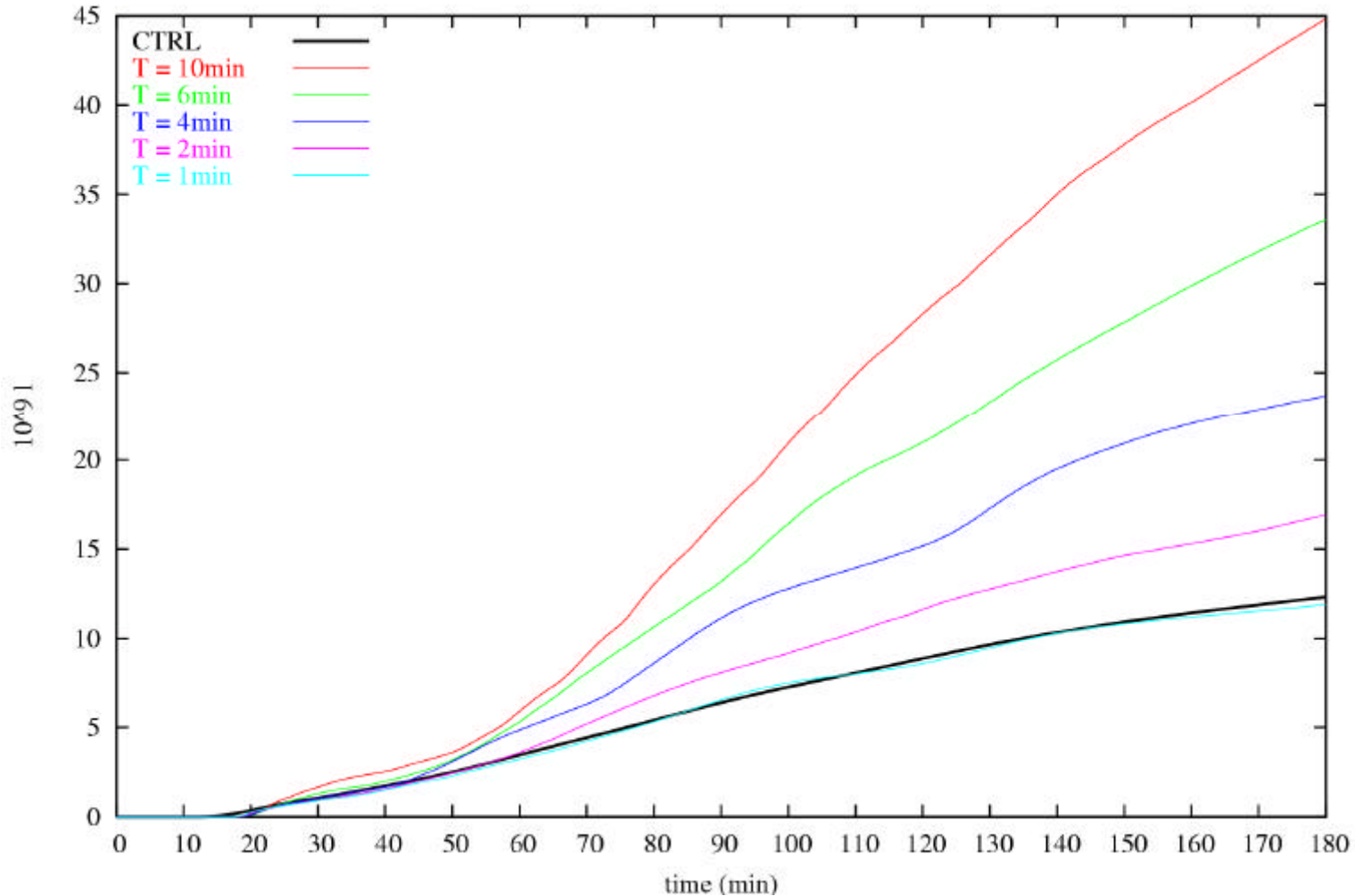
**Dt = 1min**



**Dt = 4min**

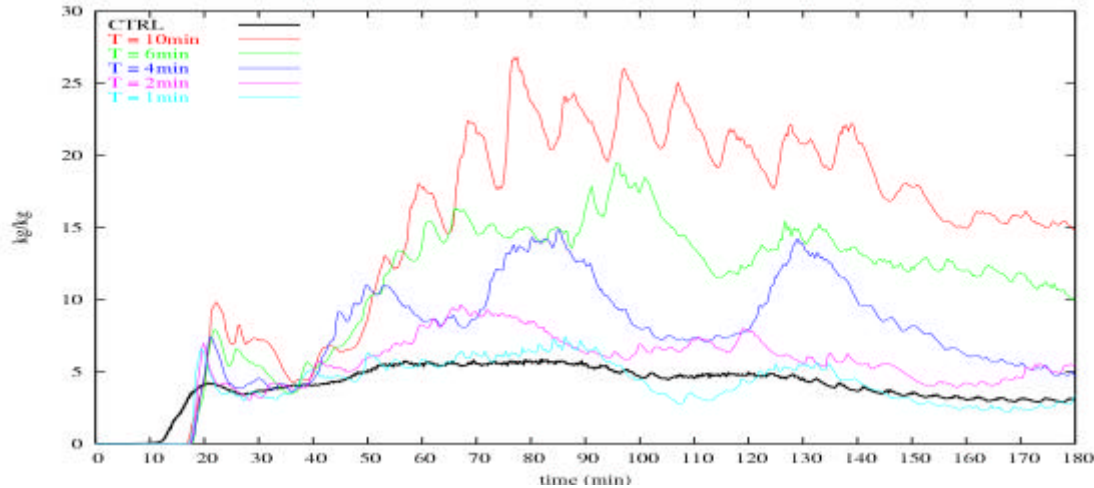


# LHN Analysis: Cumulated surface rain

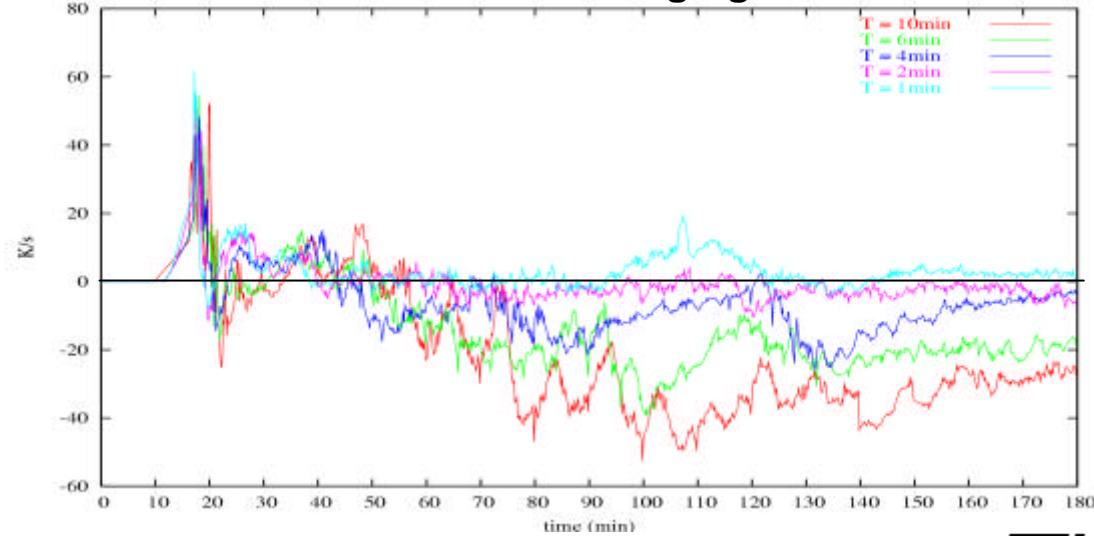


# LHN Analysis

Domain sum of ar

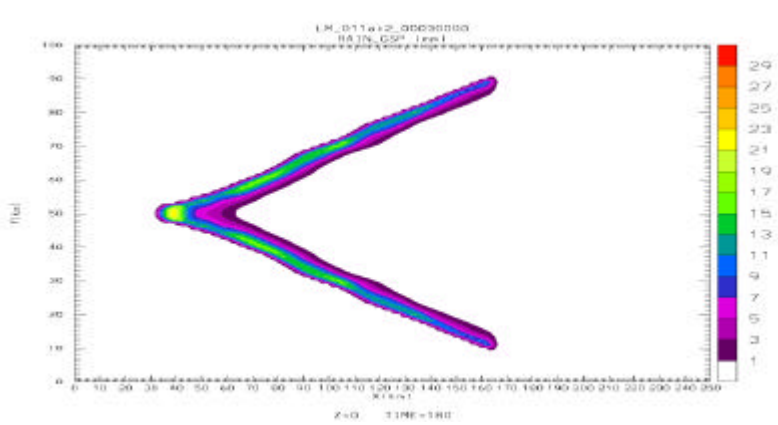


Domain sum of LH nudging increment

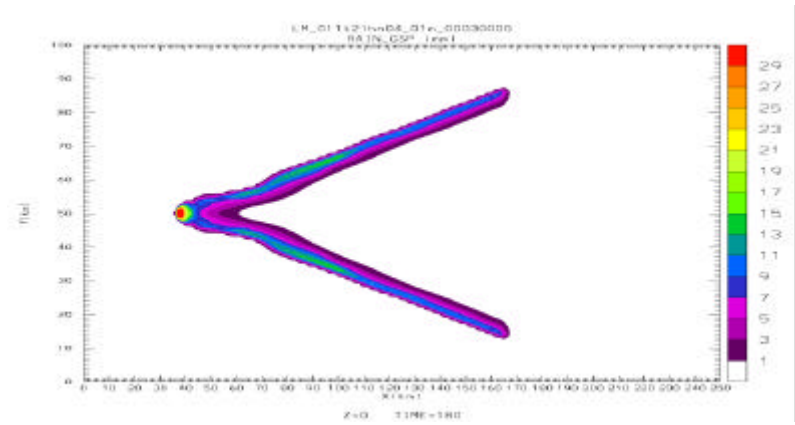


- CTRL
- T = 10min
- T = 6min
- T = 4min
- T = 2min
- T = 1min

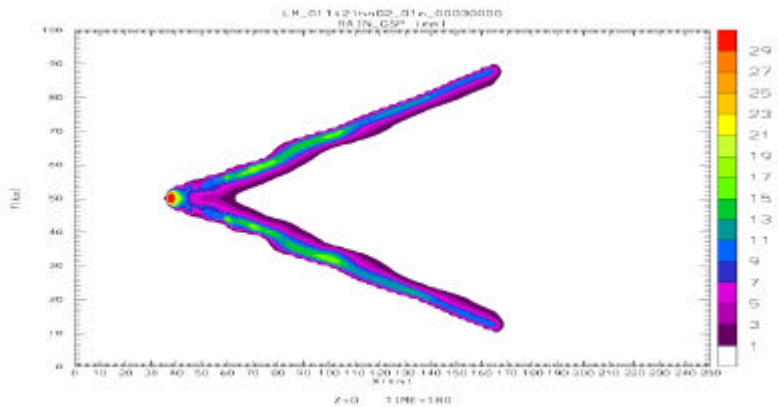
# LHN Forecast ( $Dt = 1\text{min}$ )



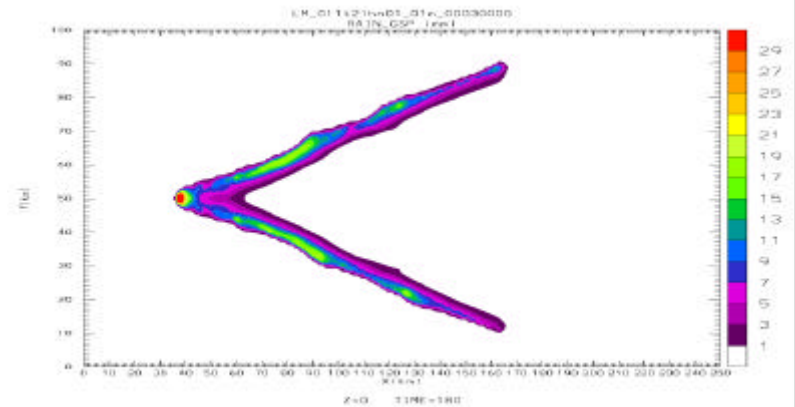
CTRL



Free forecast after 30 min



Free forecast after 1h



Analysis (LHN during 3h)

# Sensitivity Experiments

- Frequent problem in assimilation of convection at small scales: Rapid loss of assimilated information in free forecast
- Try to find factors contributing to this problem: What could cause the storm to ,die‘ too quickly in the free forecast?
- Sensitivity to low level humidity of environment
- Sensitivity to grid spacing

# Low-level humidity

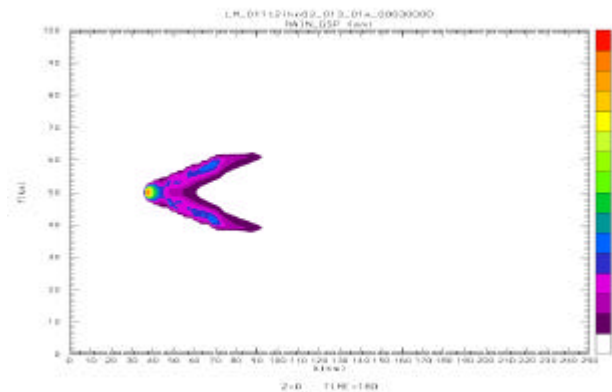
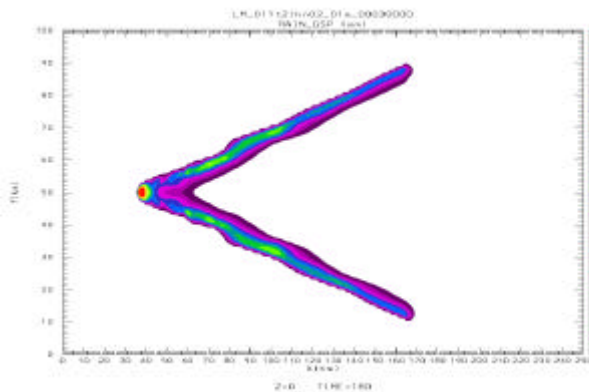
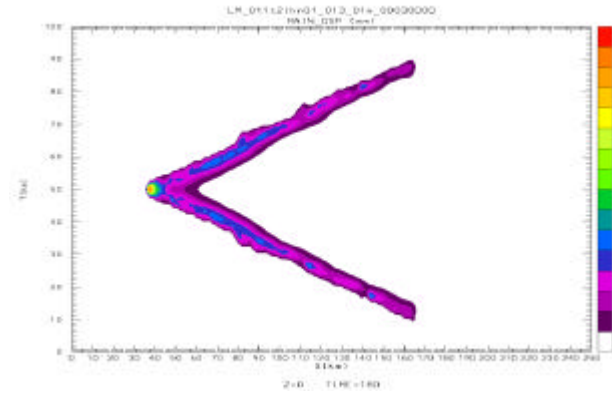
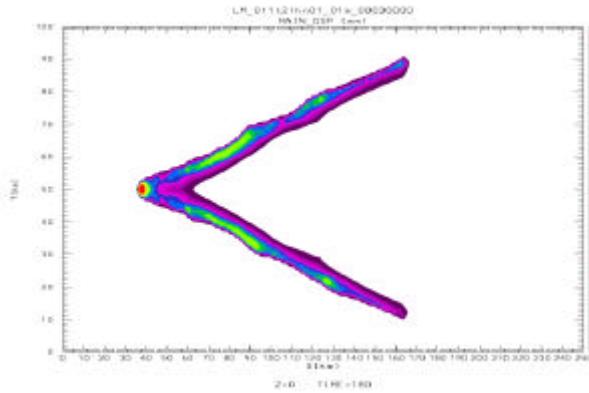
Reference environment

$$q_v = 12 \text{ g/kg}$$

Drier environment

$$q_v = 10 \text{ g/kg}$$

Analysis

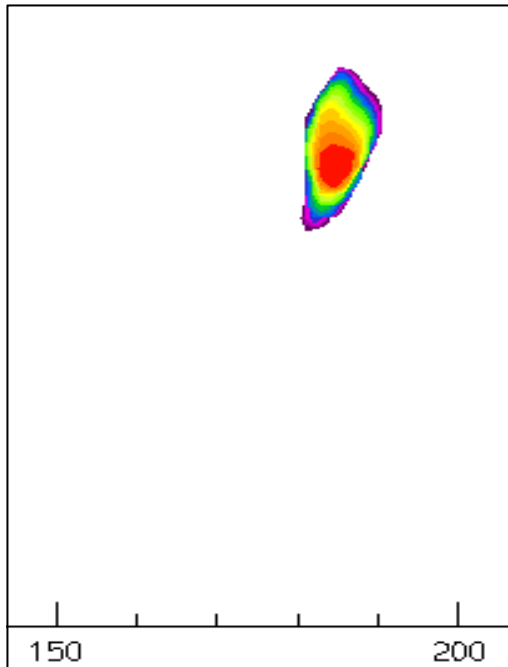


Free forecast  
after 1h

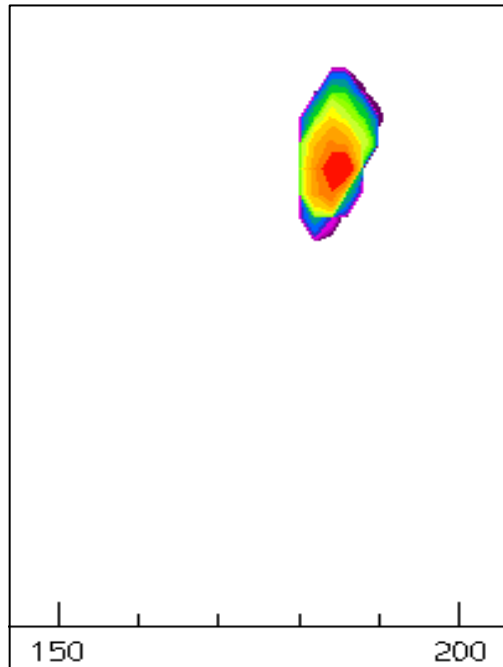
# Horizontal grid spacing

- Interpolation of 1km forcing to 2km and 5km mesh
- Perform LHN runs with coarse mesh

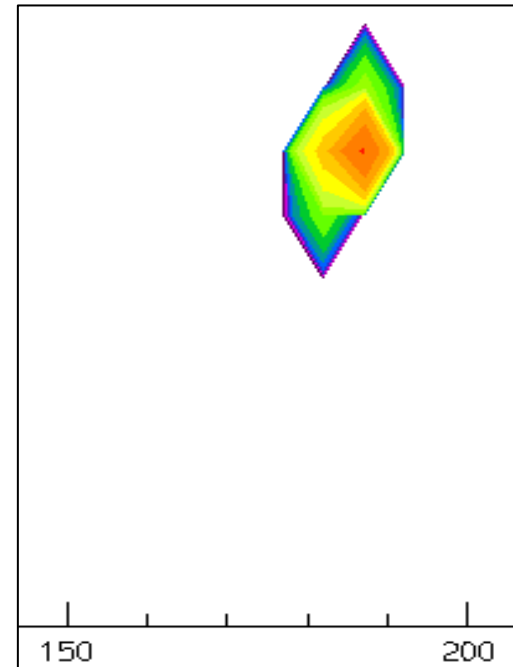
$Dx = 1km$



$Dx = 2km$



$Dx = 5km$



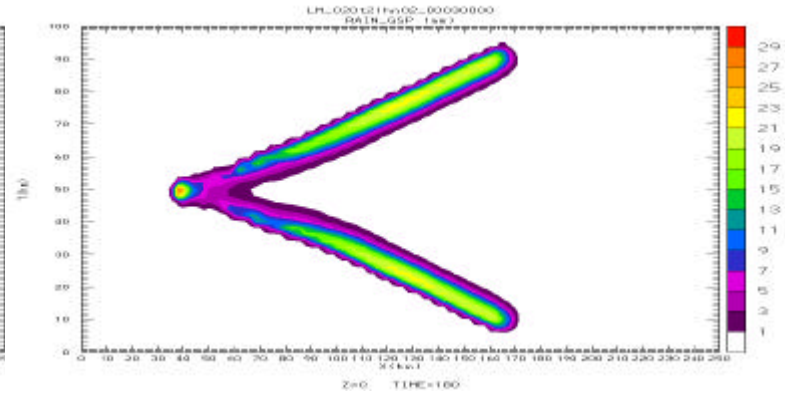
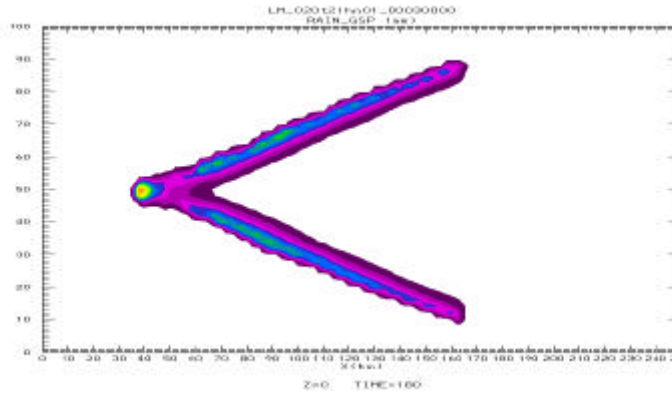


# Horizontal grid spacing

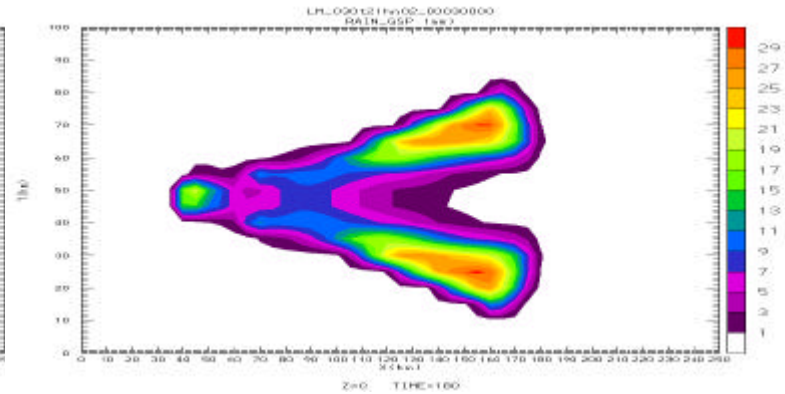
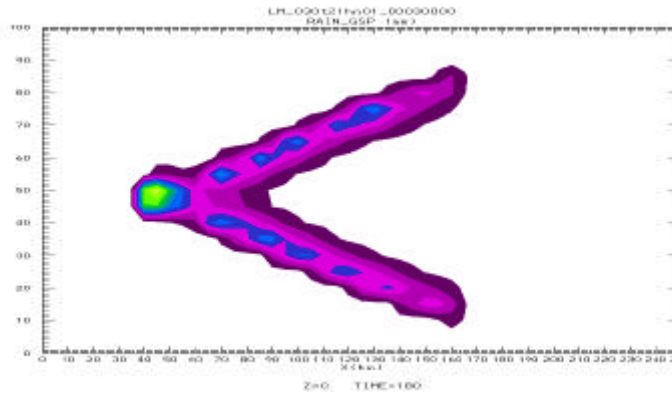
Analysis (LHN during 3h)

Free forecast after 1h

$Dx = 2km$



$Dx = 5km$



# Findings

- Simulation of an idealized, long-lived, meso- $\gamma$  convective system, showing similarities with results from literature
- LHN capable of analysing and initiating supercell storm
- High insertion frequency important in this case
- Low level humidity essential for storm development
- Even a poorly resolved forcing is able to initiate and maintain storm evolution
- Supercell storm very stable dynamics: are findings 'portable' to other situations?

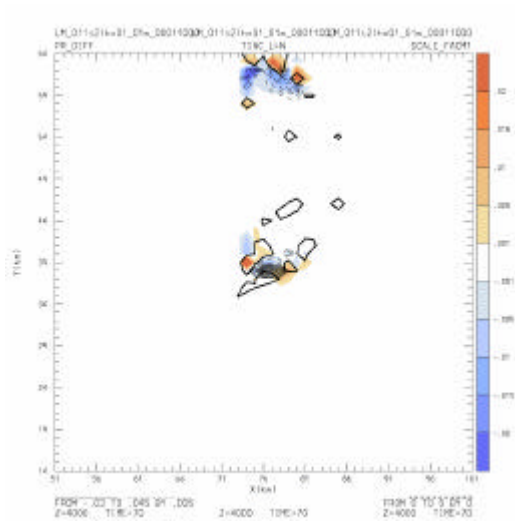
# Outlook

- Real-case study
  - Reduction of grid-size to 2km
  - More cases
- Idealized OSSE
  - Sensitivity of vertical forcing distribution
  - Assimilation of ideal 3D latent heating fields
  - Assimilation of horizontal winds
  - Consider case which is less driven by dynamics (initialize environment with real sounding data)

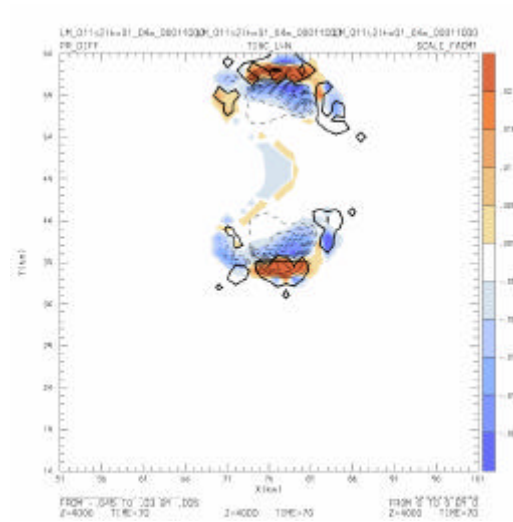
Thank you for your attention !

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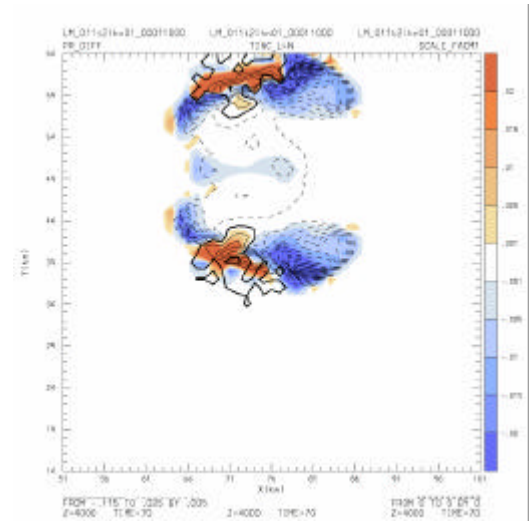
# Different Forcing (at $t = 110$ min)



$Dt = 1$  min



$Dt = 4$  min

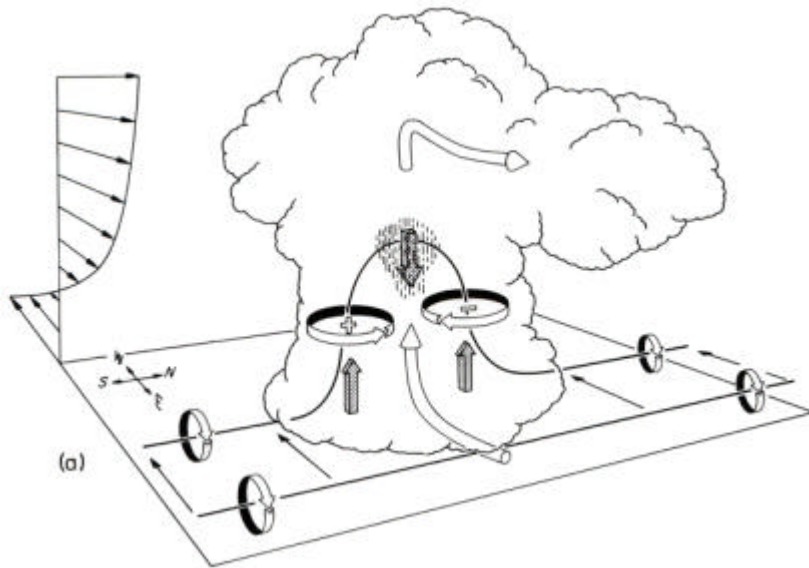


$Dt = 10$  min

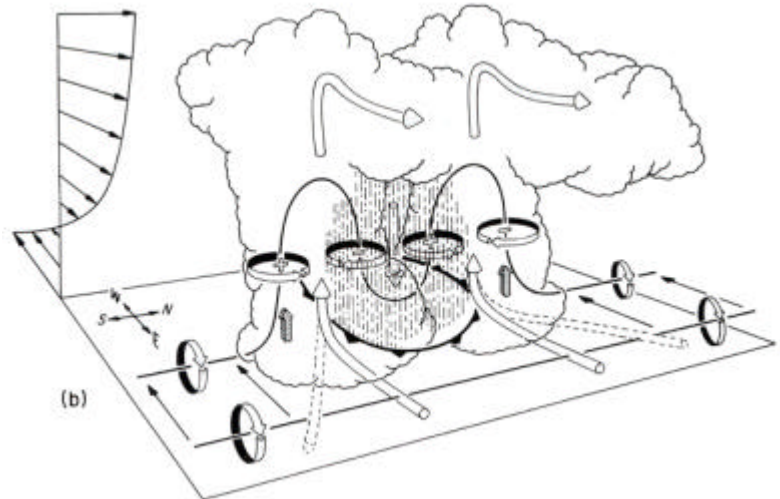
Color:  $\Delta T_{LHN}$

Black contours:  $RR_{rad} - RR_{mo}$

# Supercell Storm: Conceptual Model



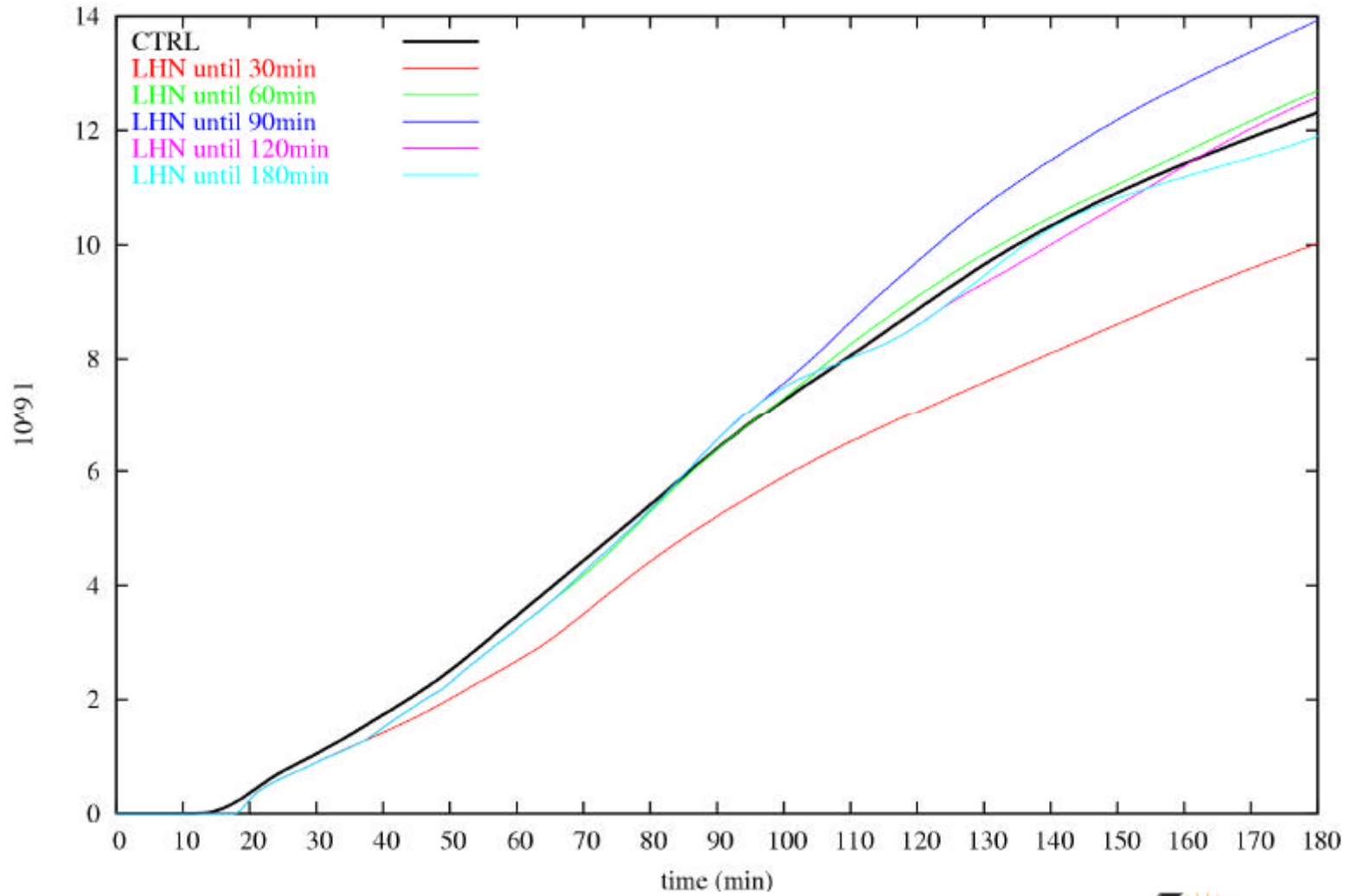
Initial stage



Splitting stage

from Klemp (1987)

# LHN Forecast: Cumulated surface rain

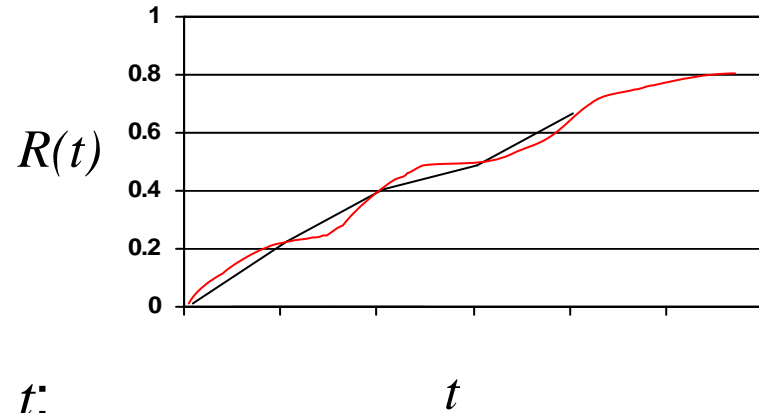


# Insertion Frequency of LHN Input

- Sampling intervals of rain rates (insertion frequency of observations)

$$R(t) = \int_{t_0}^t RR(t) dt$$

$$RR(t) = \frac{dR(t)}{dt}$$



- Mean rain rate from  $t - \Delta t$  to  $t$ :

$$\overline{RR}(t, \Delta t) = \frac{\Delta R}{\Delta t} = \frac{R(t) - R(t - \Delta t)}{\Delta t}$$

$$\lim_{\Delta t \rightarrow 0} \overline{RR}(t, \Delta t) = RR(t)$$

- Linear interpolation between successive rain rates in LHN
- LHN Experiments with  $\Delta t = 10, 6, 4, 2, 1$  min



# LHN Temperature Increments

Temperature increment:  $\Delta T_{LHN} = (f - 1) \cdot \Delta T_{LH_{mod}}$ ,  $f = \frac{RR_{ana}}{RR_{mo}}$

Analysed rain rate:  $RR_{ana} = w \cdot RR_{rad} + (1 - w) \cdot RR_{mo}$

Observation weight:  $w = w(x, y, t)$   $w \in [0,1]$

		Scaling factor $f$	Profile to scale
Model fair	$1/a_{down} \leq \frac{RR_{ana}}{RR_{mo}} \leq a_{up}$	$\frac{RR_{ana}}{RR_{mo}}$	local profile
Model too wet	$\frac{RR_{ana}}{RR_{mo}} \leq 1/a_{down}$	$1/a_{down}$	local profile
Model too dry	$\frac{RR_{ana}}{RR_{mo}} \geq a_{up}$	$\frac{RR_{ana}}{RR_{near/ideal}}$	near / ideal. profile

# Nudging Increment

- Add nudging increment to prognostic temperature equation:

$$\frac{\Delta T}{\Delta t} = Model + \frac{\Delta T_{LHN}}{\Delta t}$$

# Findings

- aLMo is able to assimilate radar observations
- Good impact in analysis, sfc winds in line with observations.
- Some impact in forecast up to 03h
- aLMo loses information quickly, i.e. storm dies too early
- Why does LHN forecast so rapidly lose radar information?
  - LHN-Scheme (wrong circulation) ?
  - Model resolution ?
  - Environment (humidity) ?